

## Real-Time Feedback Control of Charge Sensing for Quantum Dot Qubits

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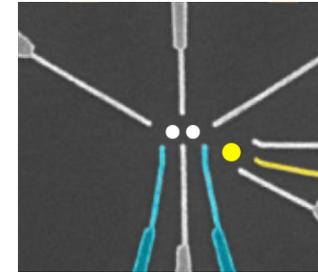
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- Operating window of charge sensor is smaller in few-electron regime where sensitivity is increased → subtle tuning of sensor required
- Here: Automated real-time tuning of a charge sensor for spin qubit experiments in a  $\text{Si}/\text{Si}_{0.7}\text{Ge}_{0.3}$  DQD device
- Compensation of slow disturbances up to 100 kHz using a digital Proportional-integral-differential (PID) controller
- Demonstrations of the feedback loop:
  - > Charge stability diagrams
  - > Single-shot spin measurement

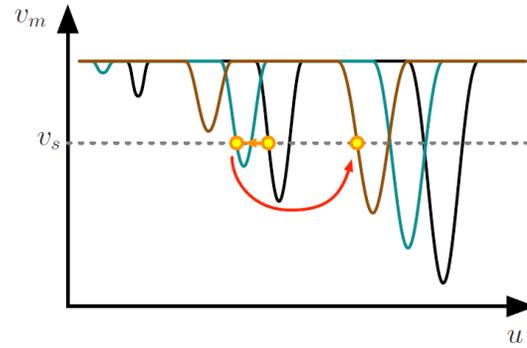


# The feedback loop

- Demodulated rf-signal  $v_m$  sampled at 100 MSa/s

- $v_s$ : desired setpoint

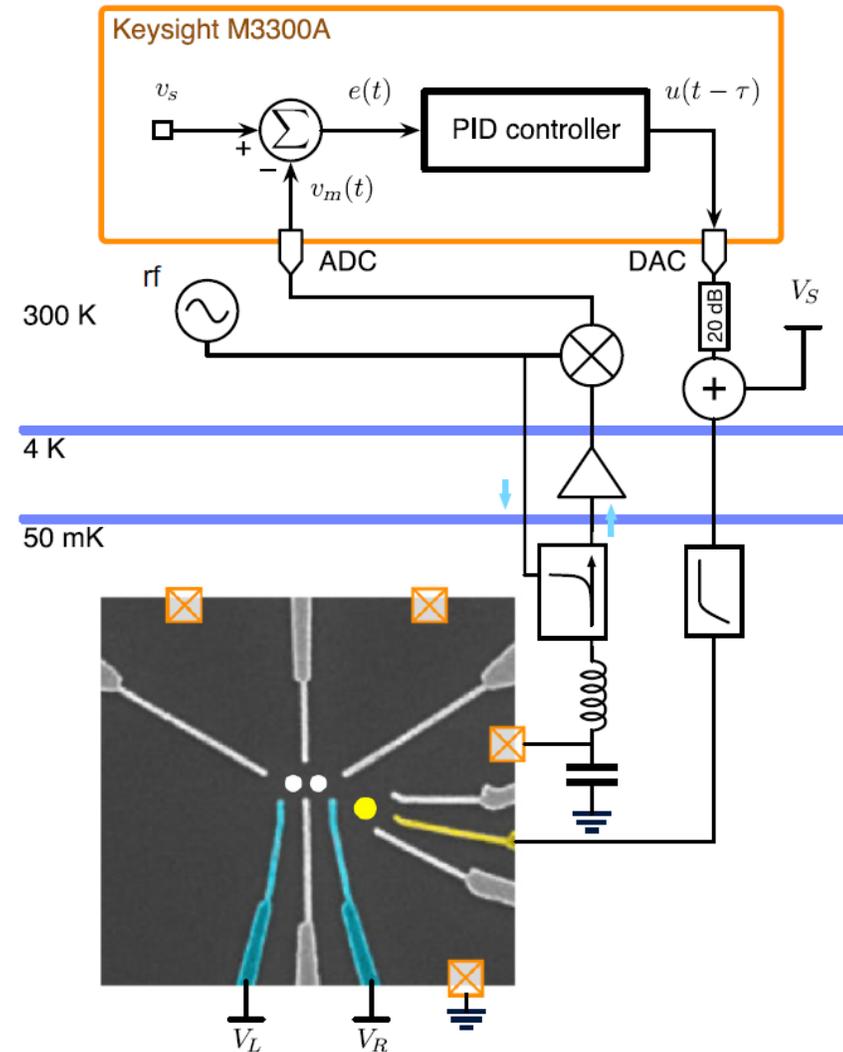
- $e(t) = v_s - v_m(t)$



- PID controller:  $u(t) = K_p e(t) + K_i \int_0^t e(s) ds + K_d \frac{de(t)}{dt}$

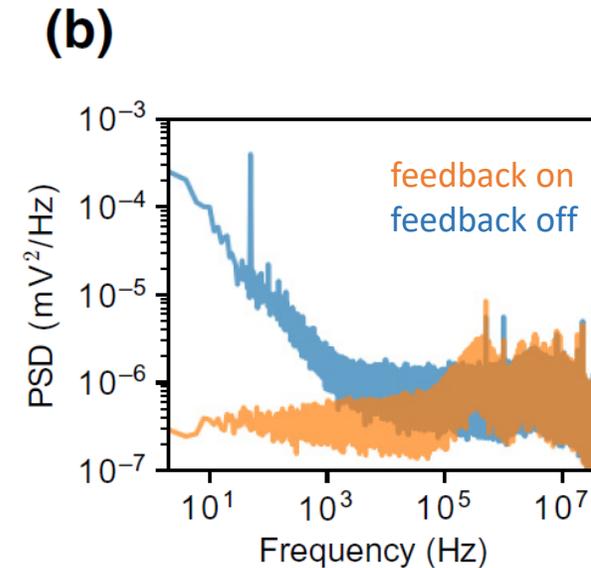
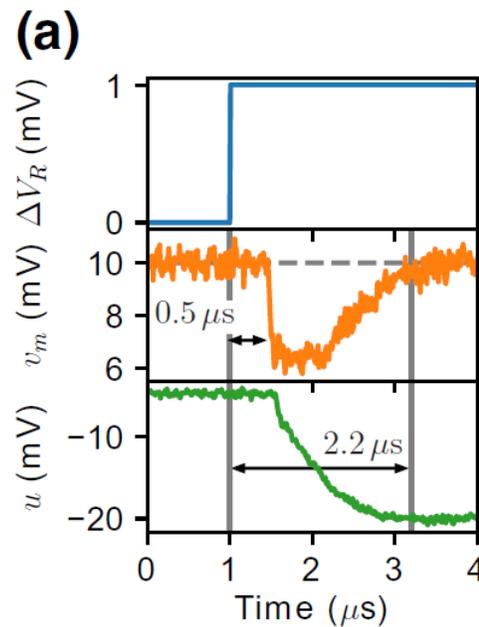
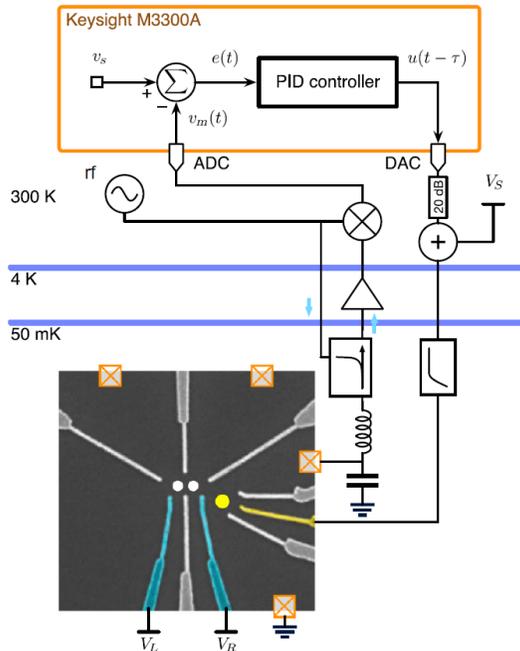
- Control voltage  $u(t - \tau)$ ; delay  $\tau \approx 0.5 \mu s$

