

Valley Splitting Correlations Across a Silicon Quantum Well

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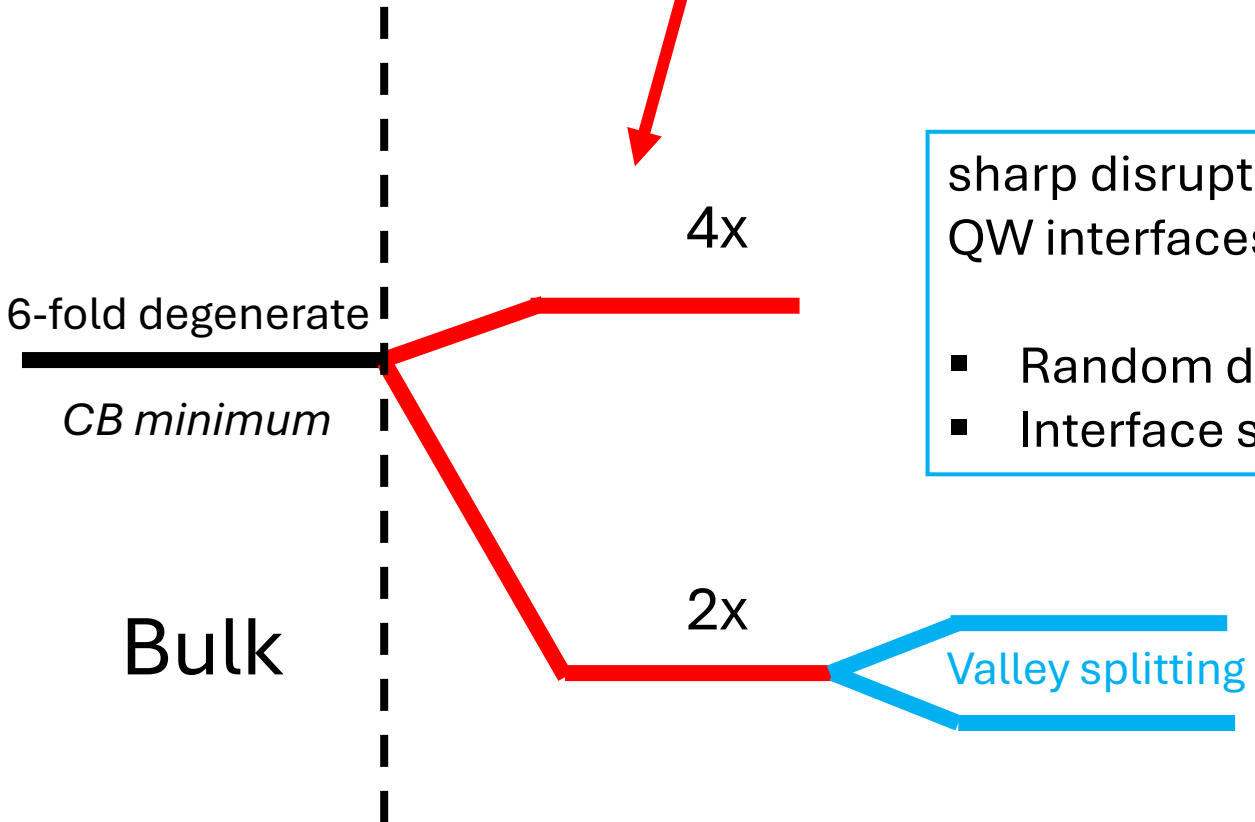
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Quantum dots in SiGe/Si/SiGe heterostructures host coherent electron spin qubits, which are promising for future quantum computers. The silicon quantum well hosts near-degenerate electron valley states, creating a low-lying excited state that is known to reduce spin qubit readout and control fidelity. The valley energy splitting is dominated by the microscopic disorder in the SiGe alloy and at the Si/SiGe interfaces, and while Si devices are compatible with large-scale semiconductor manufacturing, achieving a uniformly large valley splitting energy across a many-qubit device spanning mesoscopic distances is an outstanding challenge. In this work we study valley splitting variations in a 1D quantum dot array manufactured by Intel. We observe correlations in valley splitting, at both sub-100 nm (single gate) and $> 1 \mu\text{m}$ (device) lengthscales, that are consistent with alloy disorder-dominated theory and simulation. Our results develop the mesoscopic understanding of Si/SiGe heterostructures necessary for scalable device design.

Valleys: INTRO

Energy ↑



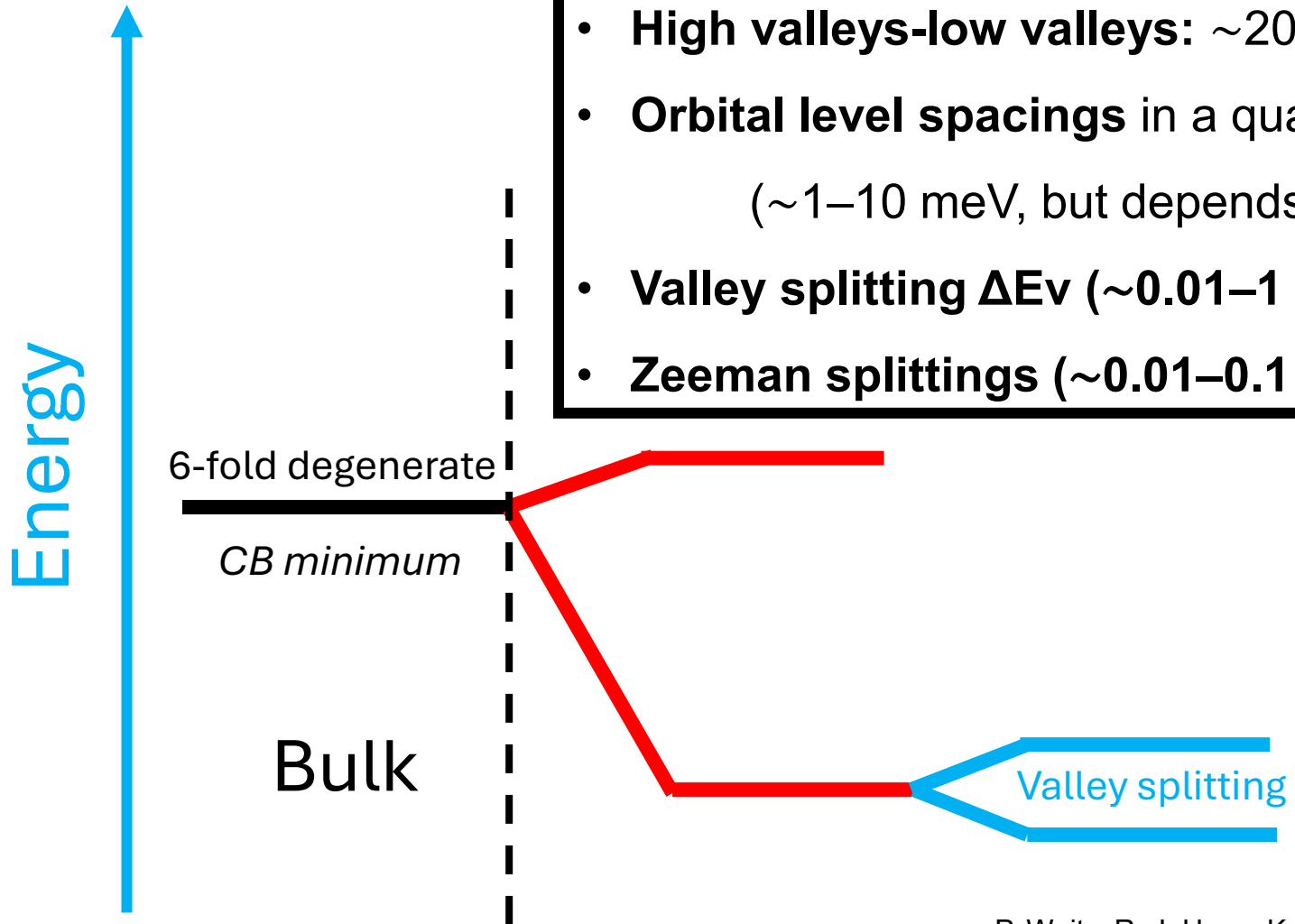
Tensile strain and spatial quantization:

- Lattice mismatch of Si with SiGe
- Vertical electric field + mass anisotropy in Si/SiO₂

sharp disruptions of the periodic crystal potential at the QW interfaces:

- Random distribution of Ge atoms in SiGe
- Interface sharpness & disorder of Si/SiO₂ interface

