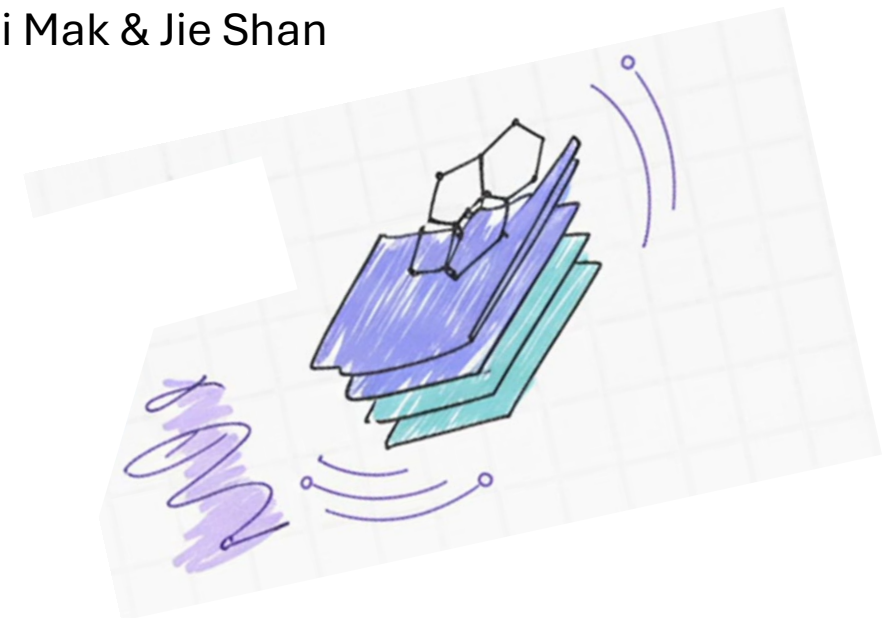
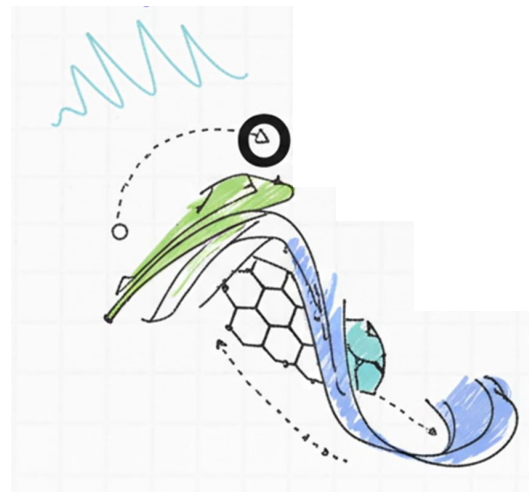


Bandwidth-tuned Mott transition and superconductivity in moiré WSe2

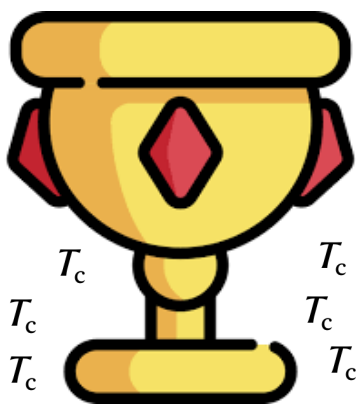
Yiyu Xia, Zhongdong Han, Jiacheng Zhu, Yichi Zhang, Patrick Knüppel, Kenji Watanabe, Takashi Taniguchi, Kin Fai Mak & Jie Shan

Nature **650**, 585–591 (2026)

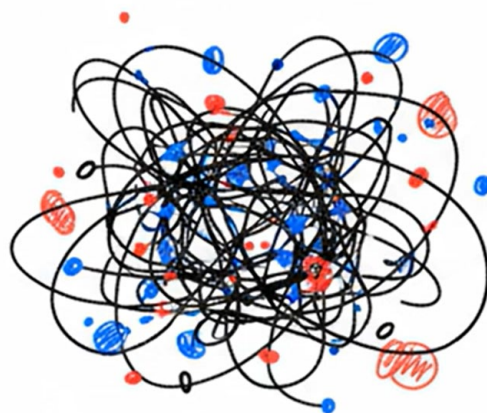
Jibin N Sunil
Journal club /10-04-2026



T_c

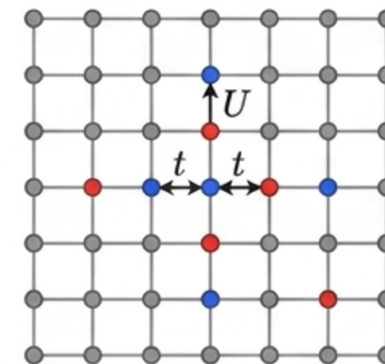


T_c T_c T_c T_c T_c T_c T_c T_c T_c T_c



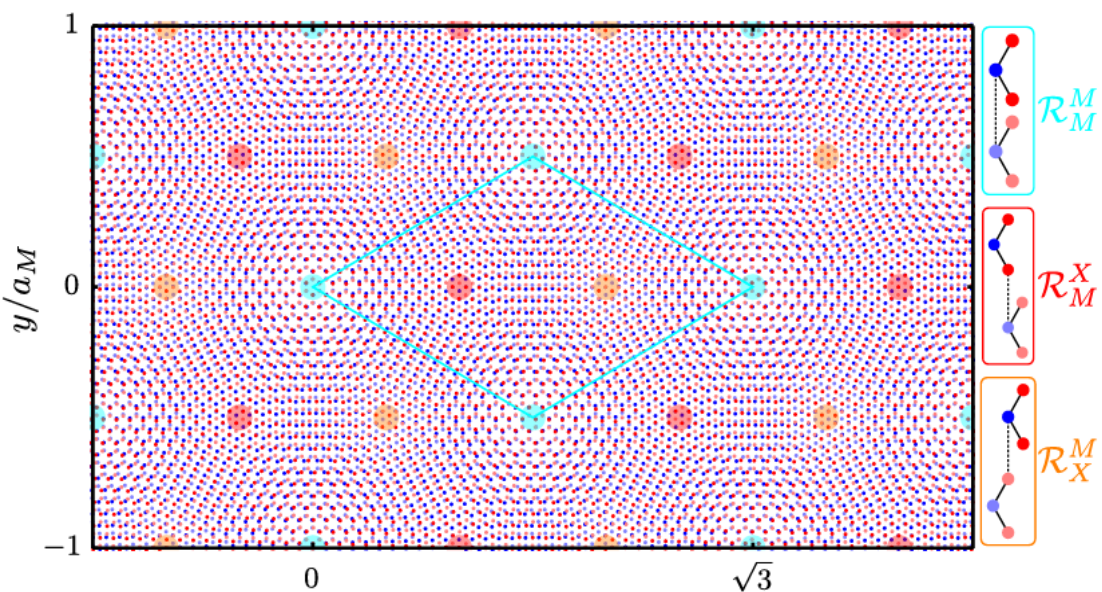
cuprates

- Generally complex
- Not easily tunable
- Difficult in Modeling



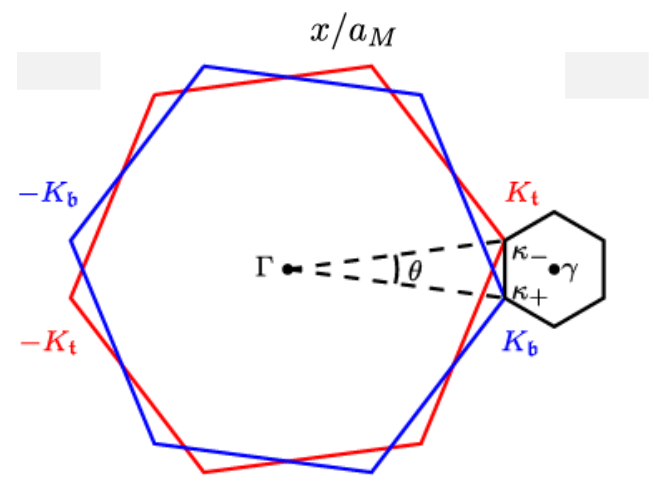
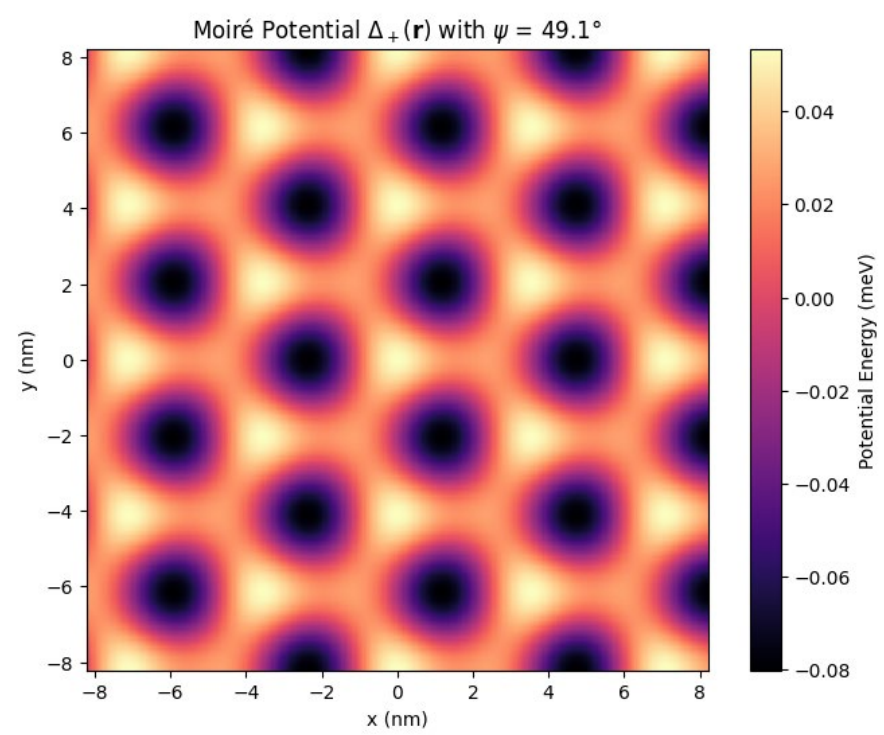
Hubbard Model

- Simple interaction on lattice
- Capture essential physics
- Rich but hard to solve



