

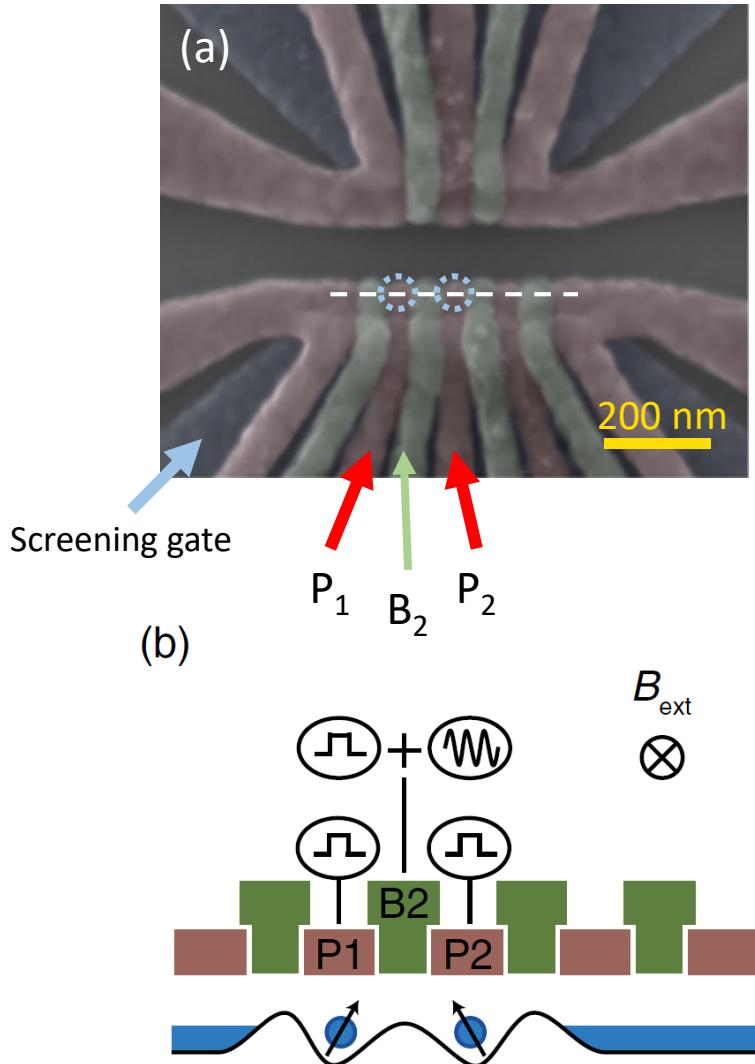
Resonantly Driven Singlet-Triplet Spin Qubit in Silicon

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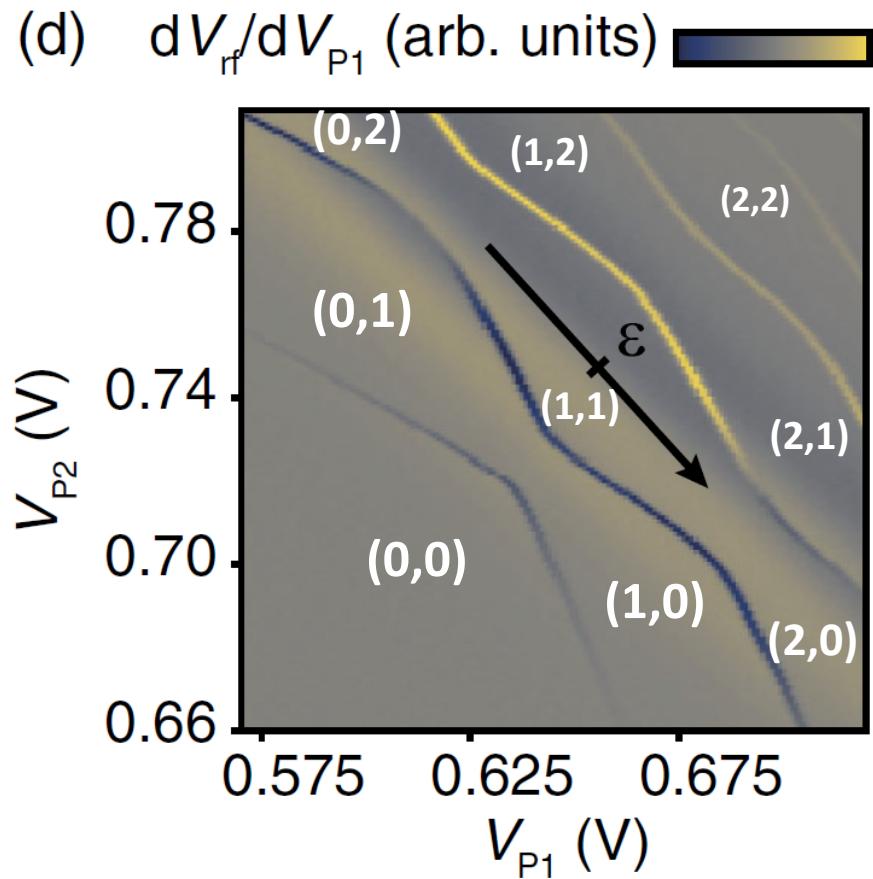
Pierre Chevalier Kwon
24.04.2020