Valleys: INTRO

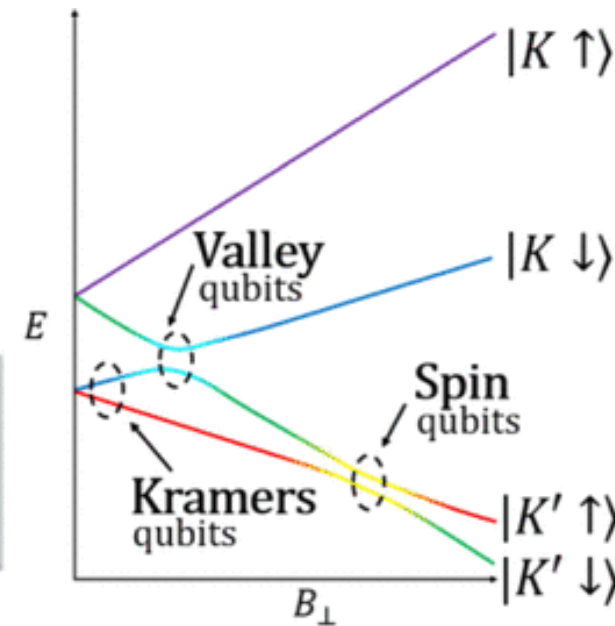
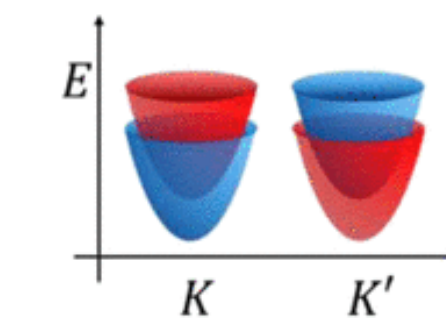
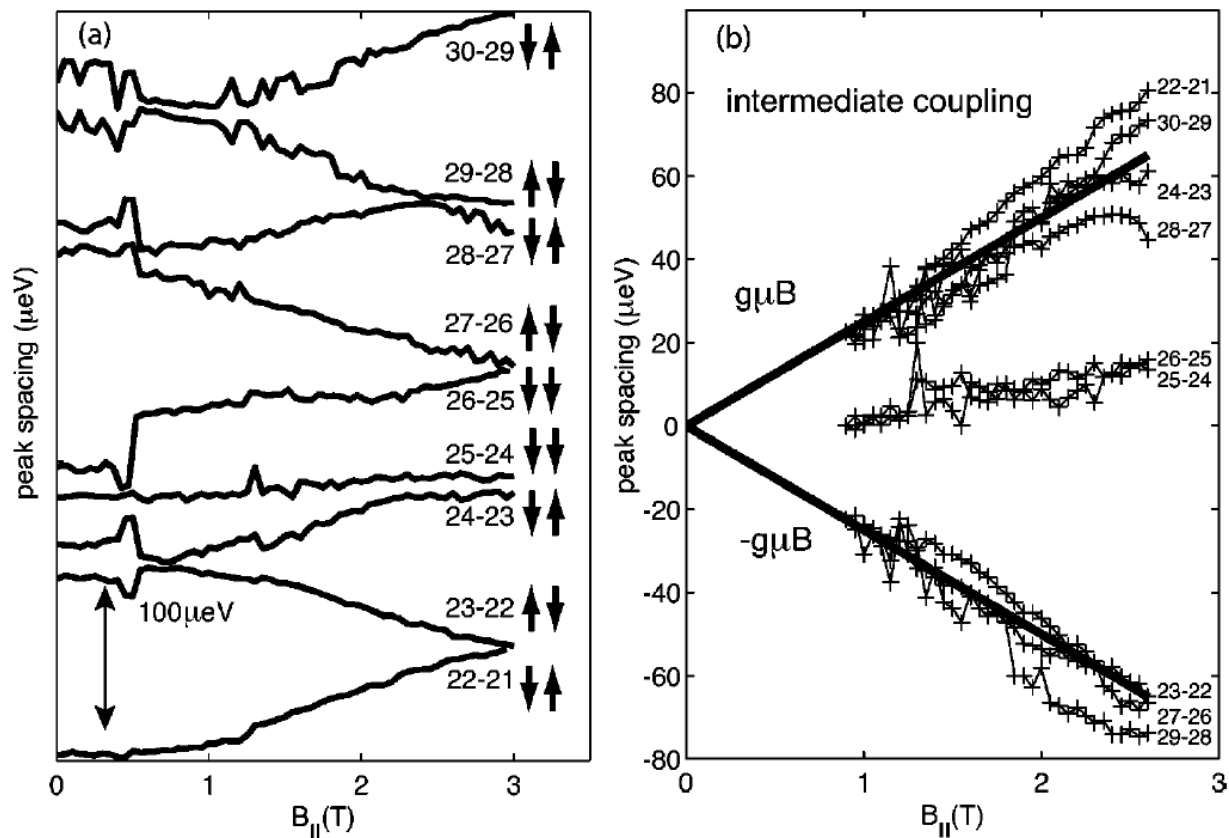


- **High valleys-low valleys:** $\sim 20\text{--}200$ meV (Si/SiGe), $20\text{--}40$ meV (Si-MOS)
- **Orbital level spacings** in a quantum dot
($\sim 1\text{--}10$ meV, but depends on dot size)
- **Valley splitting ΔE_v** ($\sim 0.01\text{--}1$ meV)
- **Zeeman splittings** ($\sim 0.01\text{--}0.1$ meV at Tesla-scale fields)

P. Weitz, R. J. Haug, K. von Klitzing, and F. Schäffler, Surf. Sci. 361/362, 542 (1996).

Valley splitting theory of SiGe/Si/SiGe quantum wells
Mark Friesen^{1,*}, Sucismita Chutia¹, Charles Tahan², and S. N. Coppersmith¹ (PRB, 2007)

Magneto spectroscopy of different spin states



Stability of spin states in quantum dots S. Lindemann, T. Ihn, T. Heinzel*, W. Zwerger†, and K. Ensslin K. Maranowski and A. C. Gossard, PRB 2002

Aakash Shandilya, Sundeep Kapila, Radha Krishnan, Bent Weber, and Bhaskaran Muralidharan ACS Applied Nano Materials 2025 8 (30), 14949-14959 DOI: 10.1021/acsnm.5c01655

PHYSICAL REVIEW APPLIED **15**, 044033 (2021)

Detuning Axis Pulsed Spectroscopy of Valley-Orbital States in Si/Si-Ge Quantum Dots