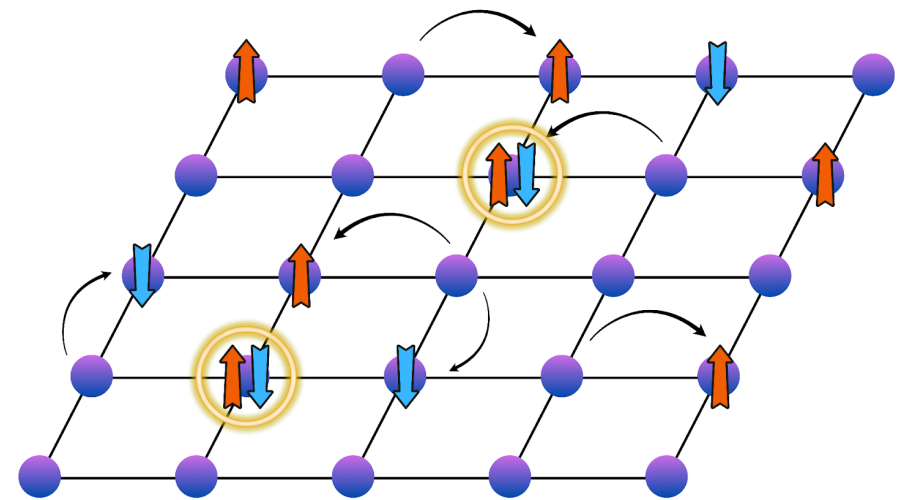
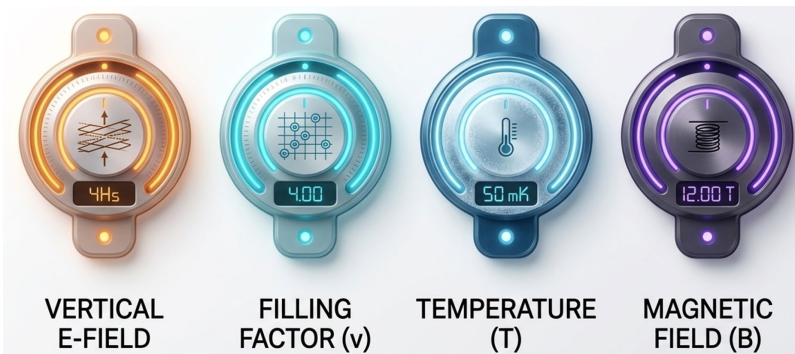
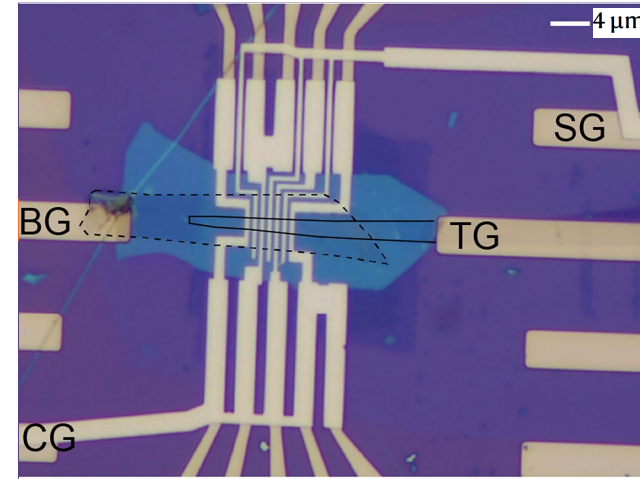
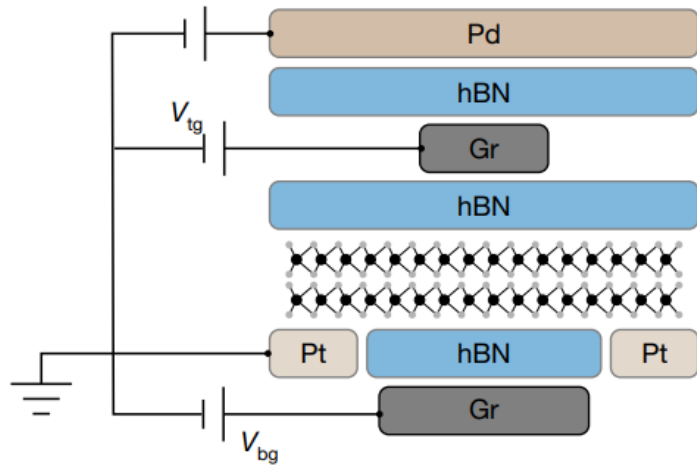
- The twist angle (θ) determines the size of the moiré unit cell.

$$\Delta_{\pm}(\mathbf{r}) = 2V \sum_{j=1,3,5} \cos(\mathbf{b}_j \cdot \mathbf{r} \pm \psi)$$

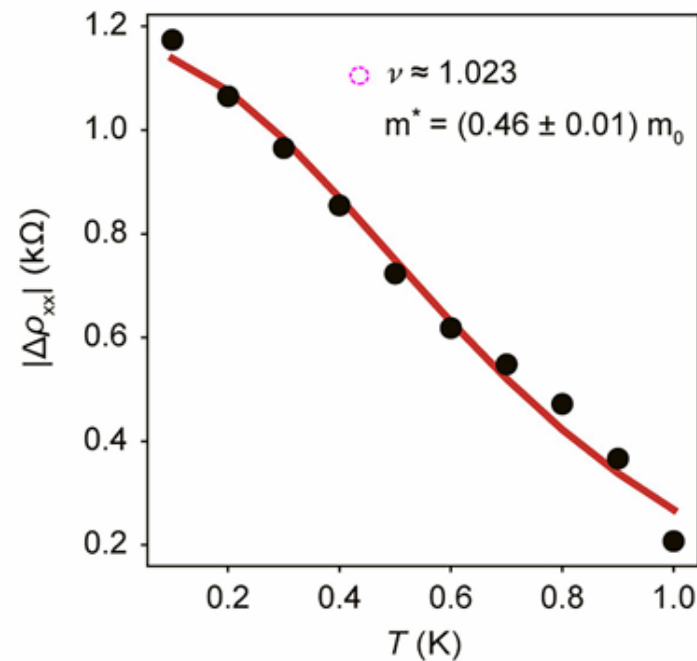
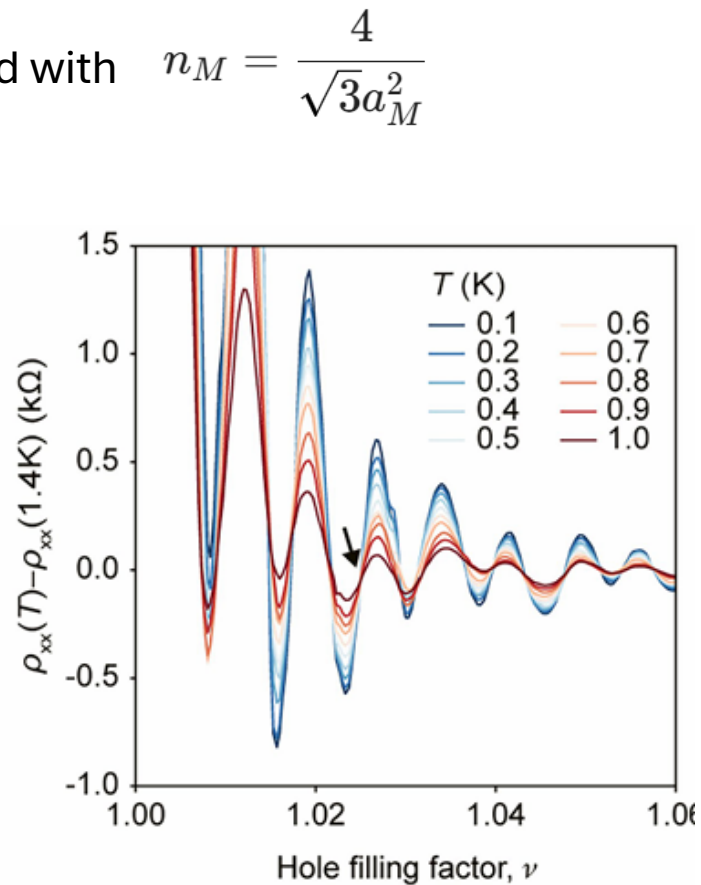
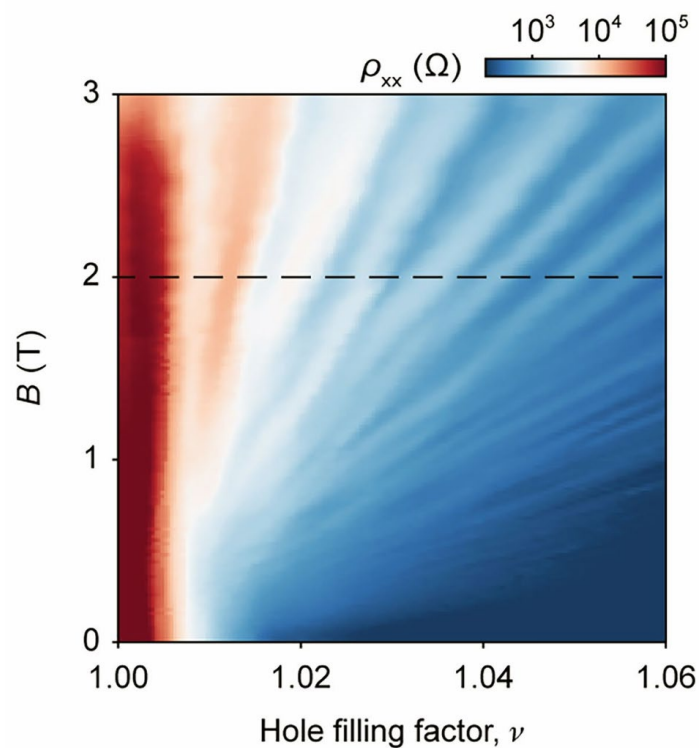


H. Pan et al., Phys. Rev. Research **2**, 033087 (2020)

Device structure



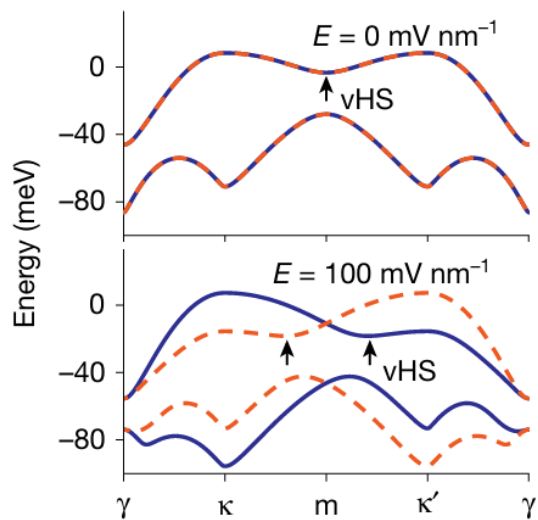
The moiré density can be calculated with $n_M = \frac{4}{\sqrt{3}a_M^2}$