- $u$  is combined with dc voltage  $V_S$



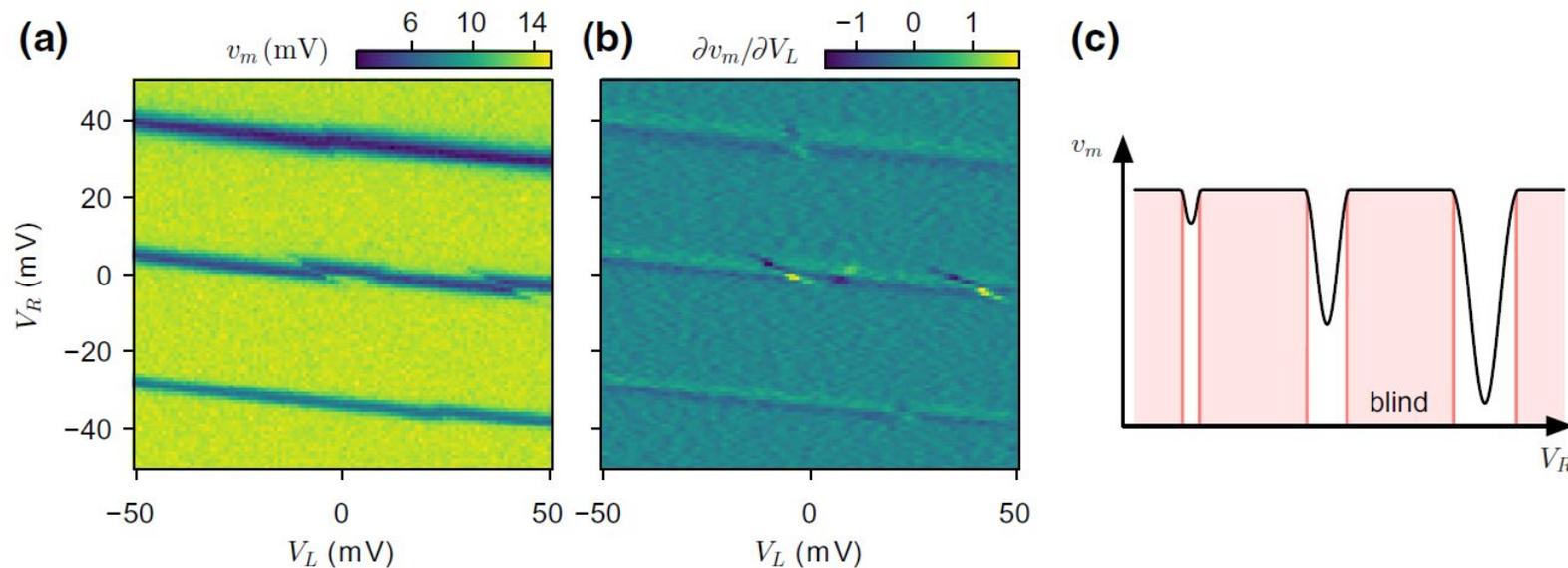
# Characterization of the feedback control

- (a):
- Keysight M3300A digitizer has I/O latency of  $0.5 \mu\text{s}$
  - Total settling time in  $u$  of  $2.2 \mu\text{s}$  (not optimized to avoid instability)
- (b):
- Noise power spectral density of  $v_m$ :  $1/f$  tail is suppressed by feedback control (up to  $\approx 100 \text{ kHz}$ )