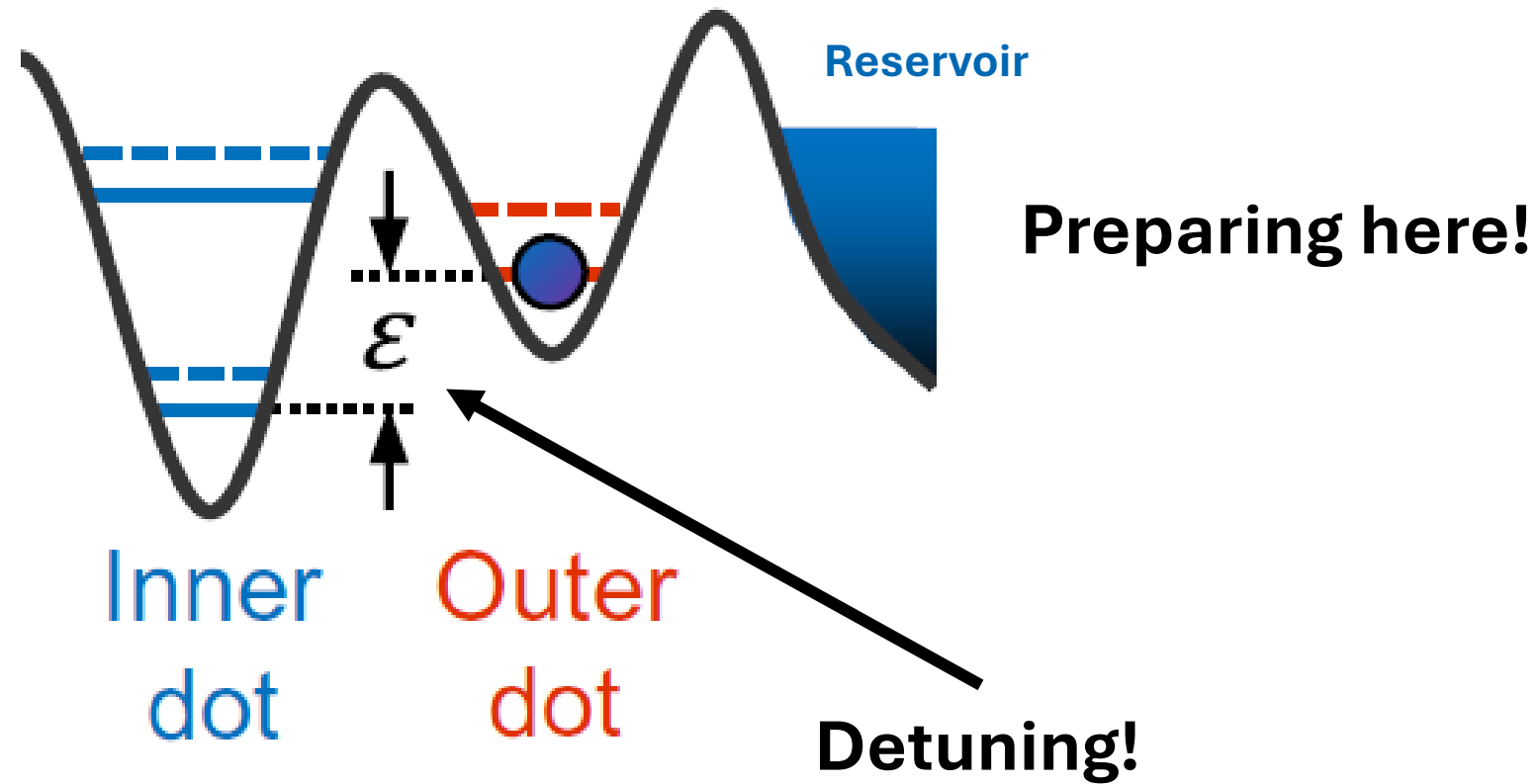
Edward H. Chen^①,[†] Kate Raach^①,^{*} Andrew Pan, Andrey A. Kiselev, Edwin Acuna, Jacob Z. Blumoff, Teresa Brecht, Maxwell D. Choi, Wonill Ha, Daniel R. Hulbert^①, Michael P. Jura, Tyler E. Keating, Ramsey Noah^①, Bo Sun, Bryan J. Thomas, Matthew G. Borselli^①, C.A.C. Jackson, Matthew T. Rakher, and Richard S. Ross

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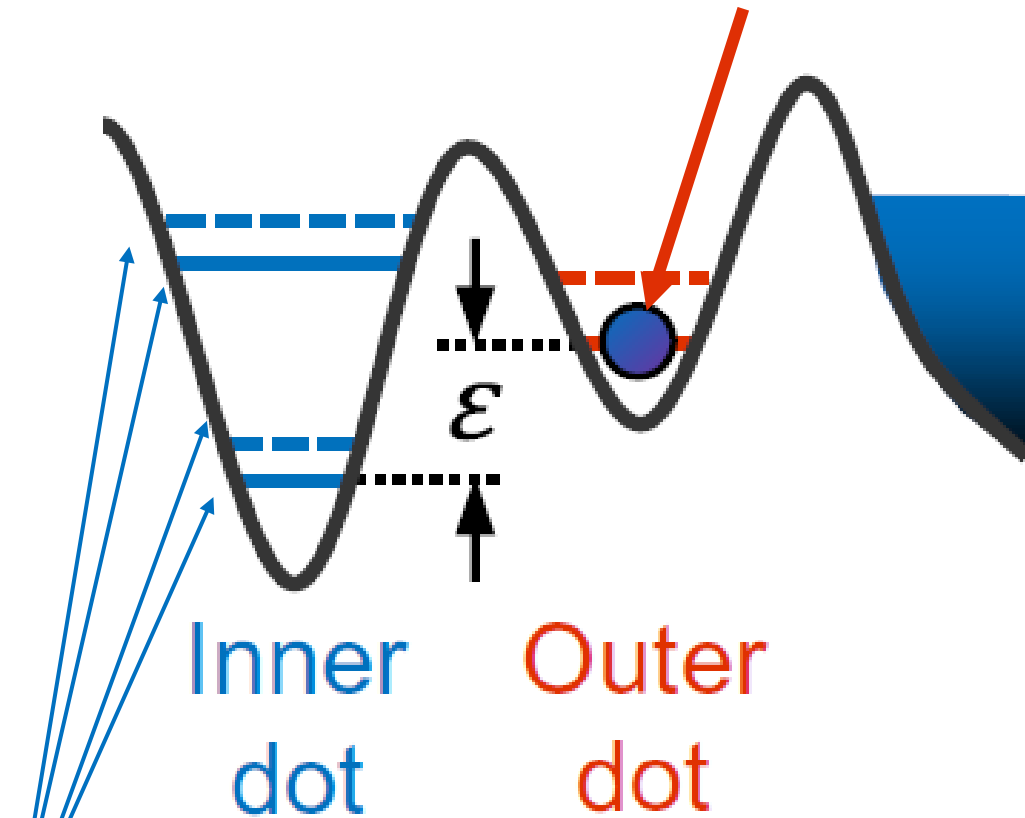


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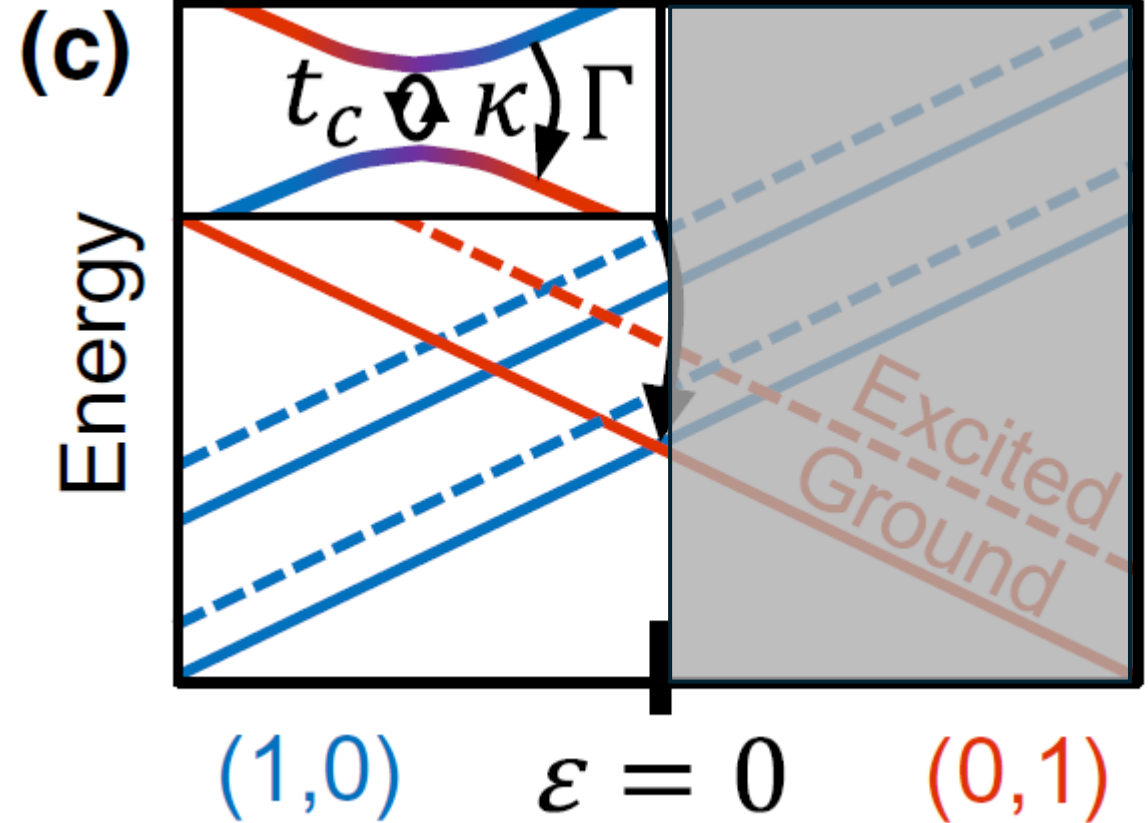
Orbital excitation
(associated) Valley excitation



