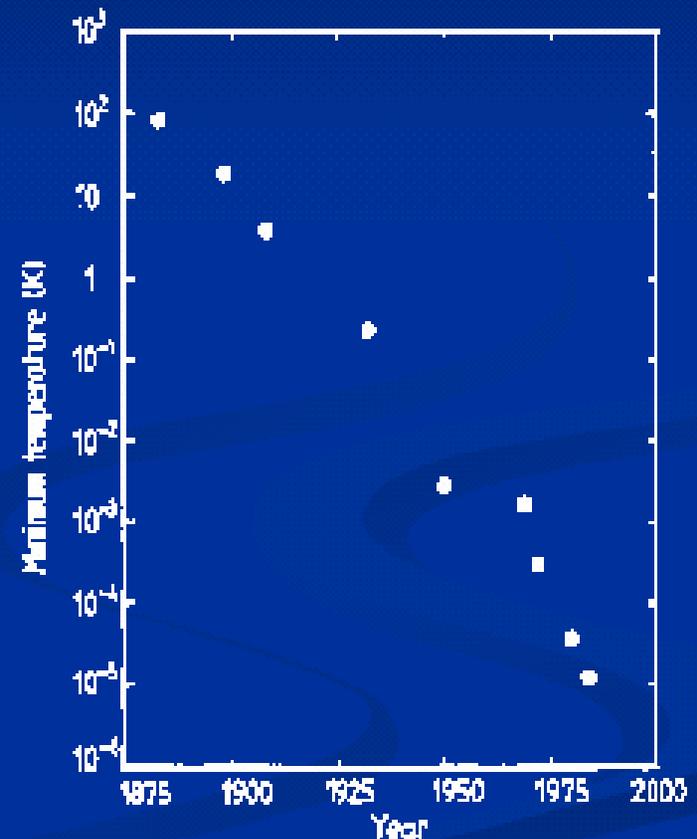


## Achieving Low Temperatures

# Historical Overview

1755	artificial ice by evaporating (Cullen)
19th cent.	Liquification of various gases
1848	Discovery of absolute zero (Thompson)
1877	„DRP1250 Kälteerzeugungsmaschine“ (Linde)
1908	Liquid Helium (Kammerling-Ones)