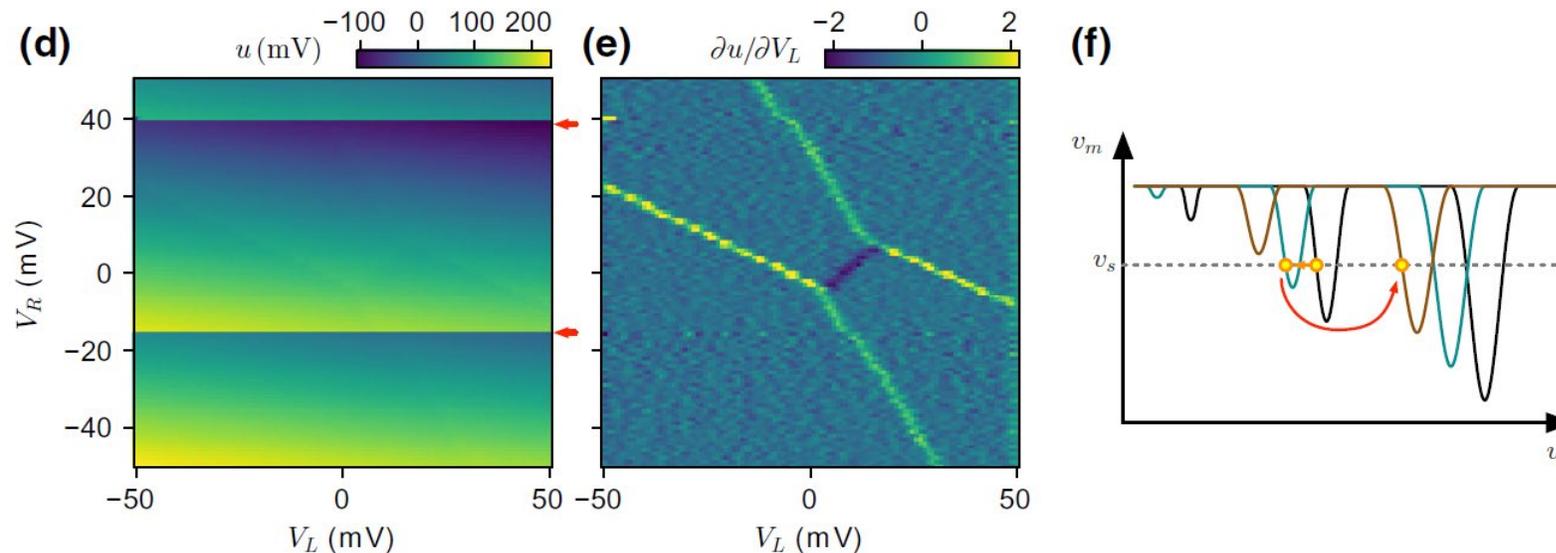
# Charge stability diagrams (feedback loop off)

- Operating window of charge sensor is narrower when operated in few-electron regime for enhanced sensitivity
- Demodulated rf-signal  $v_m$  shown in (a) and its derivative in (b)
- Sensor is sensitive only near the Coulomb peaks, mostly blind in Coulomb blockade regime



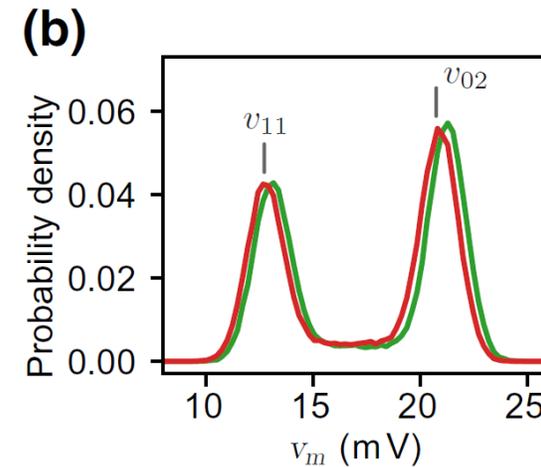
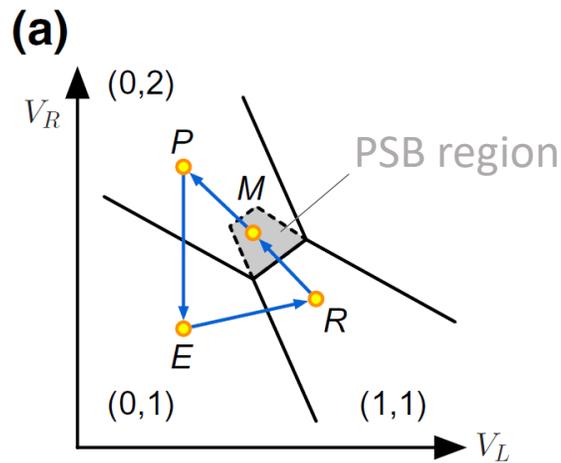
# Charge stability diagrams (feedback loop on)