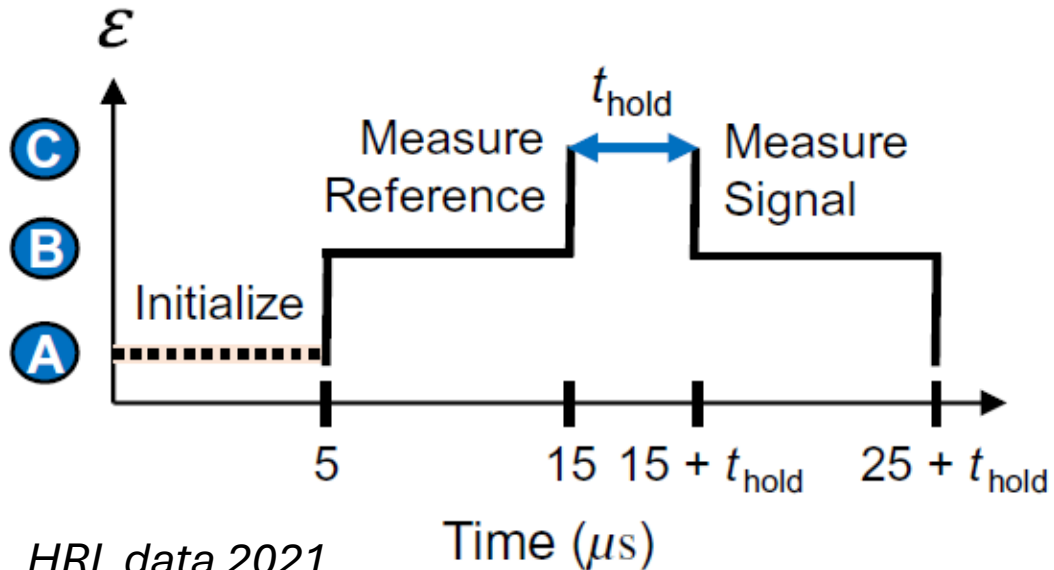
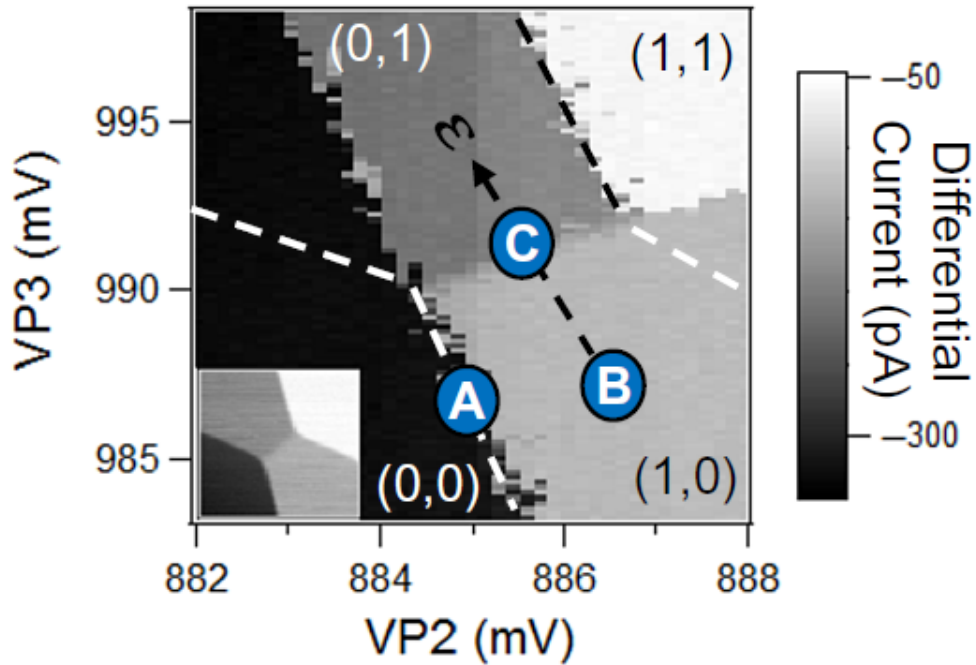
Ground state = reference



Probing these levels!



Working only on one side of detuning



HRL data 2021

A (Re-)loading from the reservoir to the **source** DOT to Ground State

B Pulse to the bulk of (1,0) region
 Charge Sensor: Signal_(1,0)

C { Diabatically going to to some $\epsilon = \dots$
 Hold ...
 Diabatically going back to some $\epsilon = \dots$

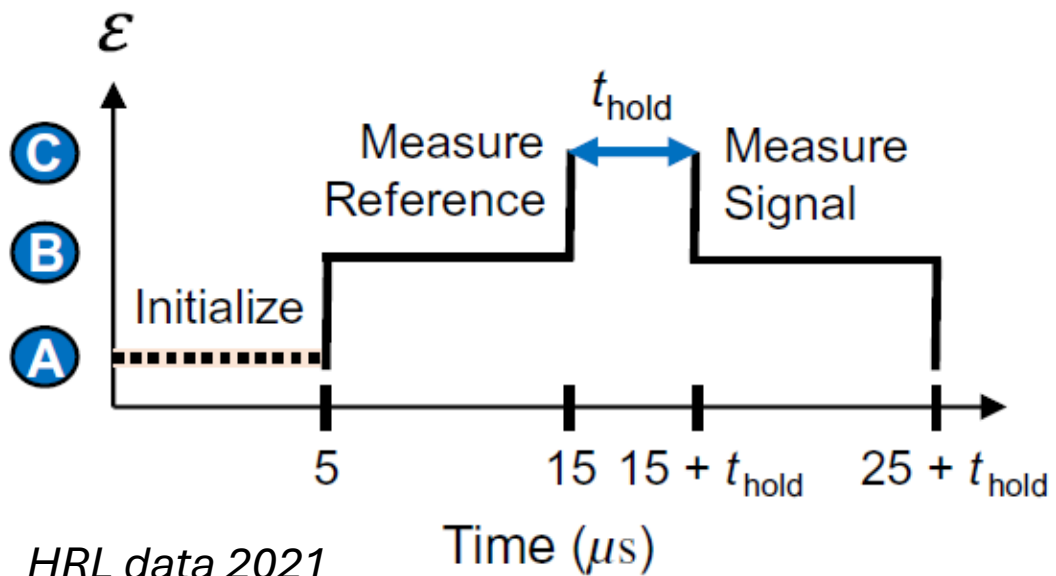
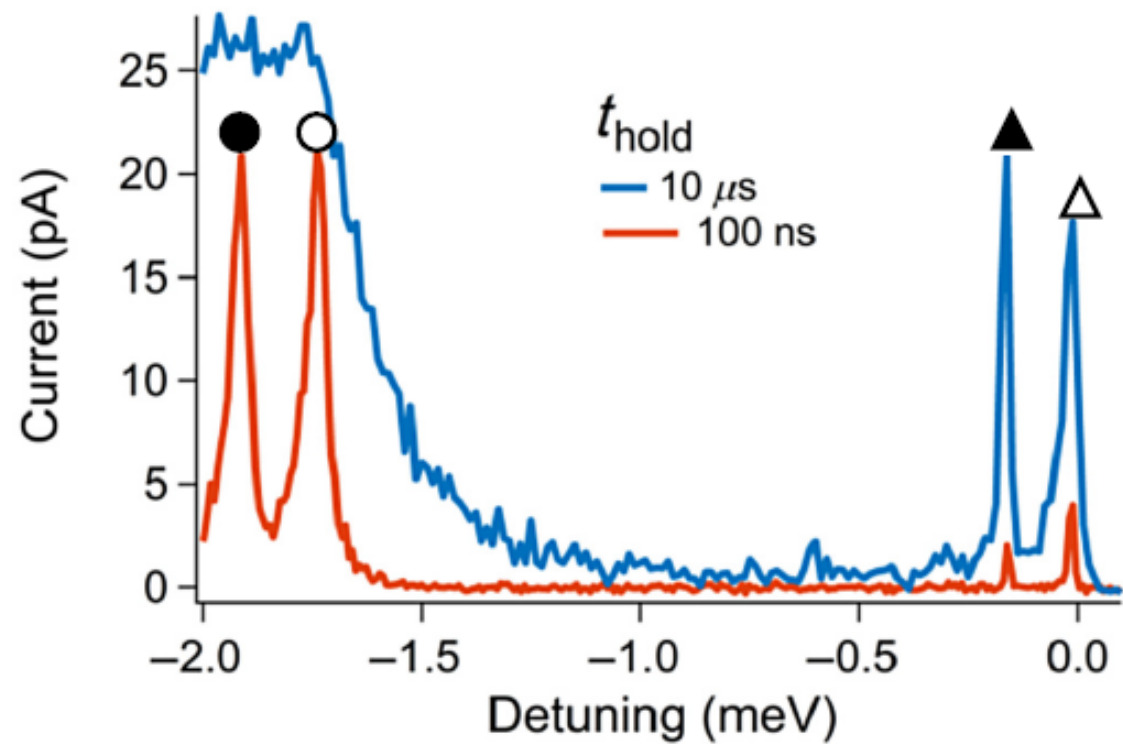
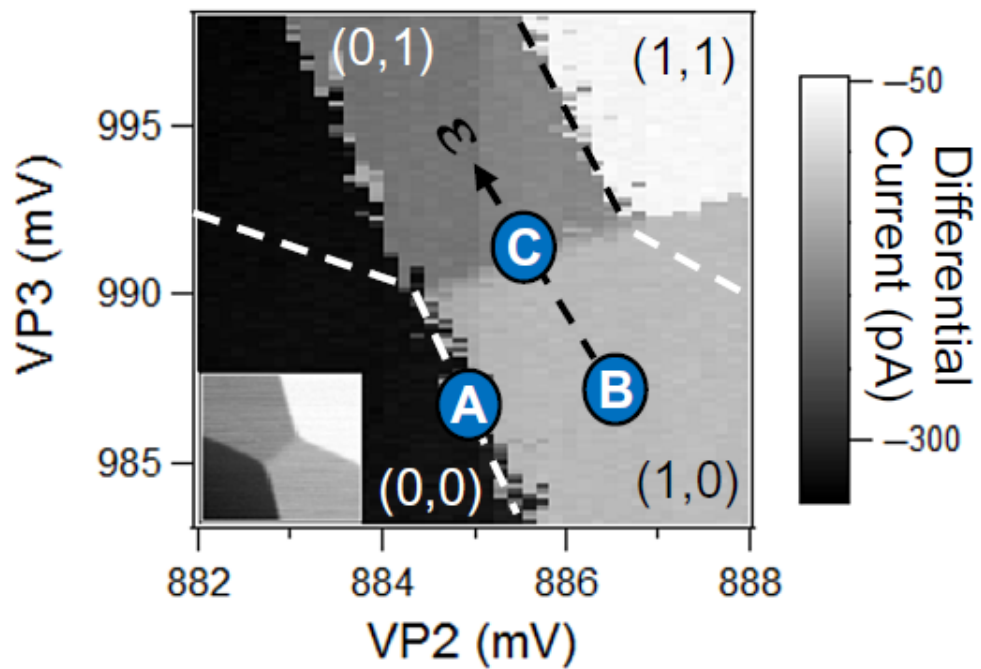
1. Matched with the excited state of the target dot: **tunnels** -> **(0,1)**
2. No level matching -> still **(1,0)**