Device architecture

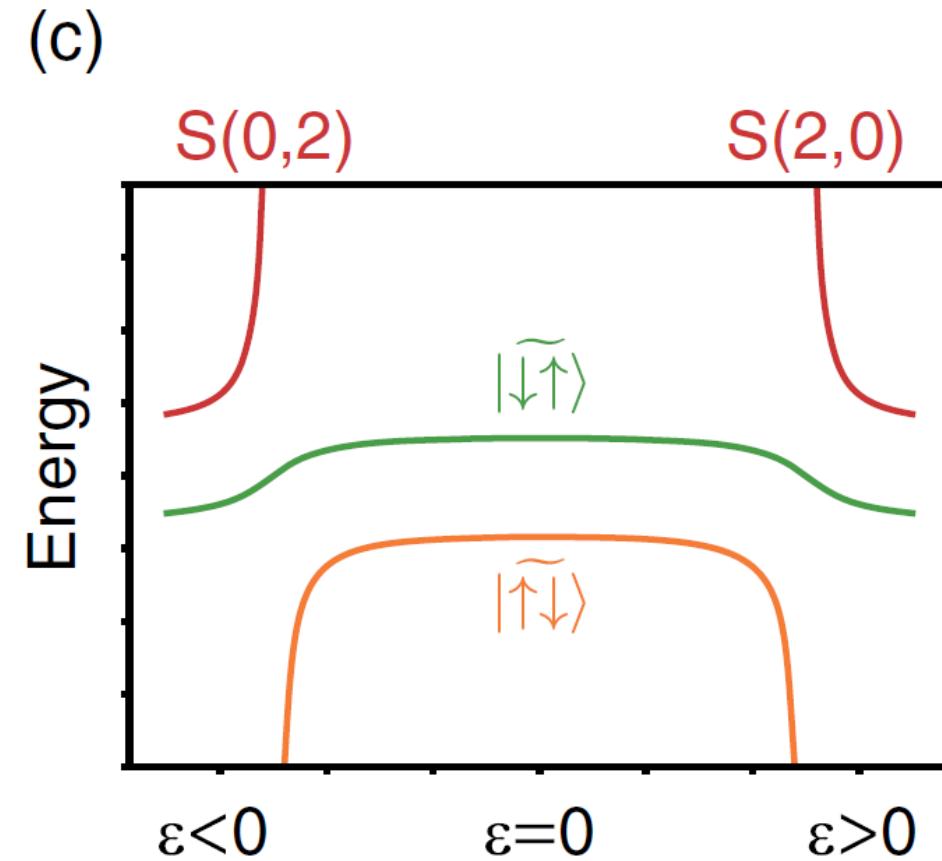
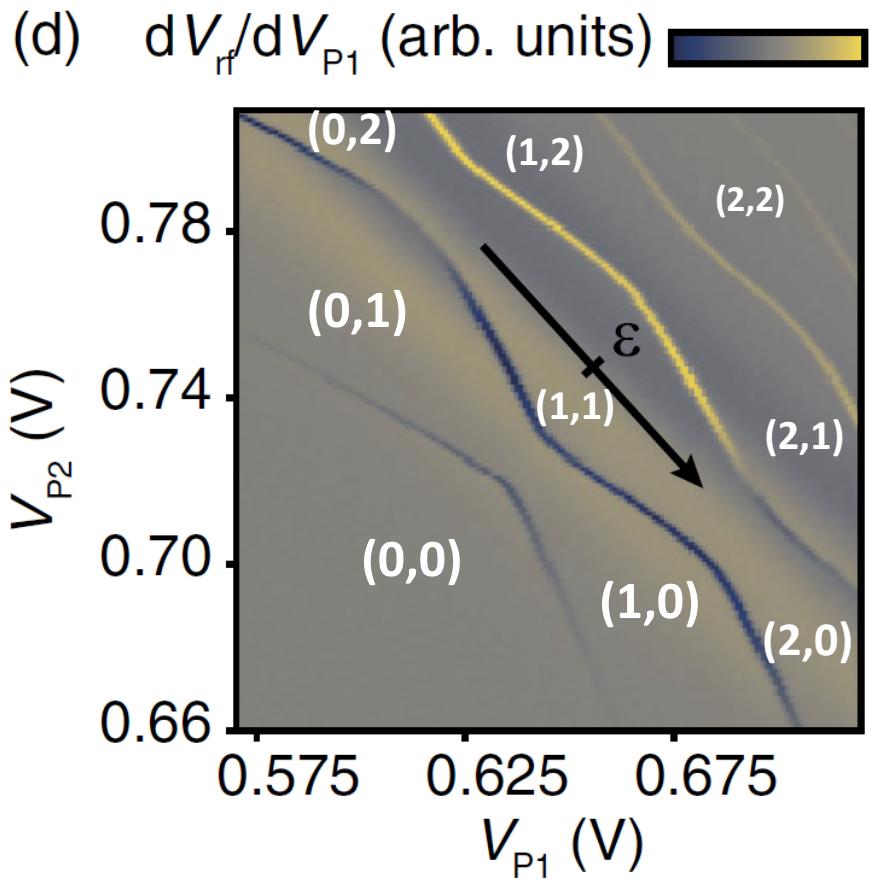