- Control voltage  $u$  shown in (d) and its derivative in (e)
- PID control is reset at  $t=0$  in lower left corner of scan
- Red arrows: Jump from one Coulomb peak to another in the charge sensor
- Yellow circles in (f): Points towards which  $u$  is controlled to fulfill  $v_m = v_s$
- As  $V_R$  is increased, signal trace shifts to the left (black->green->brown)



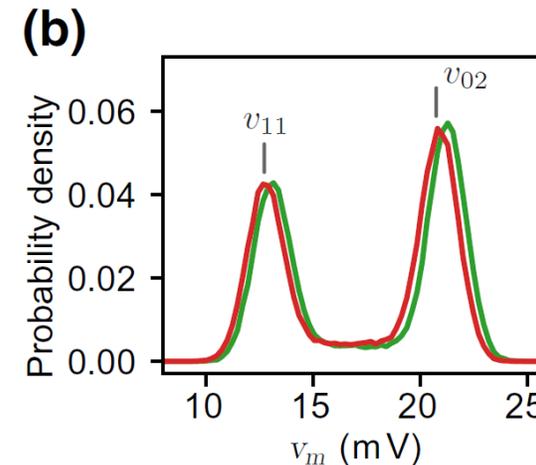
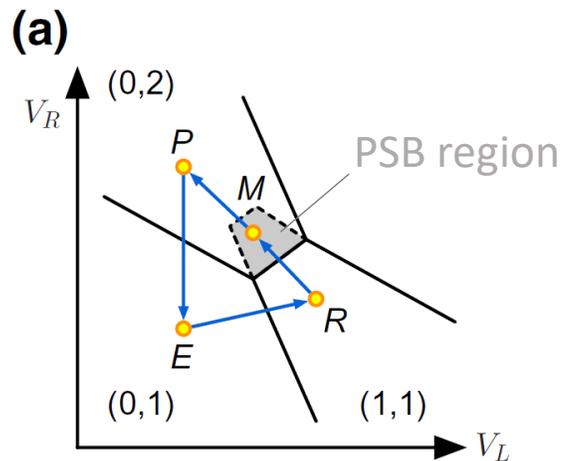
# Single-shot spin measurement (I)

- Pulse cycle (a): **Emptying**->**Reloading**->**Measuring**->**Parking**->**Emptying**->...
- Dwell times 10  $\mu\text{s}$  (E), 10  $\mu\text{s}$  (R), 445  $\mu\text{s}$  (M), 35  $\mu\text{s}$  (P)
- Outcomes  $v_m = v_{11}$  (triplet) and  $v_m = v_{02}$  (singlet)
- Histogram in (b): PID control disabled, 100'000 measurements,  $t_{int} = 5 \mu\text{s}$
- $v_{11}$  and  $v_{02}$  fluctuate due to first-order drift of charge sensor and  $v_{02} - v_{11}$  fluctuates due to second order drift  $\rightarrow$  broadening of histograms



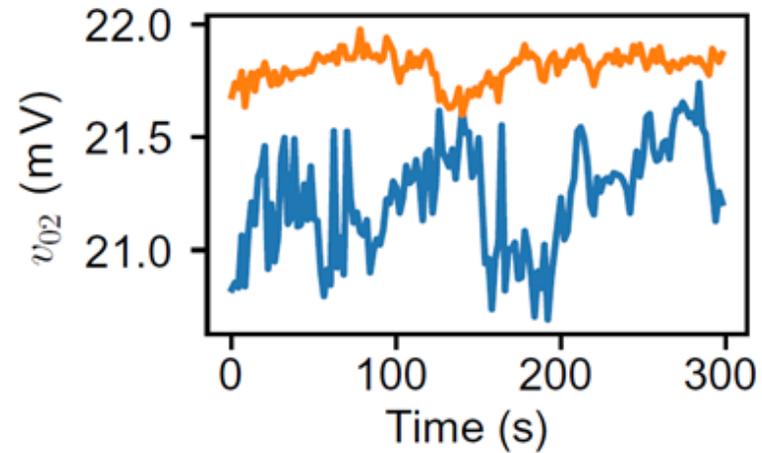
# Single-shot spin measurement (II)