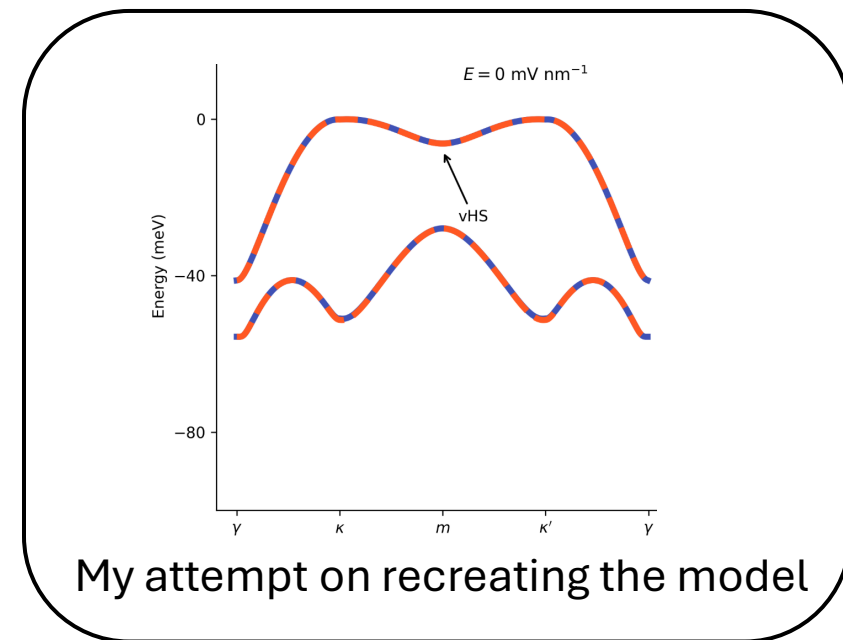
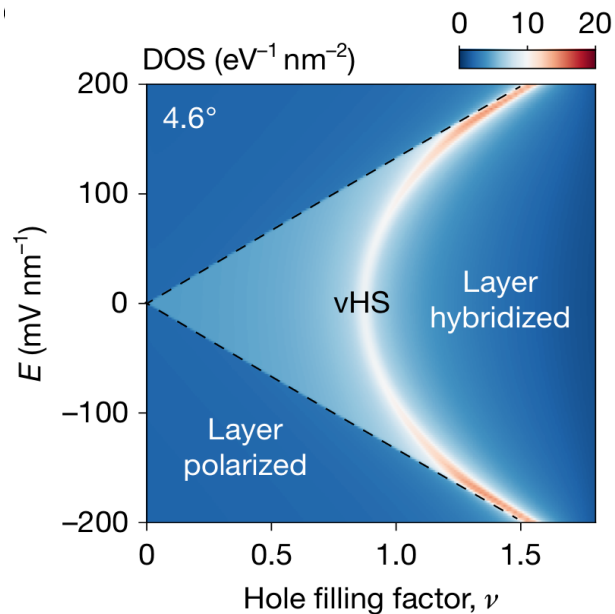
Lifshitz-Kosevich (LK) formula

$$\lambda(T) = \frac{2\pi^2 k_B T m^*}{\hbar e B}$$

Continuum Model calculations



Topmost moiré valence bands

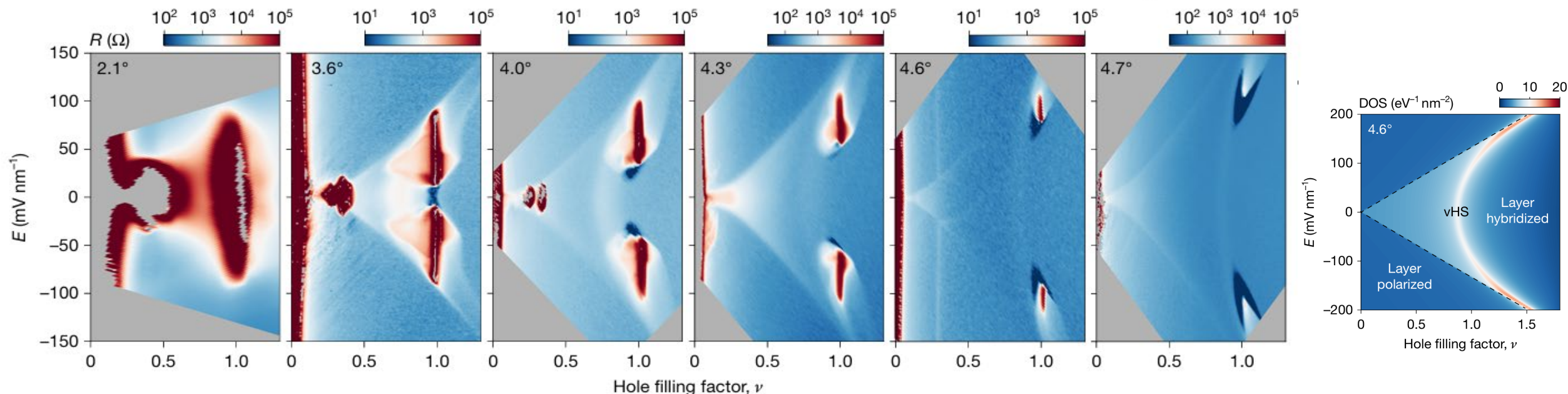


My attempt on recreating the model

$$H_{\uparrow} = \begin{pmatrix} -\frac{\hbar^2(\mathbf{k}-\boldsymbol{\kappa}_+)^2}{2m^*} + \Delta_t(\mathbf{r}) & \Delta_T(\mathbf{r}) \\ \Delta_T^\dagger(\mathbf{r}) & -\frac{\hbar^2(\mathbf{k}-\boldsymbol{\kappa}_-)^2}{2m^*} + \Delta_b(\mathbf{r}) \end{pmatrix}$$

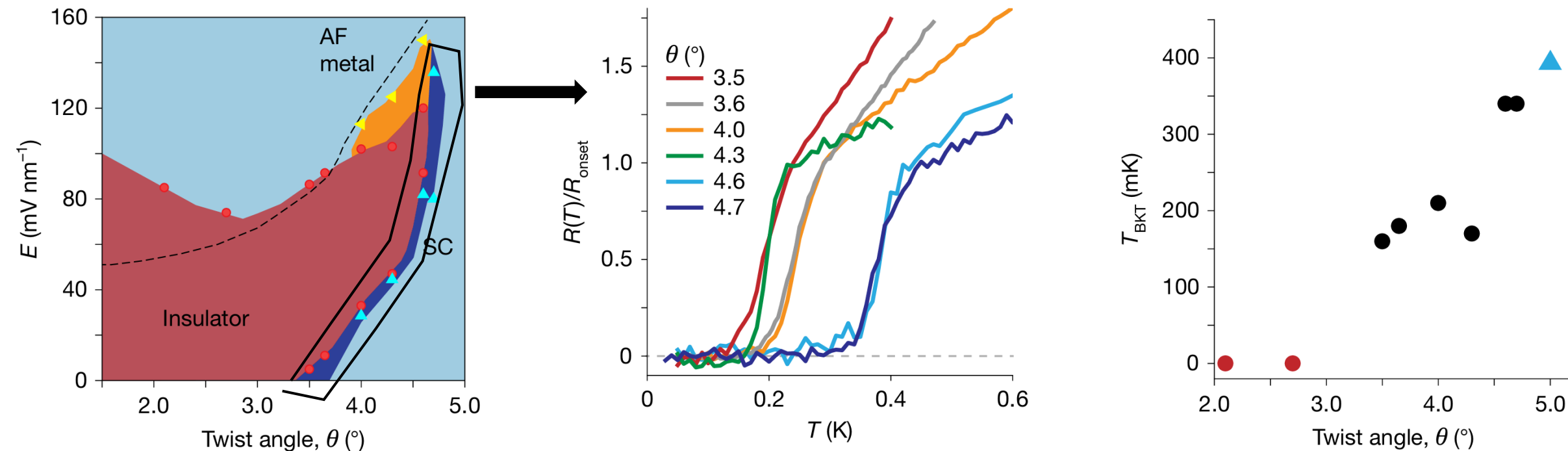
$$\Delta_T(\mathbf{r}) = w(1 + e^{-i\mathbf{g}_2 \cdot \mathbf{r}} + e^{-i\mathbf{g}_3 \cdot \mathbf{r}})$$

Resistance Measured as a function of Twist angle



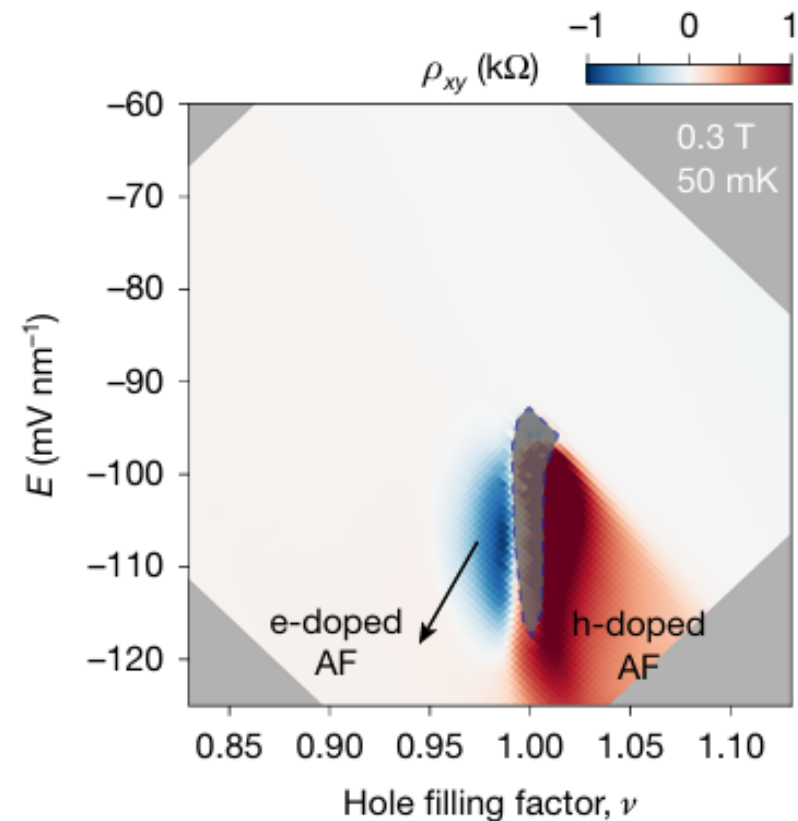
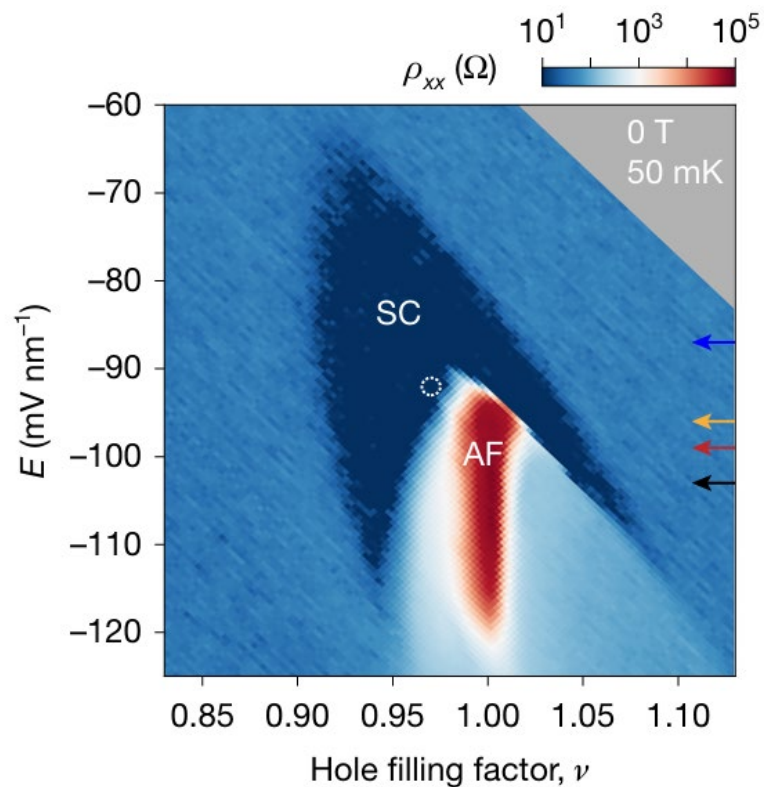
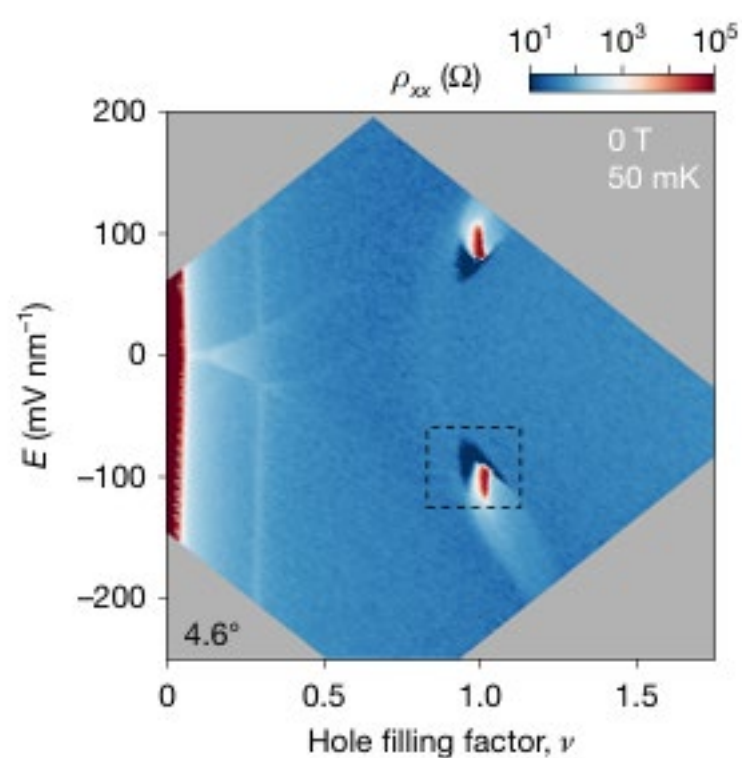
- Qualitatively agree with the DOS map (Insulated states)
- As the twist angle increases, the correlated insulators gradually melt (correlation effects weaken as the moiré period decreases)
- the most robust superconducting state always appears right next to the ‘melting point’ of the $\nu = 1$ insulator