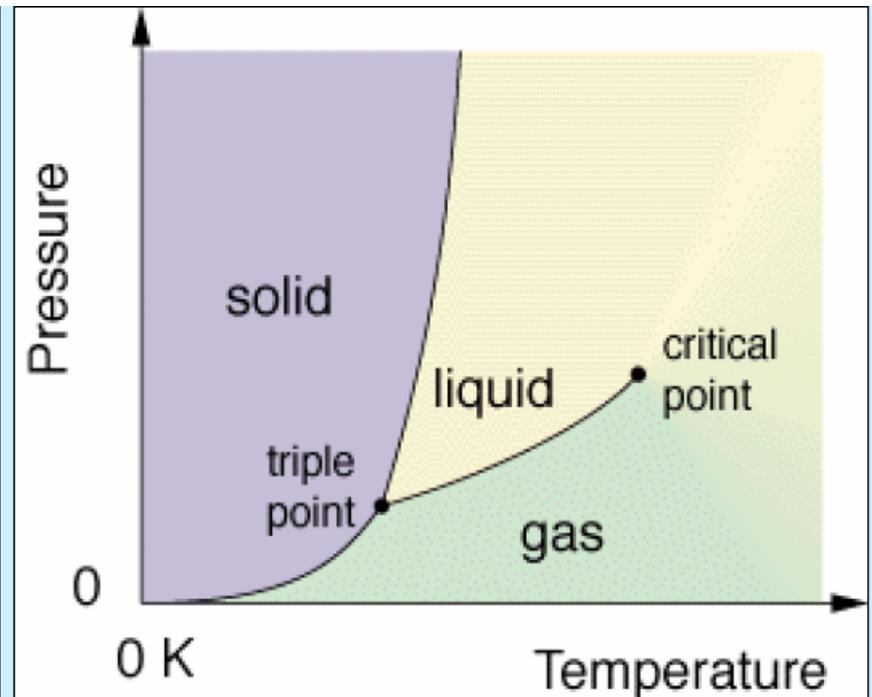
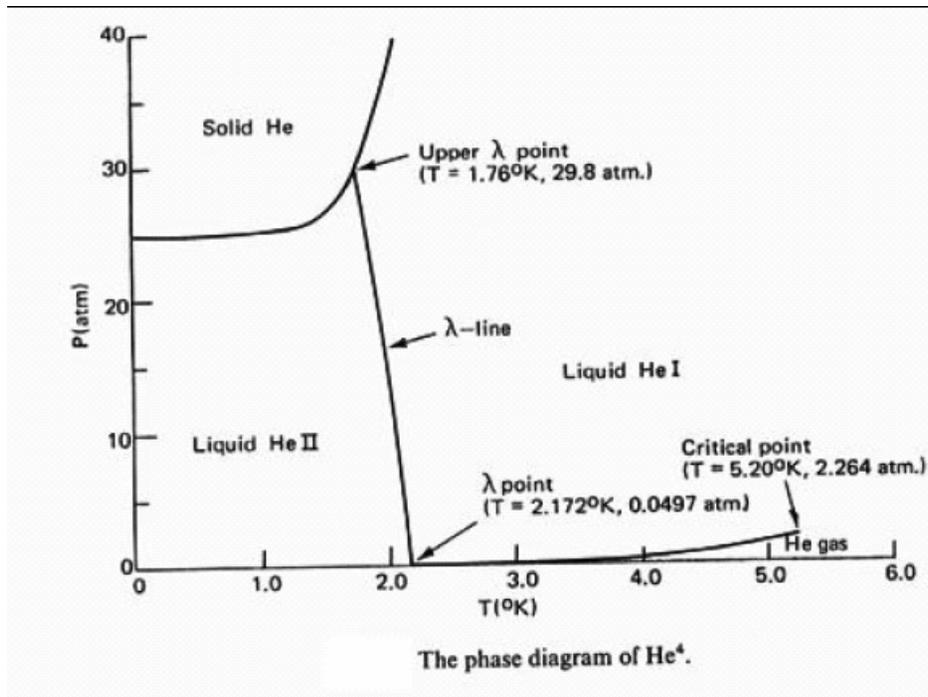
Range		Refrigeration Technique	Since	$T_{typ}$	$T_{rec}$
I	K	He-4 evaporation	1908	1.3K	0.7K
		He-3 evaporation	1950	0.3K	0.25K
II	mK	Dilution	1965	10mK	2mK
		Pomeranchuk	1965	3mK	2mK
		Electronic magnetic	1934	3mK	1mK
III	$\mu$ K	Nuclear magnetic	1956	50 $\mu$ K	2 $\mu$ K



# Relevant Low Temperature Techniques

<u>Properties of Liquid Helium</u>	<u>Helium-4</u>	<u>Helium 3</u>
Critical Temperature	5.2 K	3.3 K
Boiling Point at 1 atm	4.2 K	3.2 K
Minimum melting pressure	25 atm	29 atm at 0.3 K
Superfluid transition temperature at saturated vapor pressure	2.17 K	1 mK in zero magnetic field
Type	Boson	Fermion

# $^4\text{He}$ Phase Diagram



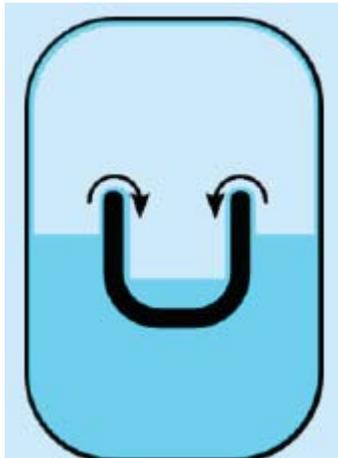
The critical point  
 $T_c = 5.20 \text{ K}$   
 $P_c = 2.264 \text{ atm}$