- In principle, one could turn on the PID control continuously and measure  $u$ , but this has a few drawbacks:
  - Settling time of  $u$  ( $\approx 2.2 \mu\text{s}$ ) is an order of magnitude longer than shortest single-shot measurement time achievable in similar setup [1]
  - Application of control pulses may cause failure of the feedback loop
- Instead, activate PID control only at point **P** to stabilize charge sensor



# Single-shot spin measurement (III)

- Activate PID control only at point **P** to stabilize charge sensor:
  - Fluctuation of  $v_{02}$  over time is successfully suppressed



# Single-shot spin measurement (IV)

- Activate PID control only at point **P** to stabilize charge sensor:

→ Noise suppression improves signal-to-noise ratio  $\text{SNR} = |v_{02} - v_{11}| / \sigma$   
( $\sigma^2$ : variance of each peak in histogram)

→ SNR is fitted to:  $\sigma = \sqrt{\sigma_0^2 / [t_{\text{int}} + t_0] + \sigma_d^2(t_{\text{acq}})}$

( $\sigma_0^2$ : white-noise broadening)

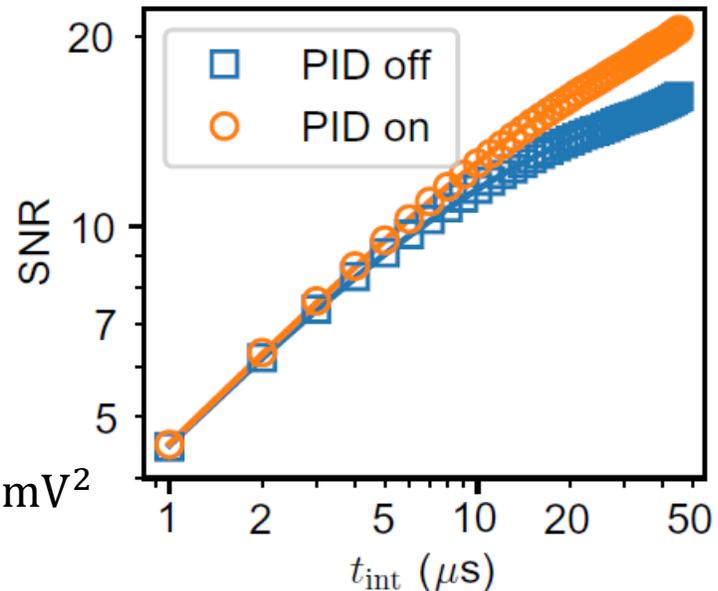
( $\sigma_d^2$ : low-frequency noise contribution)

( $t_0$ : measurement bandwidth)

→ For acquisition time  $t_{\text{acq}} = 300$  s:

PID off: SNR saturates for longer  $t_{\text{int}}$ , with  $\sigma_d = 0.2$  mV<sup>2</sup>

PID on: SNR improves, and  $\sigma_d = 0.1$  mV<sup>2</sup>



→ Reduction of  $\sigma_d$  has larger impact on readout fidelity for smaller SNR:

Example:  $|v_{02} - v_{11}| = 2$  mV,  $t_{\text{int}} = 100$   $\mu\text{s}$ ; Readout error is **1.9%** for  $t_{\text{acq}} = 300$  s,

**3.5%** for  $t_{\text{acq}} = 24$  h with PID off, **0.3%** with PID on

- Charge sensor is maintained in sensitive spot by using a feedback loop
- Settling time  $\approx 2.2 \mu\text{s}$  allows for suppression of noise below  $\approx 100 \text{ kHz}$
- Demonstration of improved charge stability diagram measurements and single-shot spin readout
- Feedback control may be particularly useful for tasks with longer calculation time, larger qubit systems