Phase diagram and temperature dependence of superconductivity

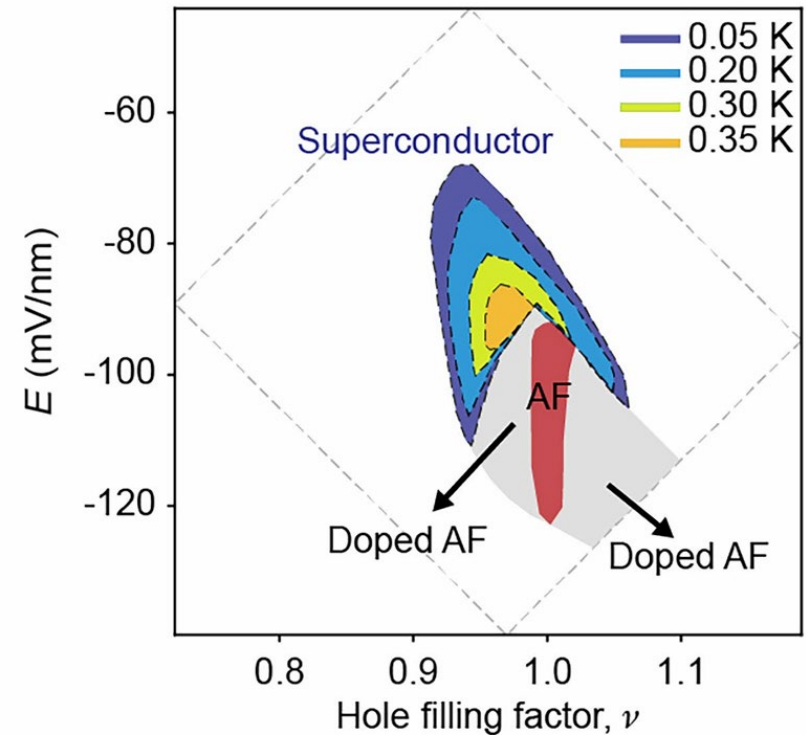
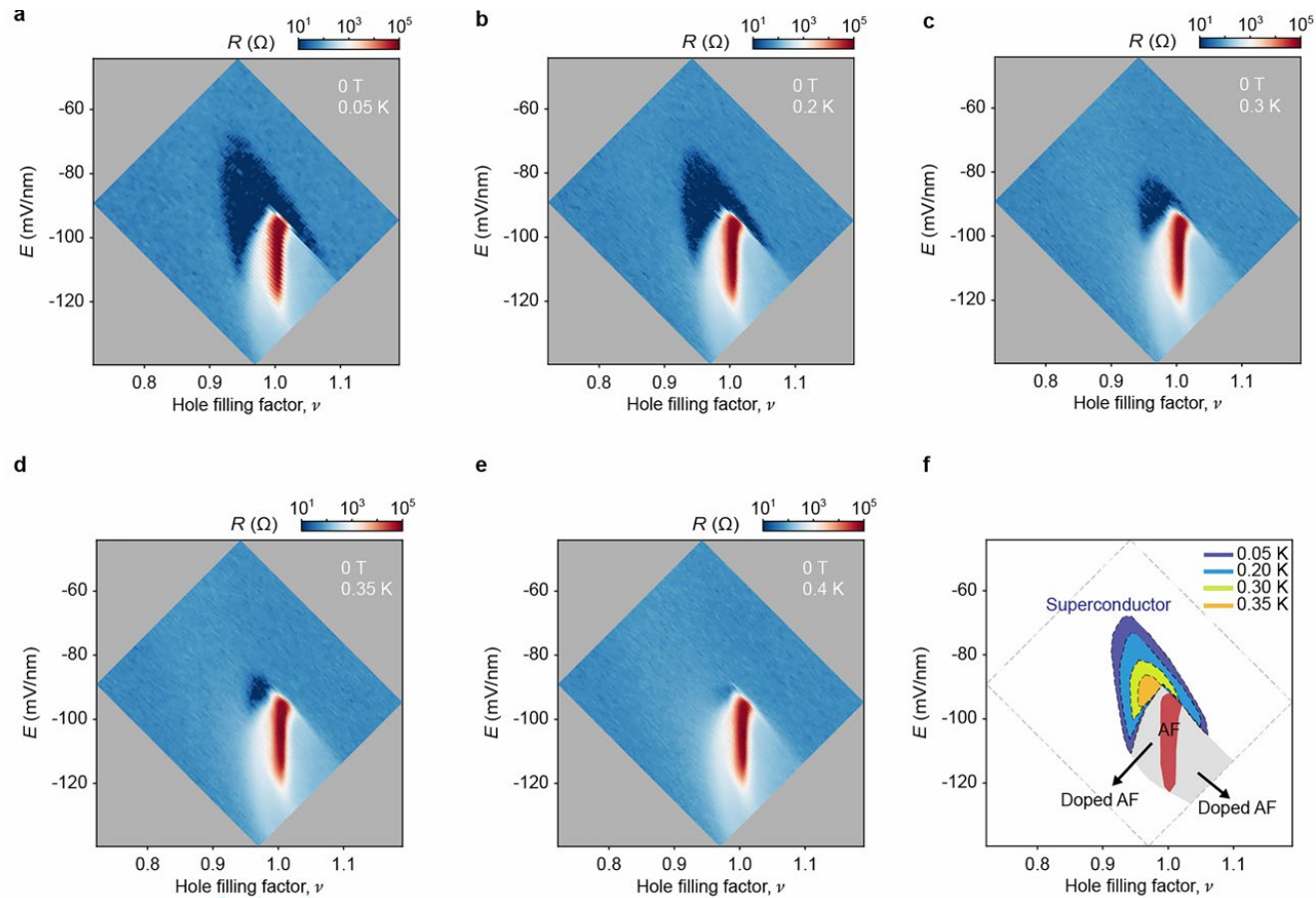


- Phase diagram at hole filling factor = 1
- SC is next to insulating region.
- BKT- temperature increases with twist angle.