Typical phase diagram

# He II: Superfluid

Bose-Einstein condensate

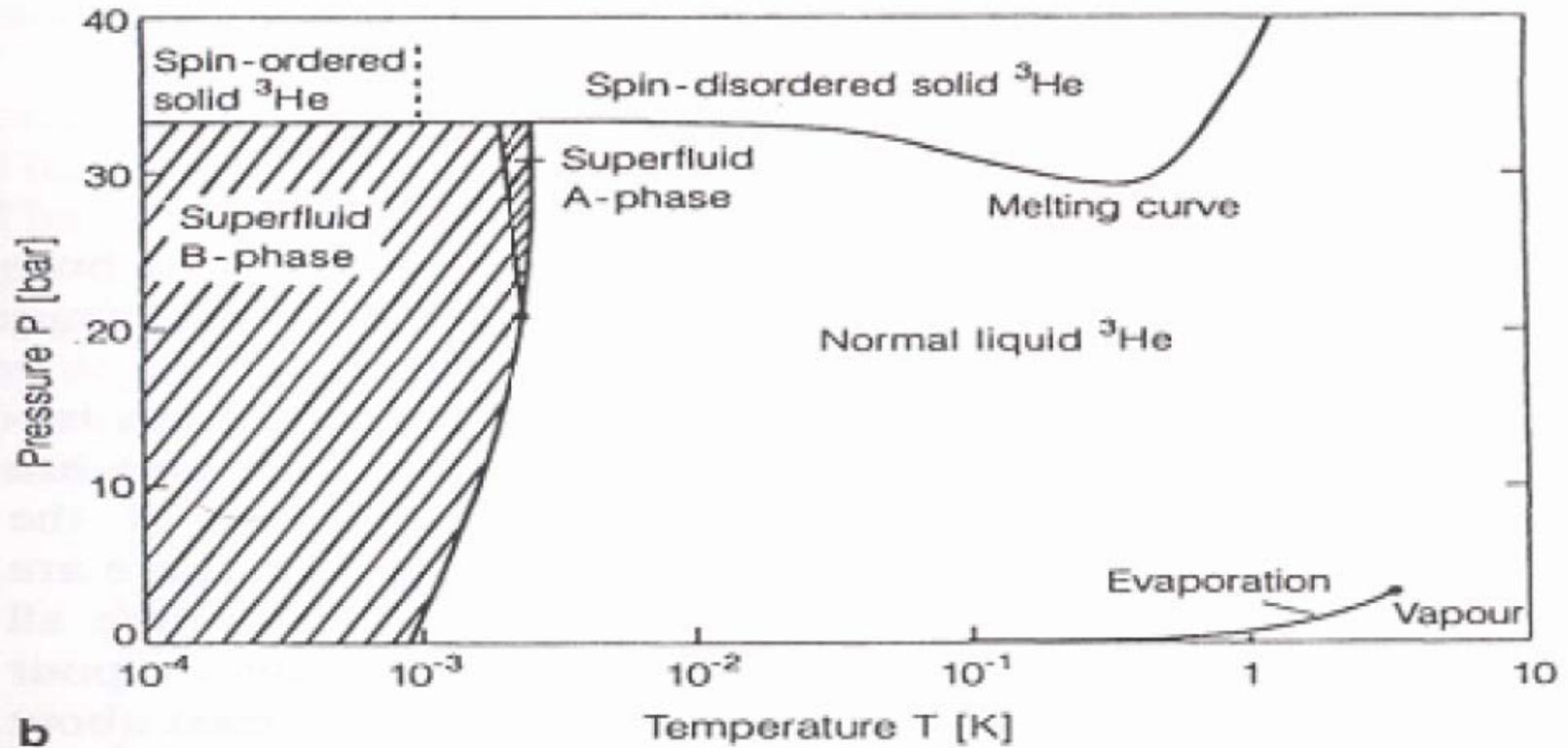
frictionless fluid



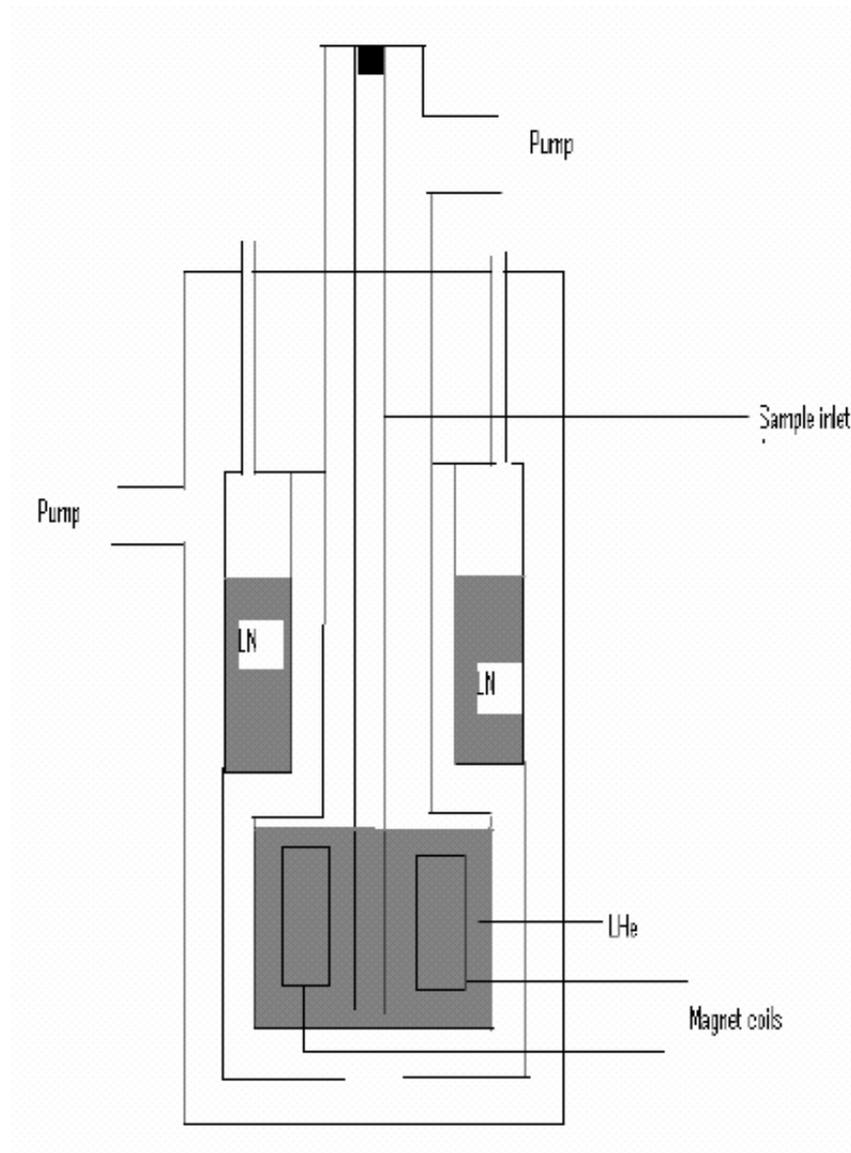
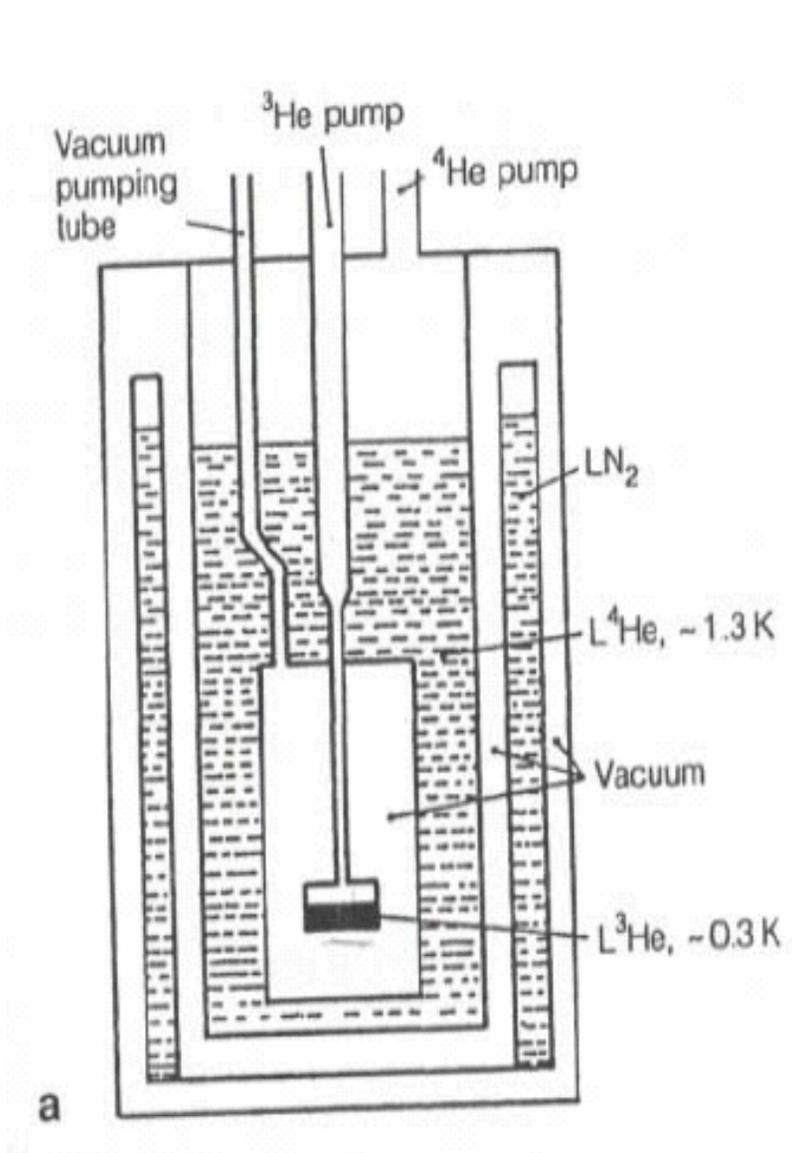
- will escape from a vessel that is not sealed by creeping along the sides until it reaches a warmer region where it evaporates
- moves in a 30 nm thick film Rollin film regardless of surface material.
- leaks rapidly through tiny openings