B Pulse back
 Charge Sensor: Signal(1,0) or Signal_(0,1)

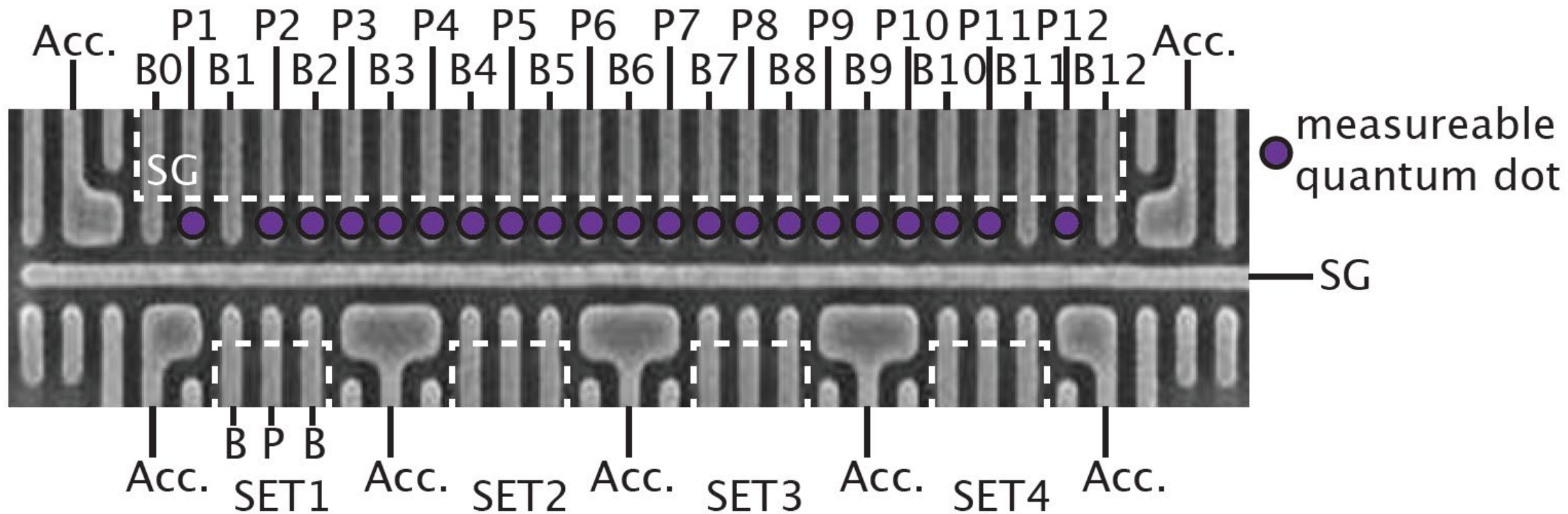
Result $\neq 0$ if matched with an excited state