Anti ferromagnetic phase

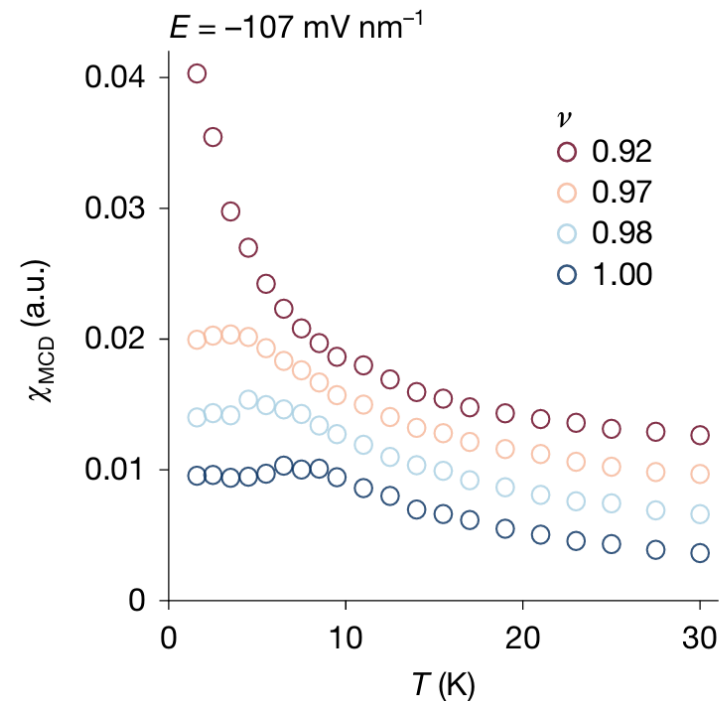
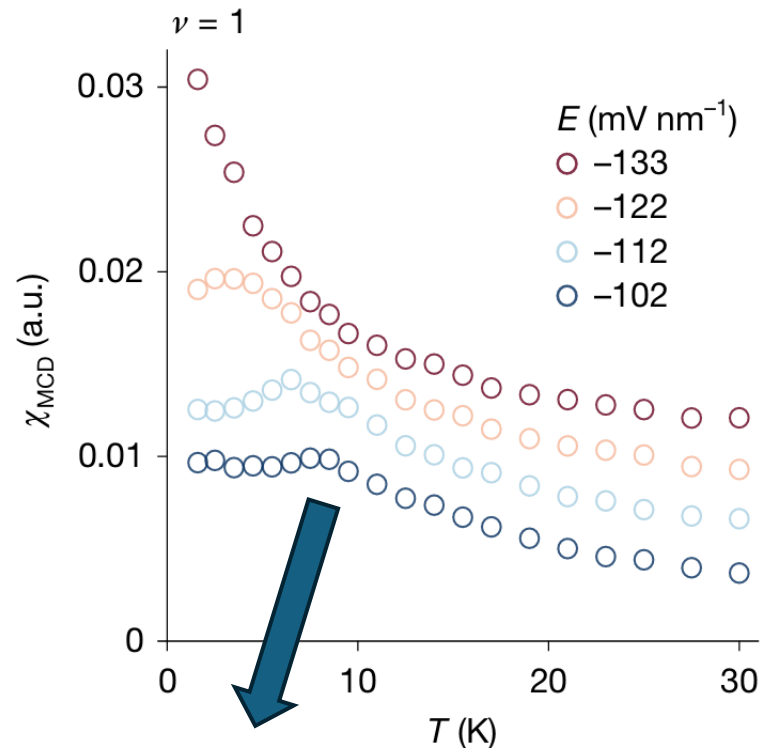
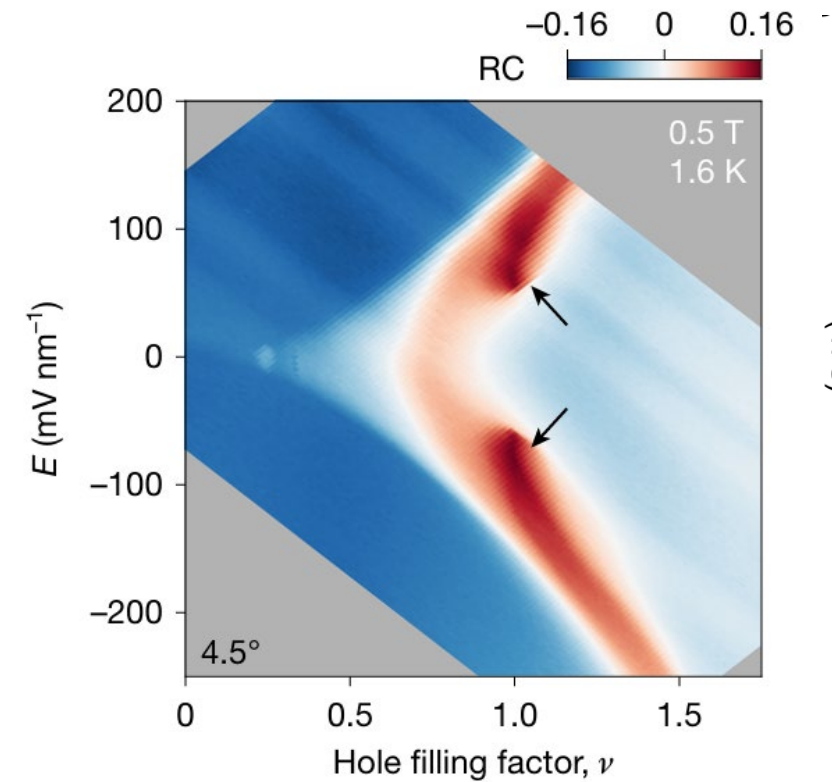


Anti ferromagnetic phase – Temperature dependence



The superconductor is most robust near its boundary with the insulator
0.4 K - T_c

Anti ferromagnetic phase – Confirmation with magnetic circular dichroism



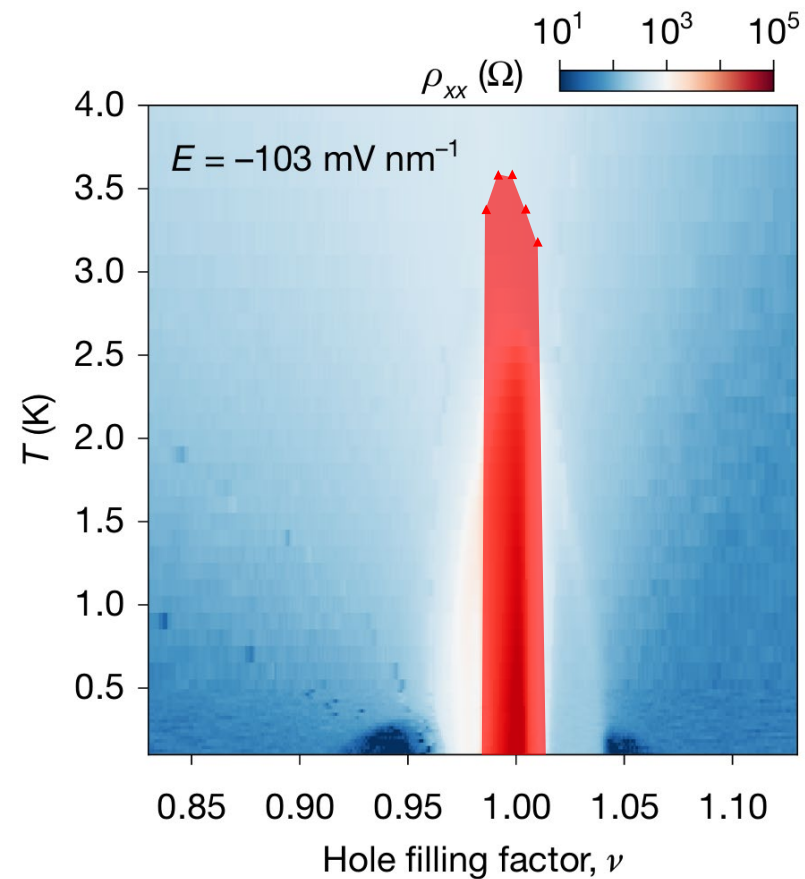
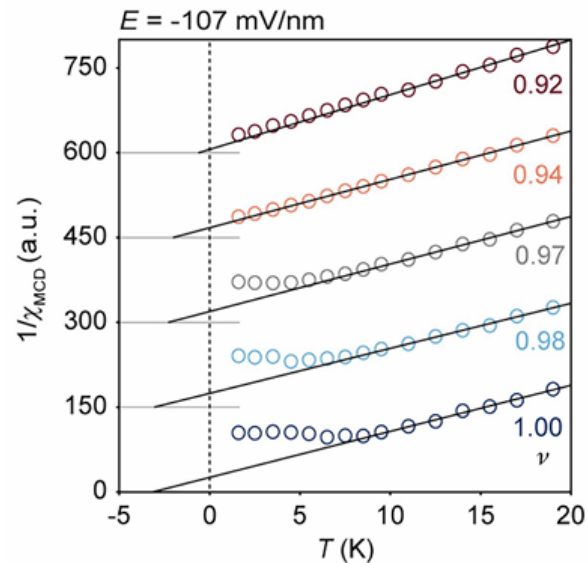
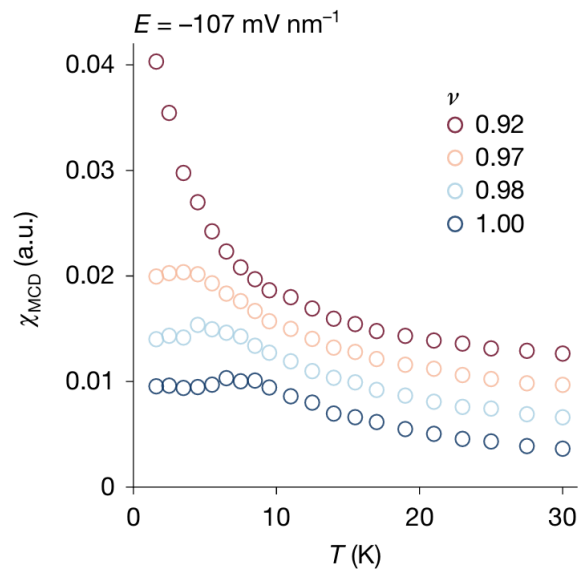
$$MCD = \frac{I_{RCP} - I_{LCP}}{I_{RCP} + I_{LCP}}$$