- **Production of He-3**
- Tritium Decay.
- D-D Fusion Reaction.
- The  $p+Li6$  Reaction for Breeding He-3.

### $^3\text{He}$ Phase Diagram



# Cryostats



# Evaporative Cooling

Clausius-Clapeyron-Equation

$$\left(\frac{\partial P}{\partial T}\right)_{vap} = \frac{S_{gas} - S_{liq}}{V_{mol,gas} - V_{mol,liq}}$$

with

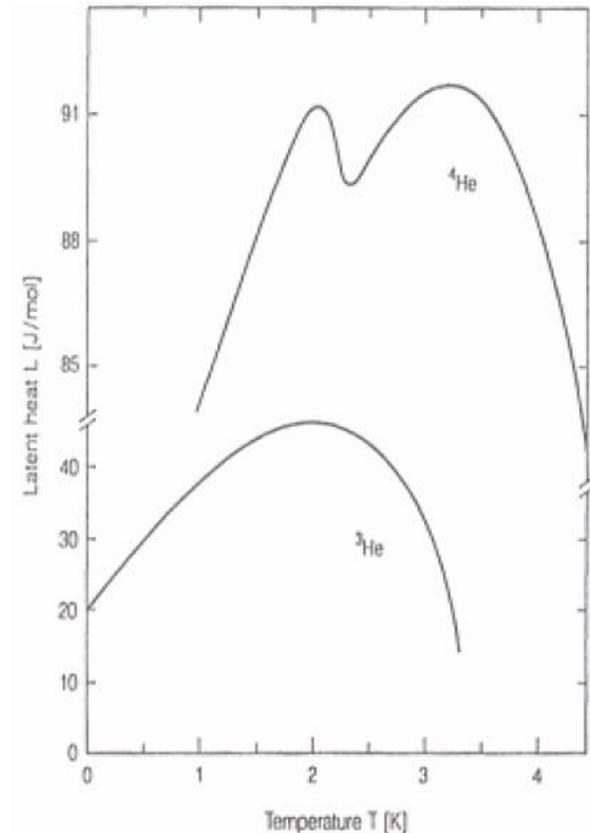
$$S_{gas} - S_{liq} = \frac{L}{T}$$
$$V_{mol,gas} \gg V_{mol,liq}$$
$$V_{gas}P = RT$$
$$L \neq L(T)$$