Result = 0 if not matched with an excited state

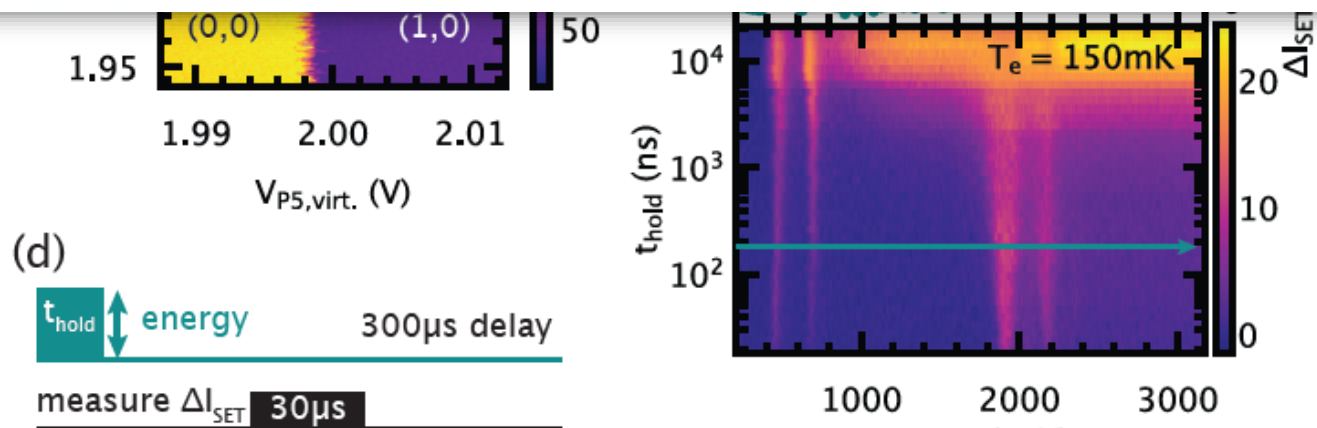
Repeat

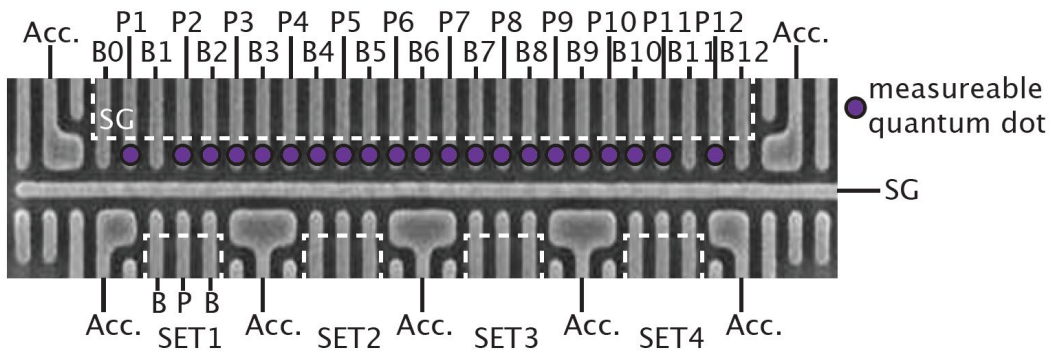


$$\kappa t_c^{-2} < t_{hold} < \Gamma_{decay}^{-1}$$



The tool is working, let's go deeper into material physics





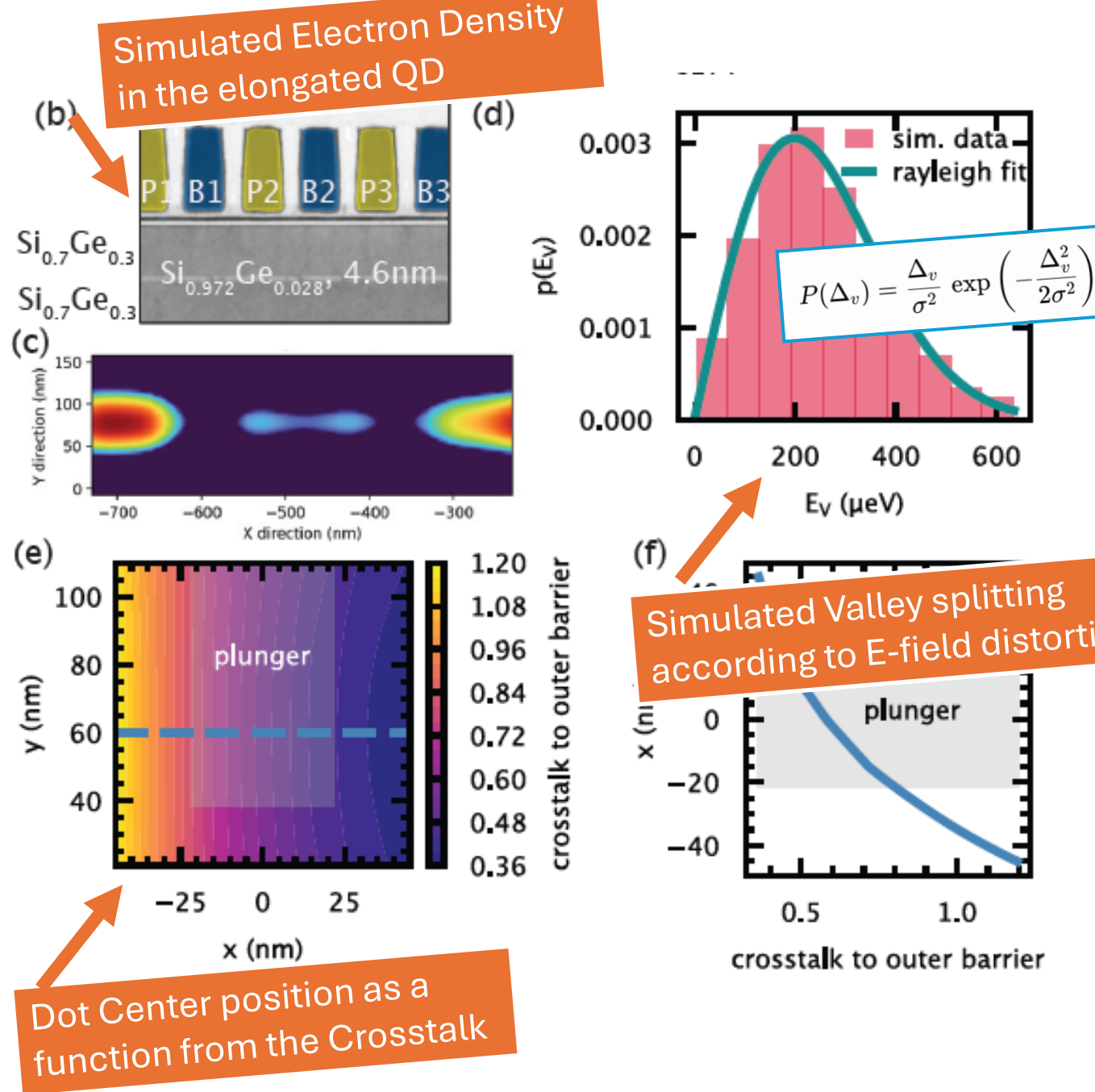
ADD theory = Alloy disorder-dominated valley splitting

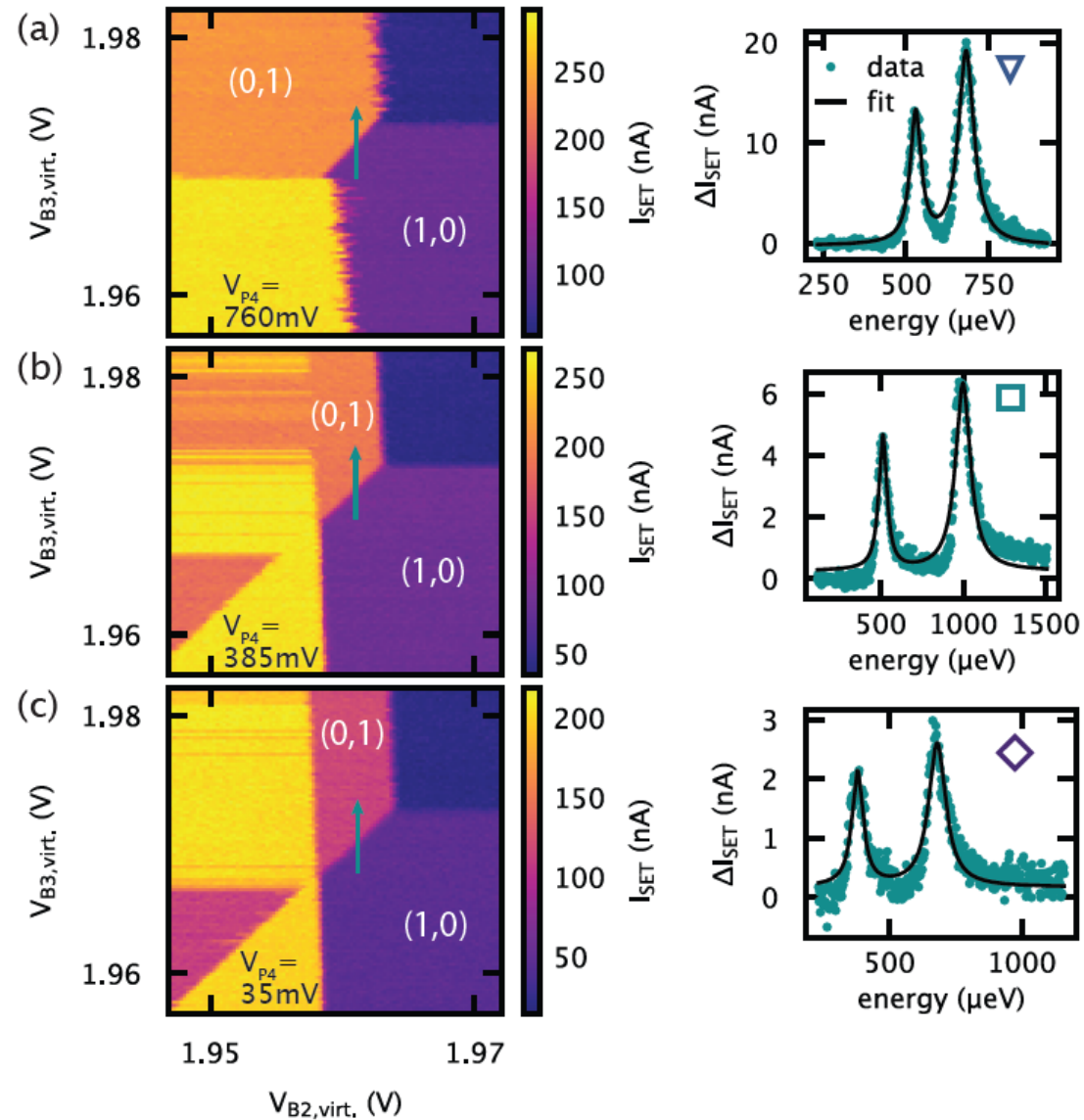
Key point of the paper: **To verify the ADD model**