$$\chi \approx \frac{d(MCD)}{dB}$$

T_N

2D anisotropic XXZ model predicts this

Anti ferromagnetic phase – Finding T_N

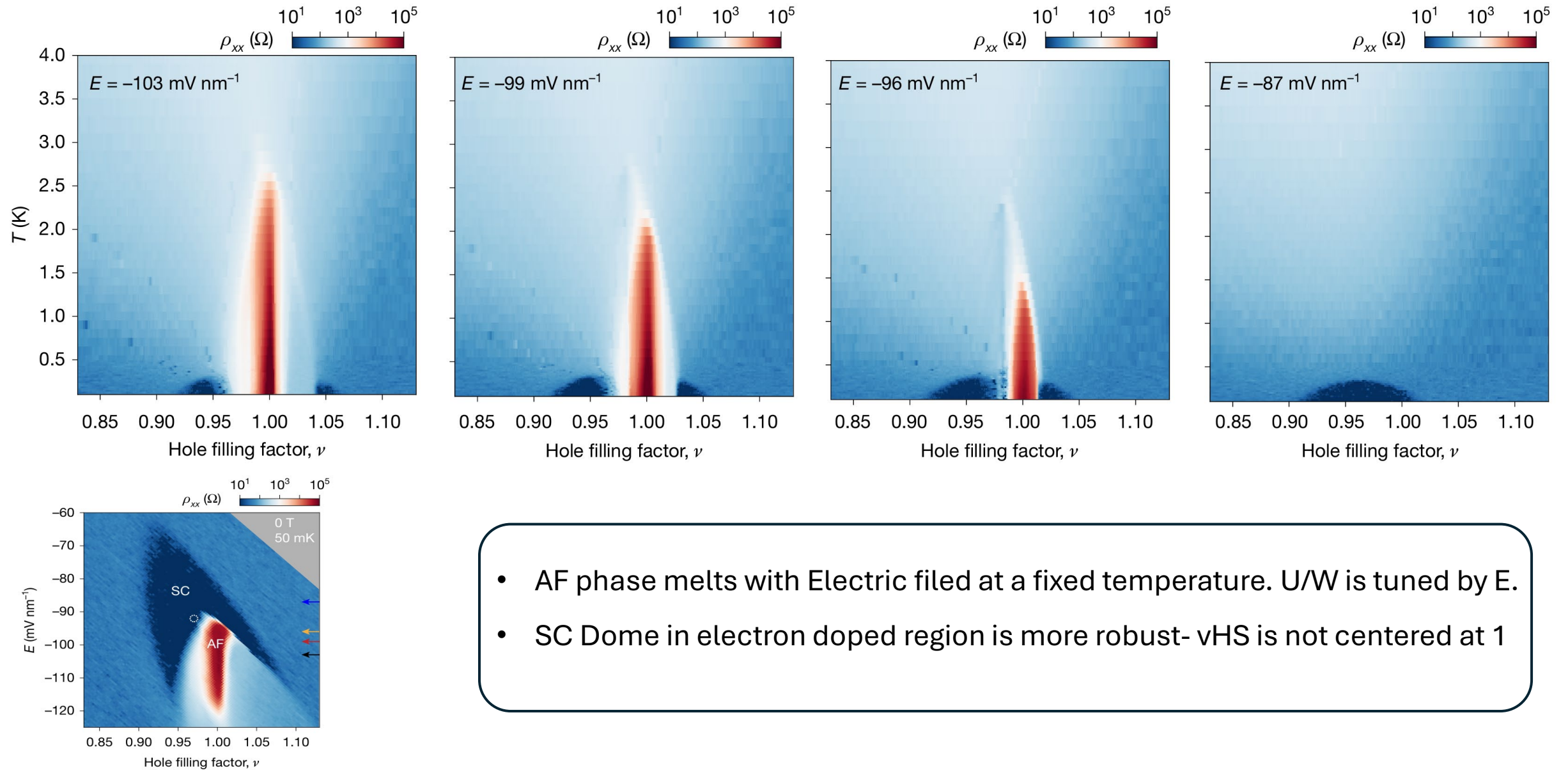


$$\chi = \frac{C}{T - \Theta}$$

$$\frac{1}{\chi} = \frac{1}{C}(T - \Theta)$$

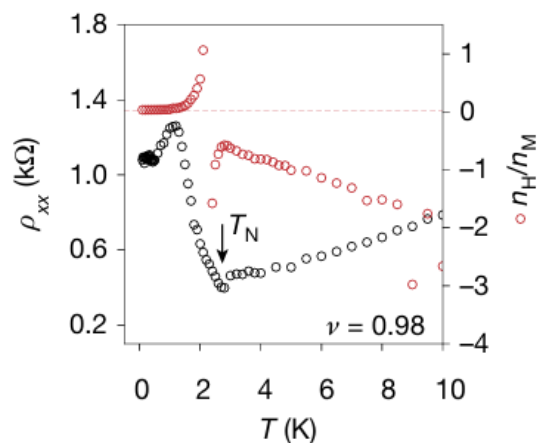
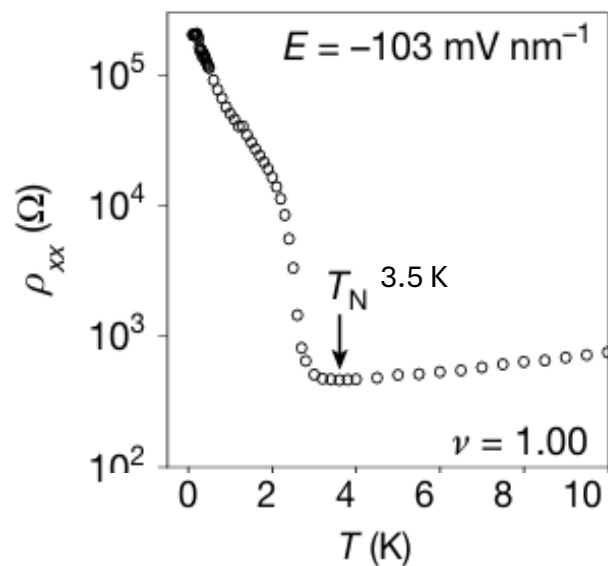
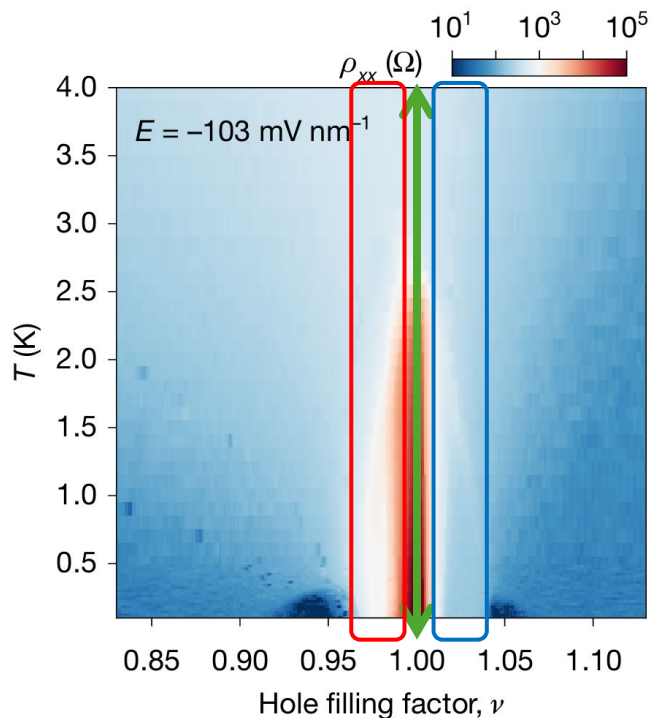
- x- intercept tells how strong the exchange interaction is.
- More negative means strong AF coupling

More interesting phases

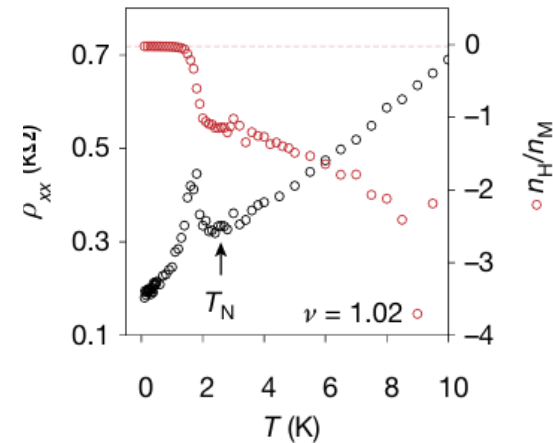


- AF phase melts with Electric field at a fixed temperature. U/W is tuned by E.
- SC Dome in electron doped region is more robust- vHS is not centered at 1