The vapour pressure is

$$P_{vap} \sim e^{-\frac{L}{RT}}$$

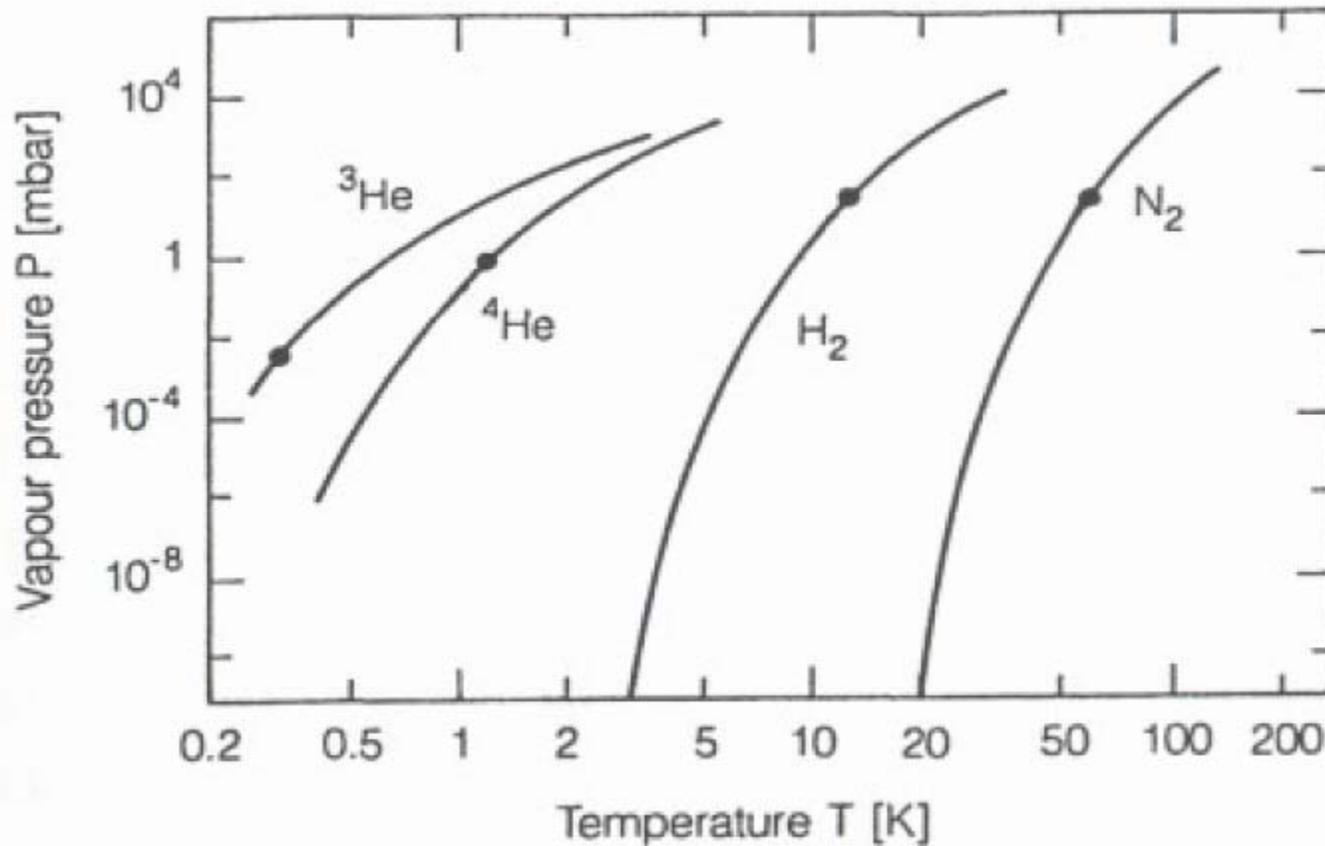
Resulting cooling power

$$\dot{Q} = \dot{n}L \sim LP_{vap} \sim e^{-\frac{1}{T}}$$



Cooling Power proportional to Vapour Pressure

$$P \propto \exp\left(-\frac{L}{RT}\right)$$



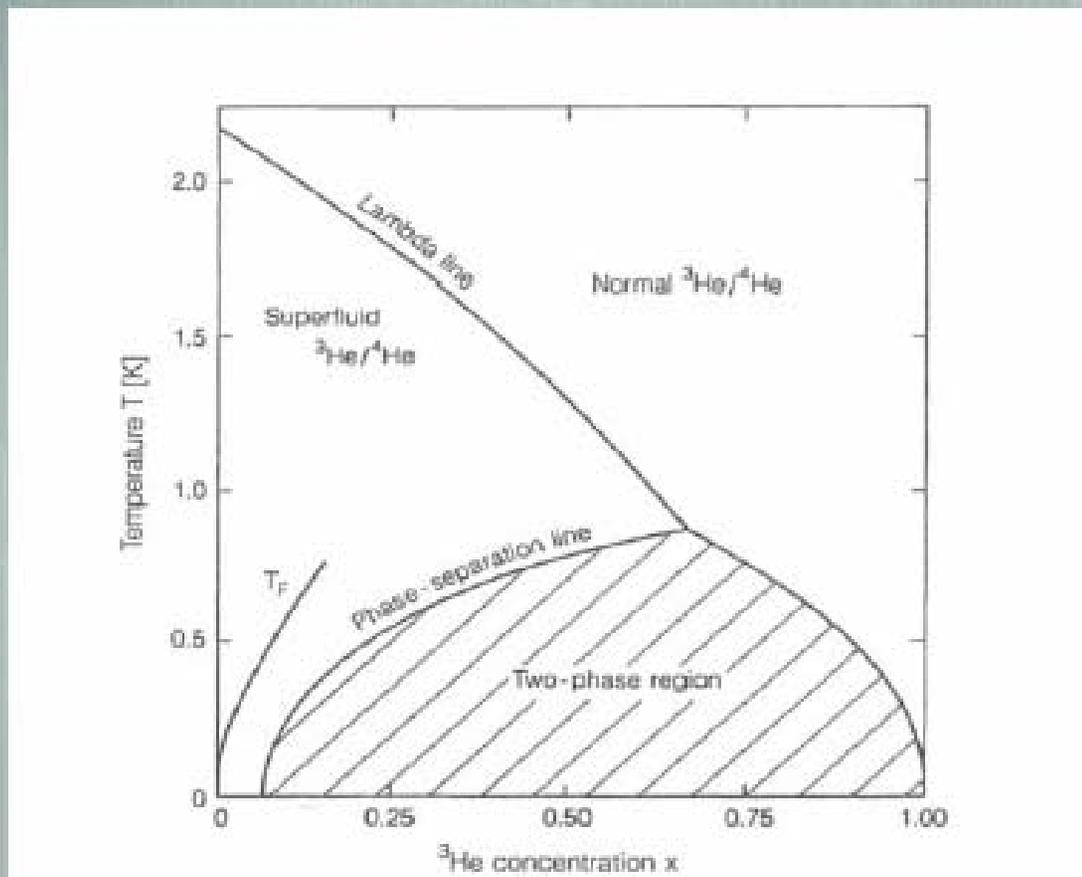
pumping on  $^4\text{He}$ : ~ 1 K  
pumping on  $^3\text{He}$ : ~ 0.25 K

# Dilution Refrigeration

## He3-He4 mixture

the working fluid mixture of the dilution refrigerator:

Phase separation into  $^3\text{He}$  rich and  $^3\text{He}$  poor phase below  $T \sim 800$  mK



# Dilution Refrigeration

- **The Cooling Power:**

- The cooling capacity is the heat mixing of the two isotopes. The cooling power of an evaporating cryogenic liquid:

$$\dot{Q} = n \Delta H = n L$$

- Make use of the latent heat  $L$  of evaporation, pumping with a pump of constant volume rate  $V$  on He3 and He4 bath with vapour pressure  $P$ :

$$\dot{Q} = V P(T) L(T)$$

- He3-He4 dilution refrigeration: Use the difference of the specific heats of the two phases (the enthalpy of mixing):