=> conclusion about the valley splitting' variations

Hint: 2.8 % Ge doping

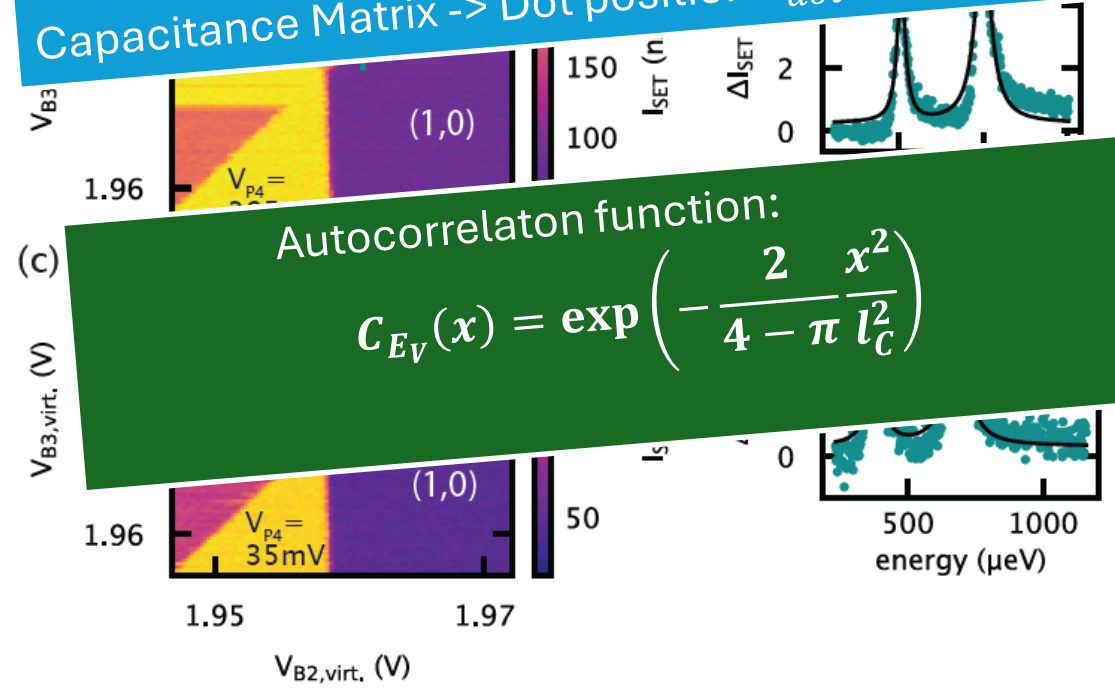
M. Eriksson lab data 2025





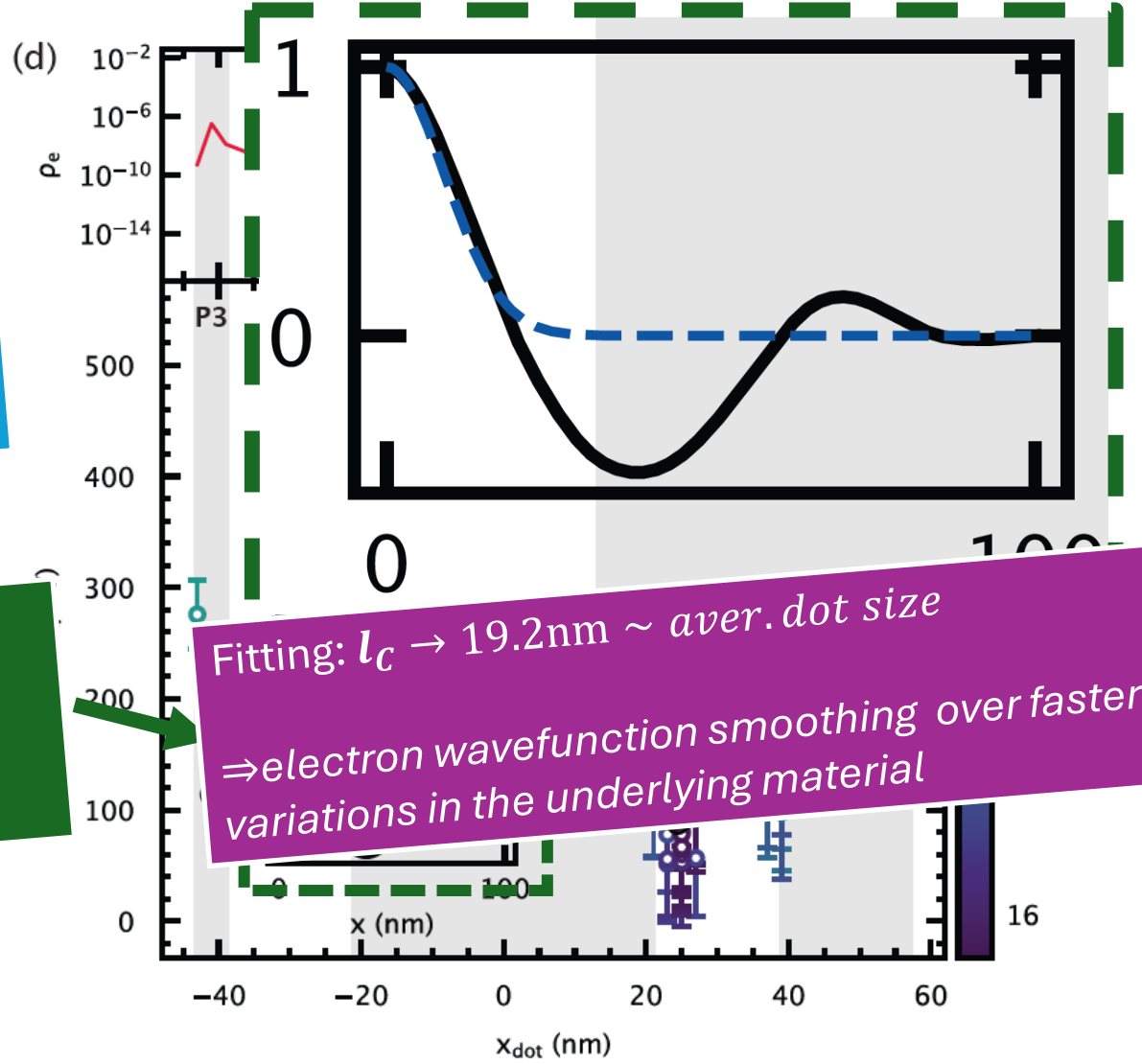
Continuous electron valley probe

Three Dots:
 Varying the confinement
 Orbital splitting -> **Dot size** $r_x = \sqrt{2\hbar^2 / m_e^* E_o}$
 Ev splitting -> **Thermal population** ρ_e ($T_{el} = 150\text{mK}$)
 Capacitance Matrix -> **Dot position** x_{dot}



Autocorrelaton function:

$$C_{EV}(x) = \exp\left(-\frac{2}{4 - \pi} \frac{x^2}{l_C^2}\right)$$



Fitting: $l_C \rightarrow 19.2\text{nm} \sim \text{aver. dot size}$
 \Rightarrow electron wavefunction smoothing over faster variations in the underlying material