More interesting phases – 1. Strange Metal Phase



e- doped



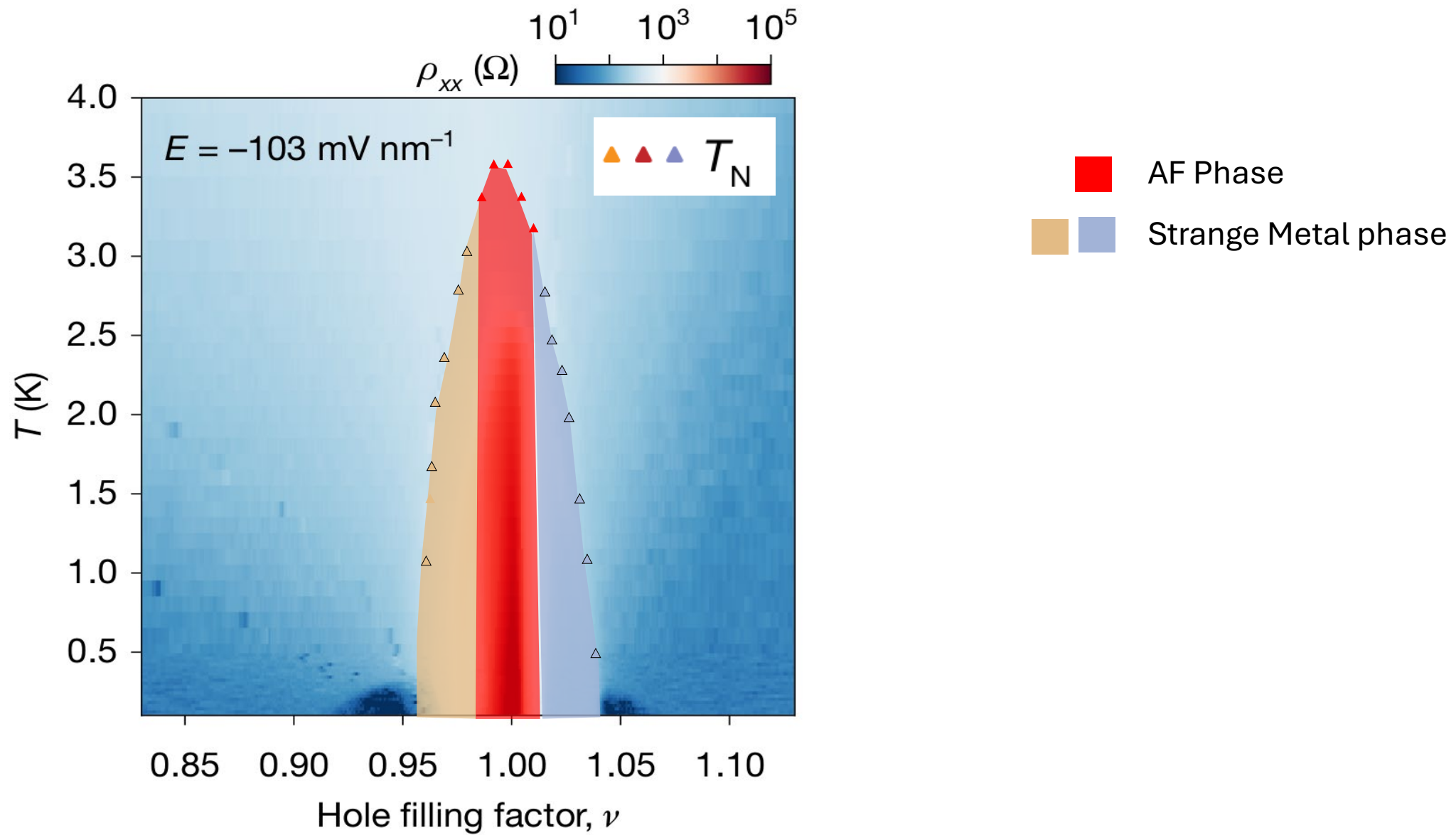
h- doped

$T_N = 3.5 \text{ K } (\nu = 1)$
 T_N goes down with doping

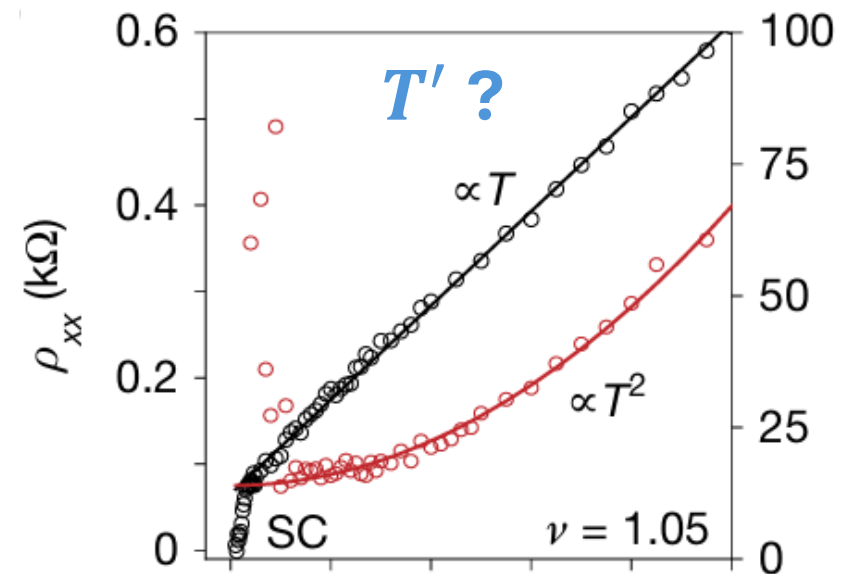
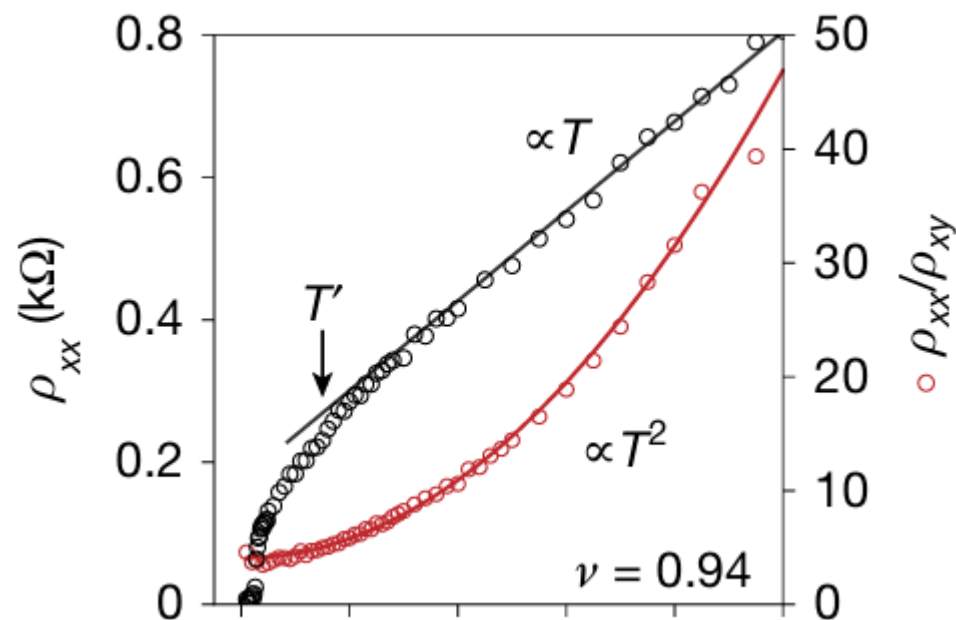
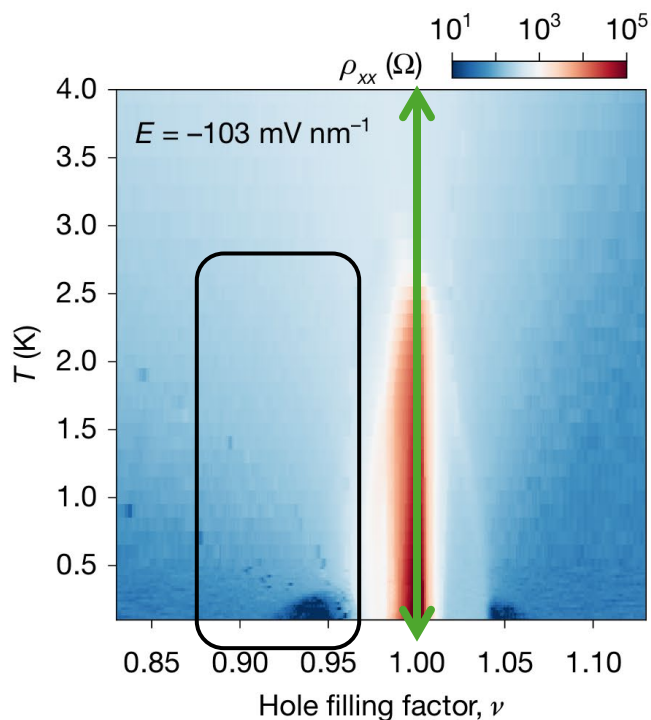
Above T_N linear behavior -> doped phases are metallic
 Abrupt jump in the Hall density (n_H) - Fermi surface reconstruction

T. R. Chien et al., Phys. Rev. Lett. **67**, 2088,(1991)

Strange Metal Phase– in phase diagram



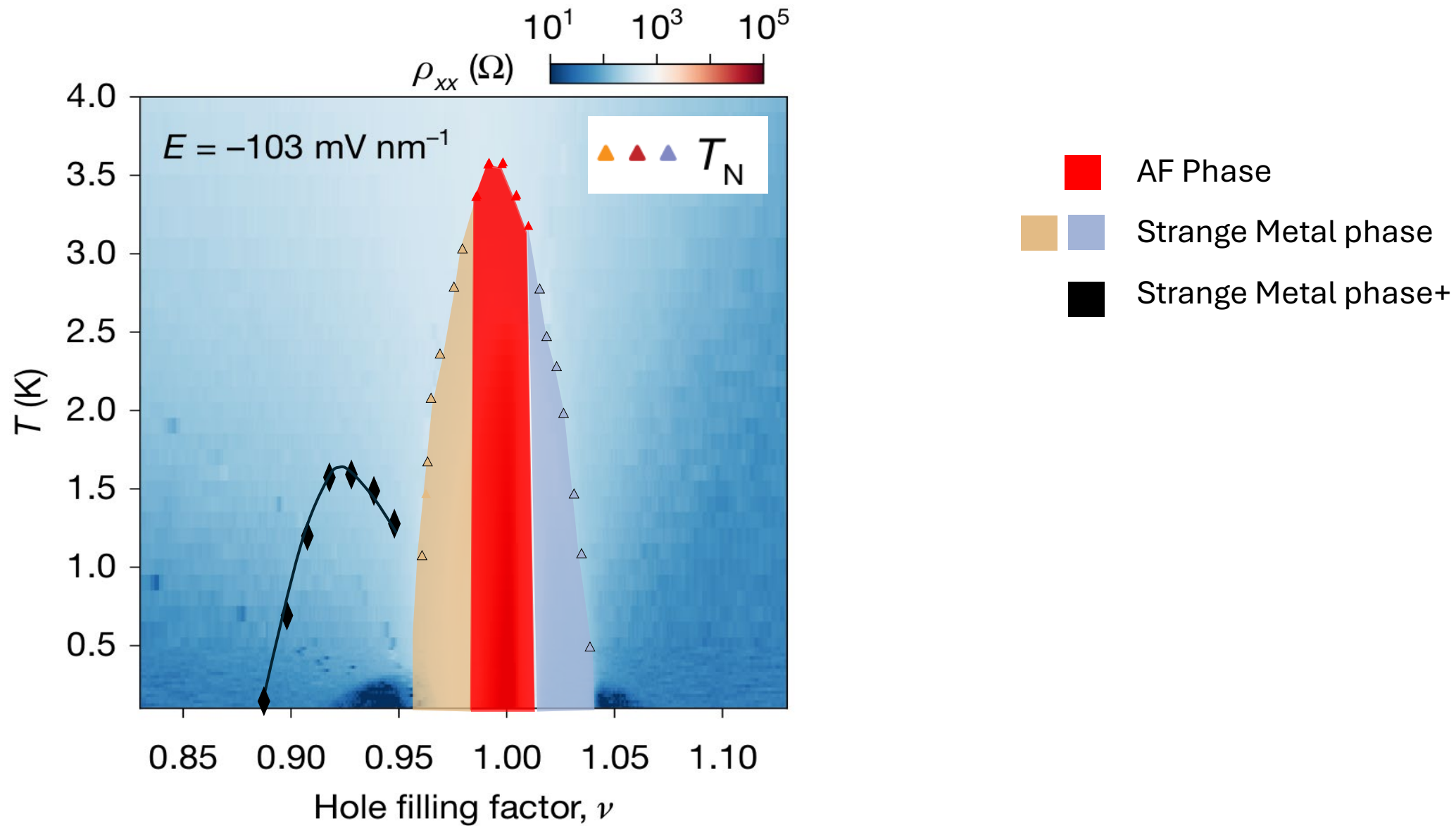
More interesting phases – 2. Strange Metal +



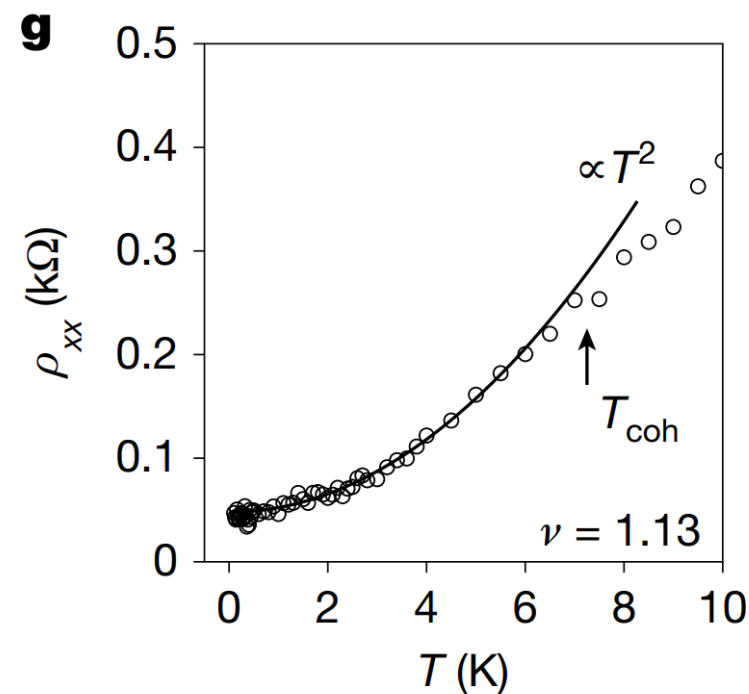
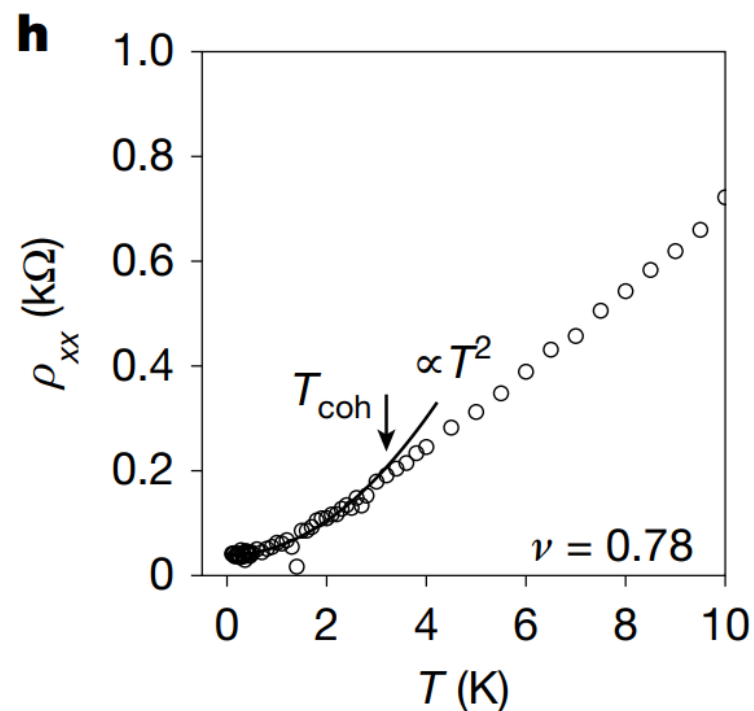
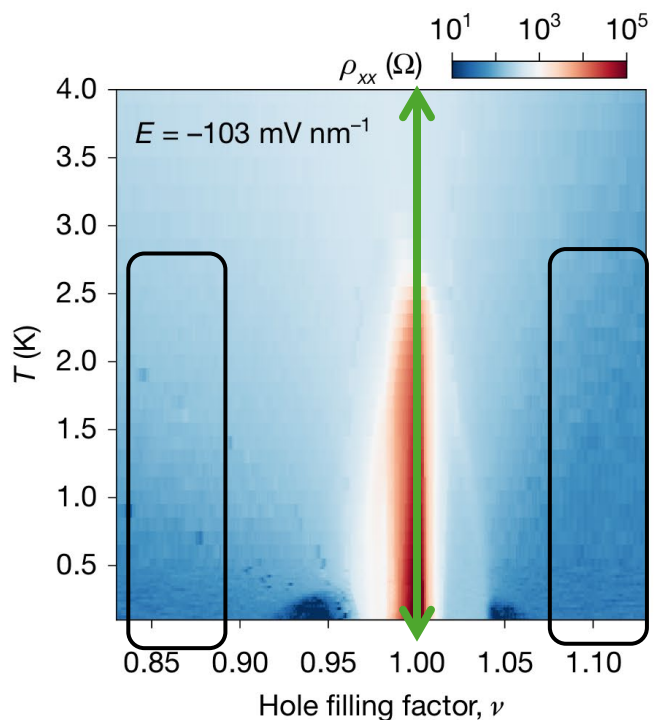
crossover temperature (T') - T above which, ρ_{xx} deviates from the linear dependence by 10%