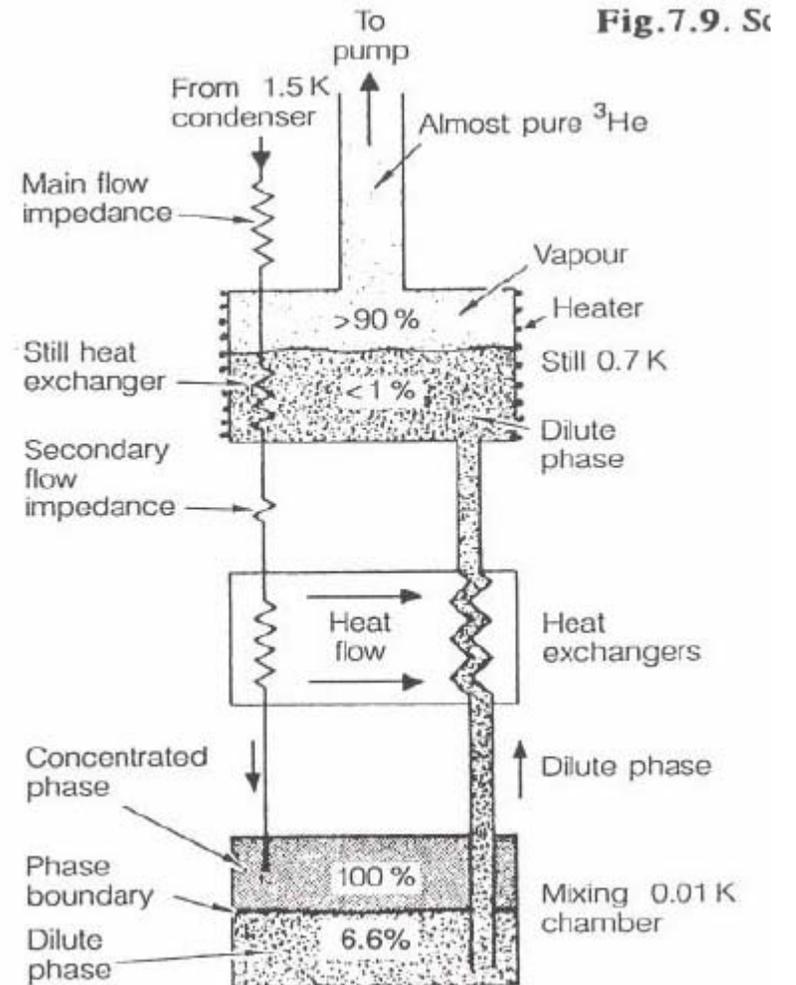
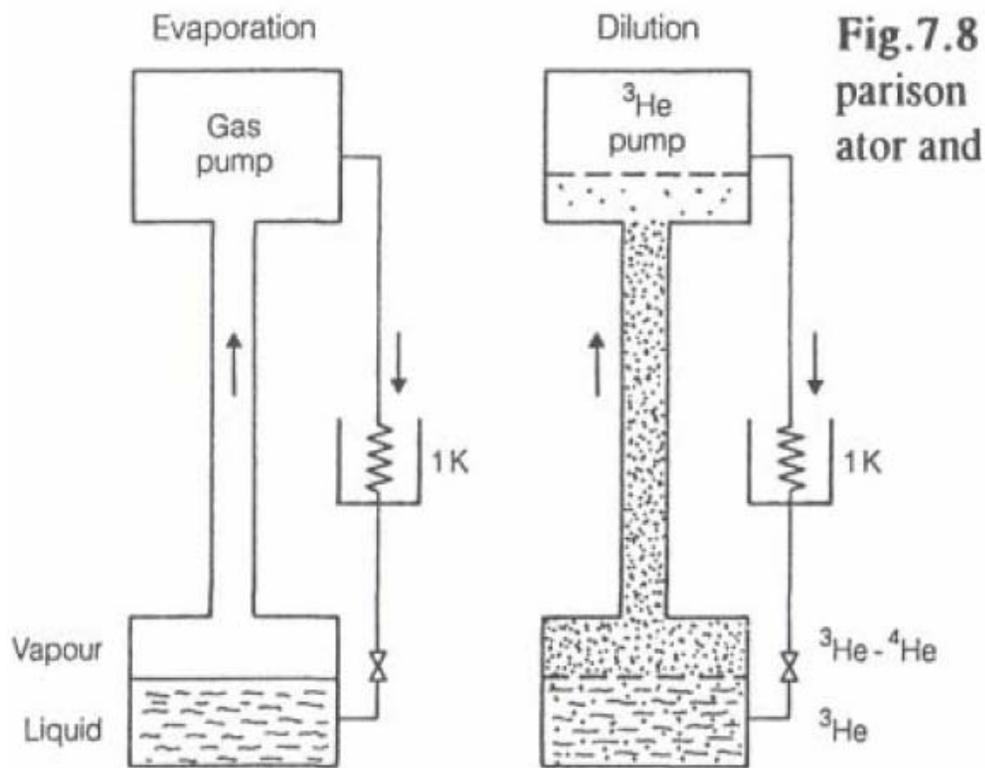
$$\Delta H \propto \int \Delta C dT$$

$$\Rightarrow \dot{Q} \propto x \Delta H \propto T^2$$

dilution refrigerator:  
cooling power:  $\sim T^2$

reaches temperature  $\sim$  few mK

# Dilution Refrigeration: Working Principle



From RT to the Millikelvin

# A Dilution Refrigerator

MNK 126-700



Heading beyond the Millikelvin