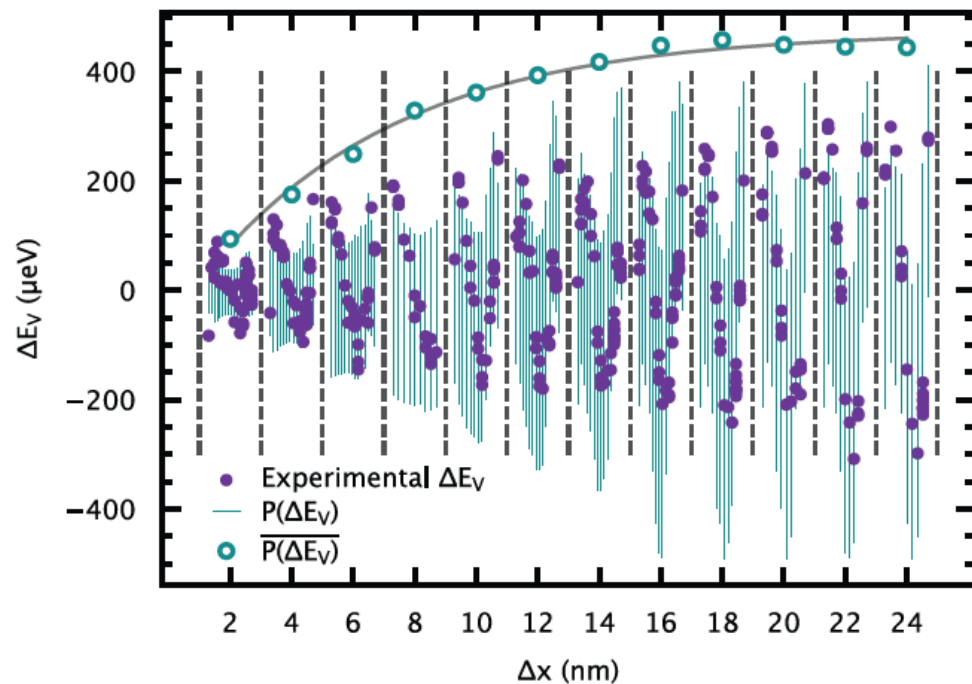
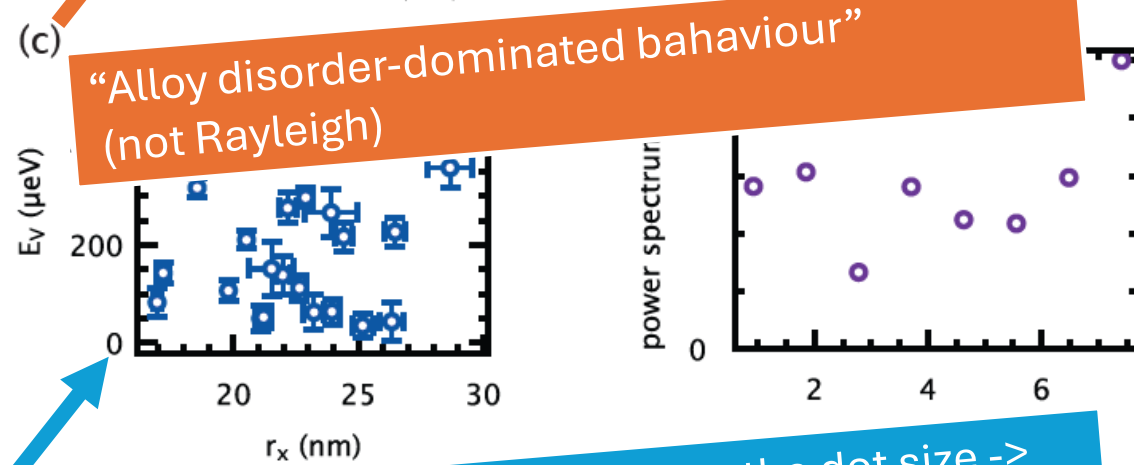
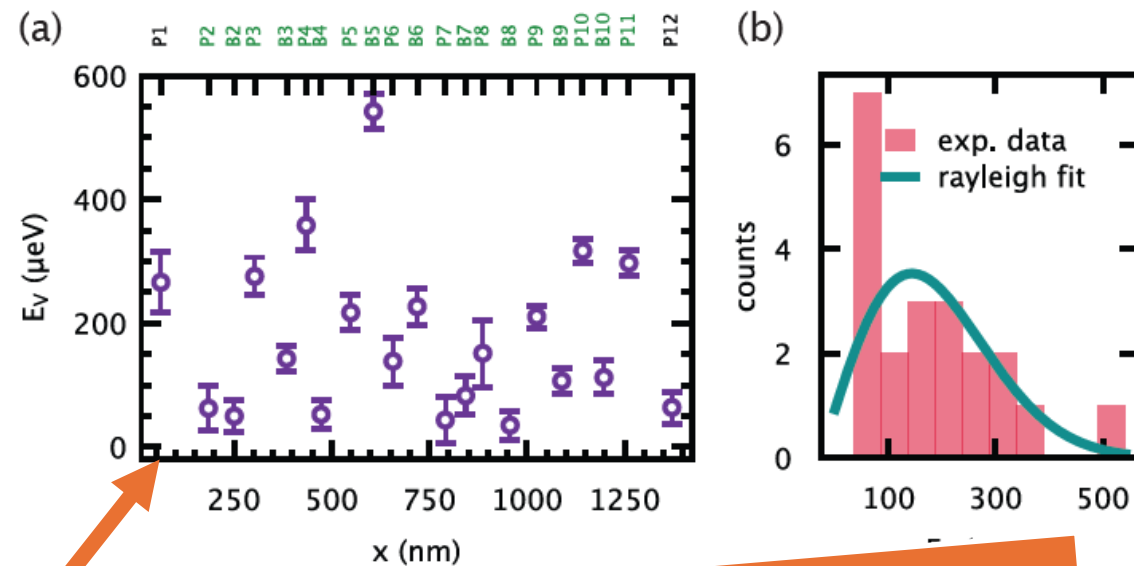


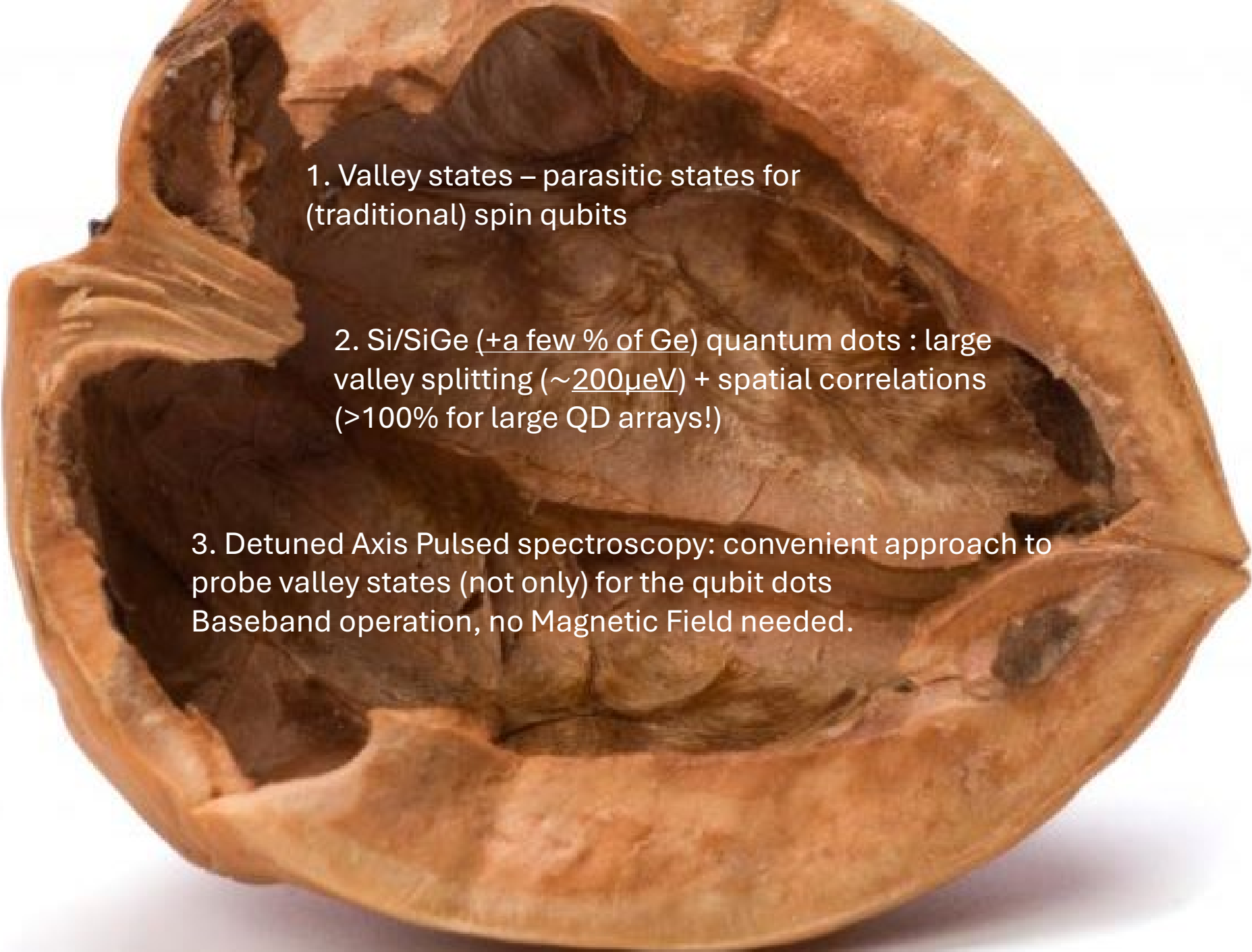
FIG. 4. **Expected E_V variations.** The valley splitting difference ΔE_V (purple filled in circles) is plotted alongside the 5%–95% range $P(E_V)$ of valley splitting at some distance Δx (teal lines). The mean expected range for each distance $\overline{P(E_V)}$ is plotted atop the data (open teal circles), fit to an exponential decay (gray line).

“Local correlations die out on/below electron wavefunction size”



“Alloy disorder-dominated behaviour” (not Rayleigh)

No (significant) dependence E_V from the dot size \rightarrow “Domination of underlying material disorder”



1. Valley states – parasitic states for (traditional) spin qubits

2. Si/SiGe (+a few % of Ge) quantum dots : large valley splitting ($\sim 200\mu\text{eV}$) + spatial correlations (>100% for large QD arrays!)

3. Detuned Axis Pulsed spectroscopy: convenient approach to probe valley states (not only) for the qubit dots
Baseband operation, no Magnetic Field needed.