For e- doped region T' clearly identified. But for h-doped region T' couldn't identify.

Strange Metal Phase+ – in phase diagram



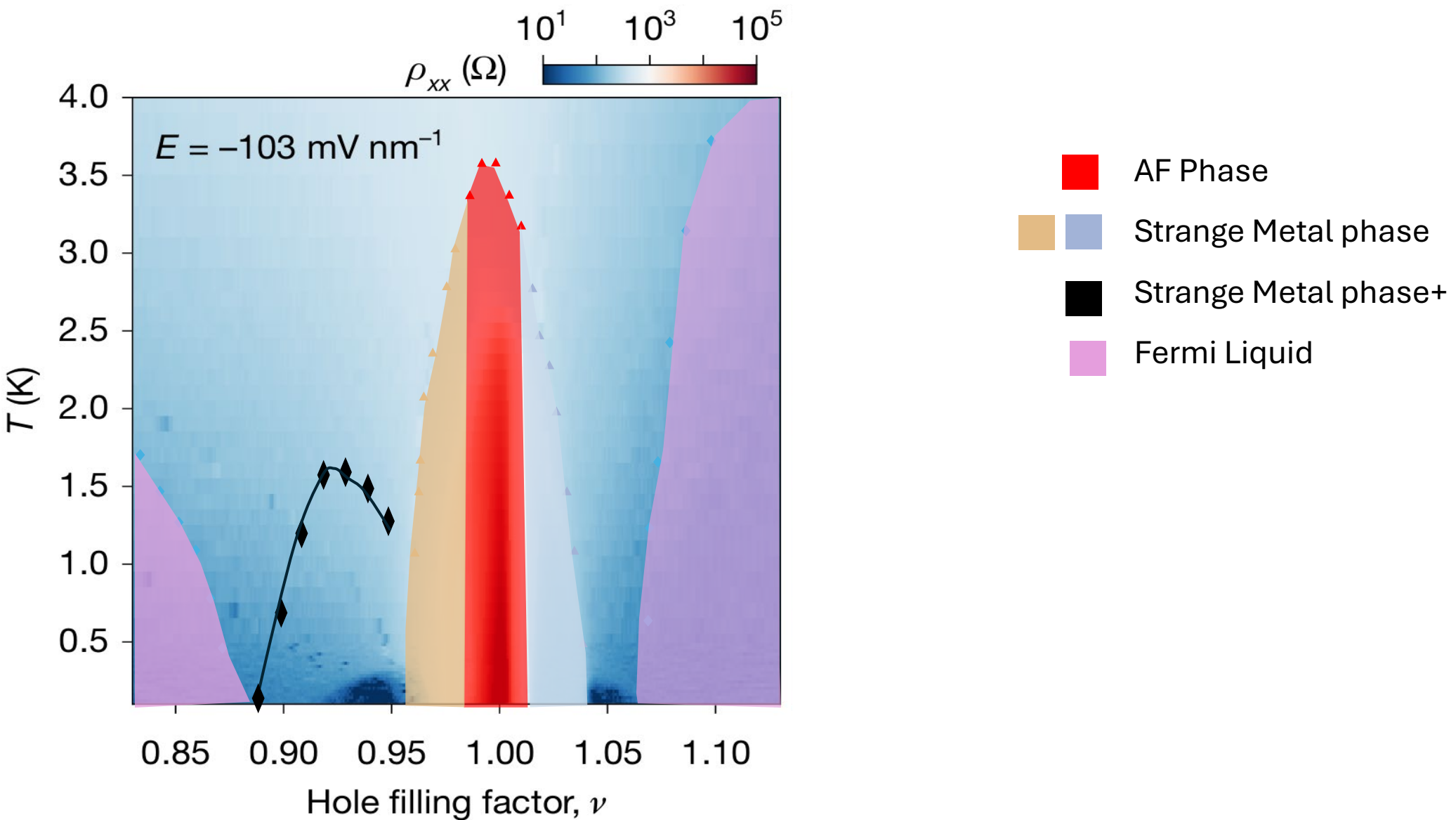
More interesting phases – 3. Fermi liquid



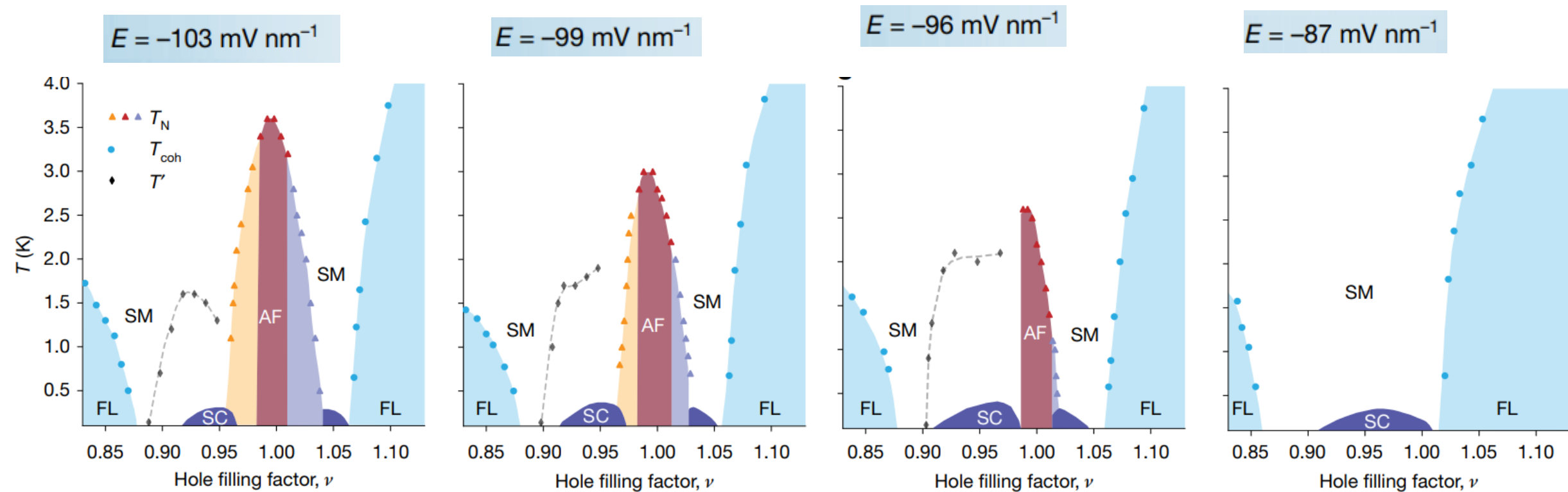
$$\rho_{xx} = \rho_0 + AT^2$$

coherence temperature (T_{coh}) - T above which, ρ_{xx} deviates from the linear dependence by 10%

For e- doped region T' clearly identified. But for h-doped region T' couldn't identify.

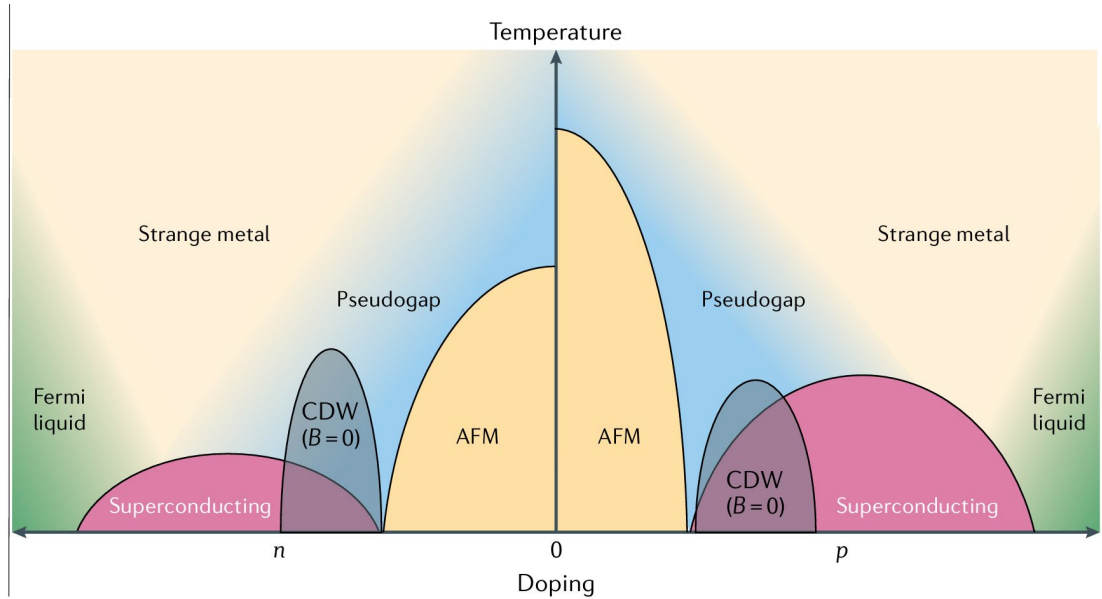


Phase diagram for different Electric field



Twisted WSe₂ isn't just a material; it's a tunable laboratory

This system looks exactly like a "miniature version" of high temperature superconductors.



X. Zhou et al., Nat Rev Phys 3, 462–465 (2021)

Thankyou