- Si/SiGe heterostructure (2DEG)
- 3 Al layers
- Dilution refrigerator: $T_e \sim 40\text{ mK}$
- Inplane magnetic field: $B_{\text{ext}} \sim 0.5\text{ T} + \text{a "large" magnetic field gradient (in and outplane)}$
- (Radio-frequency) Sensor QD (at top)
- Coherent driving of the qubit by modulating the exchange interaction ($\lesssim 1\text{ GHz}$)

Charge stability diagram



Charge stability diagram

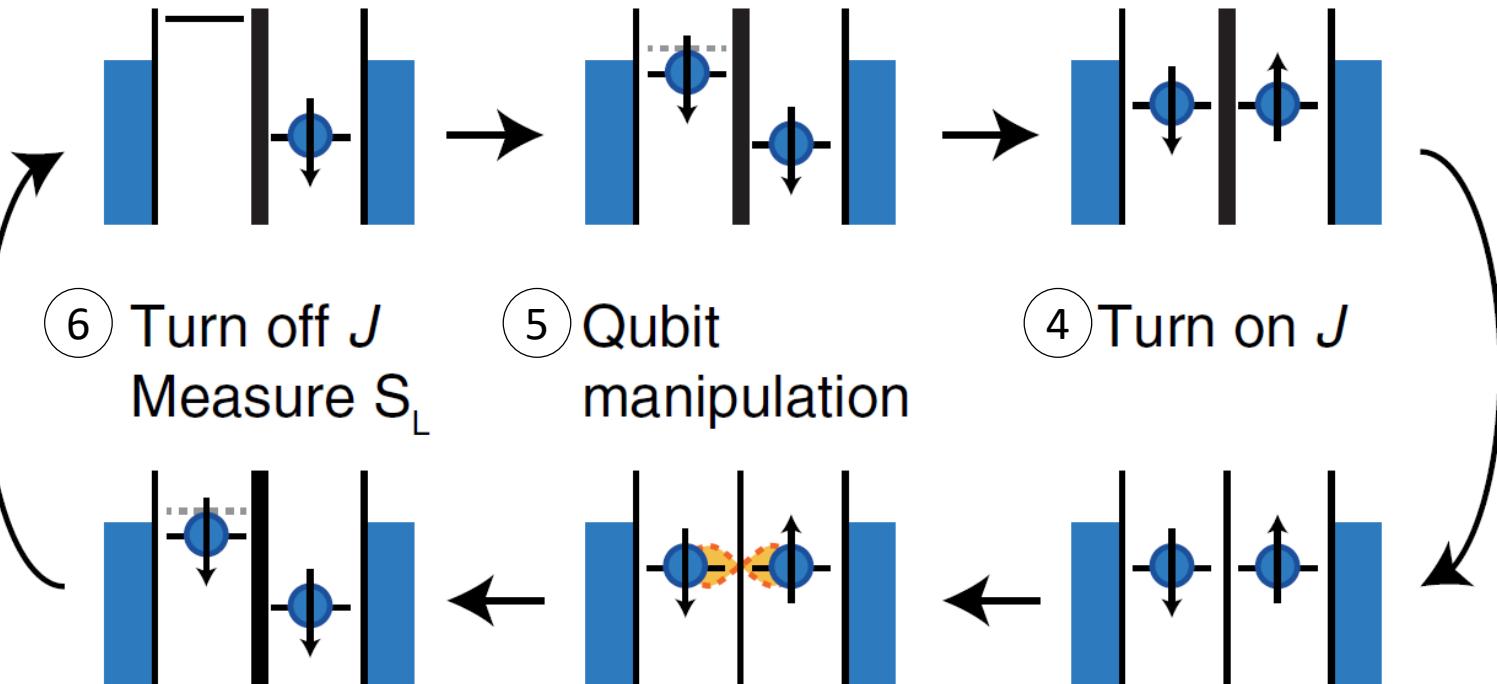


Measurement sequence: Basic operations

① Initialize S_R
in $(1,0)$

② Initialize S_L
in $(1,1)$

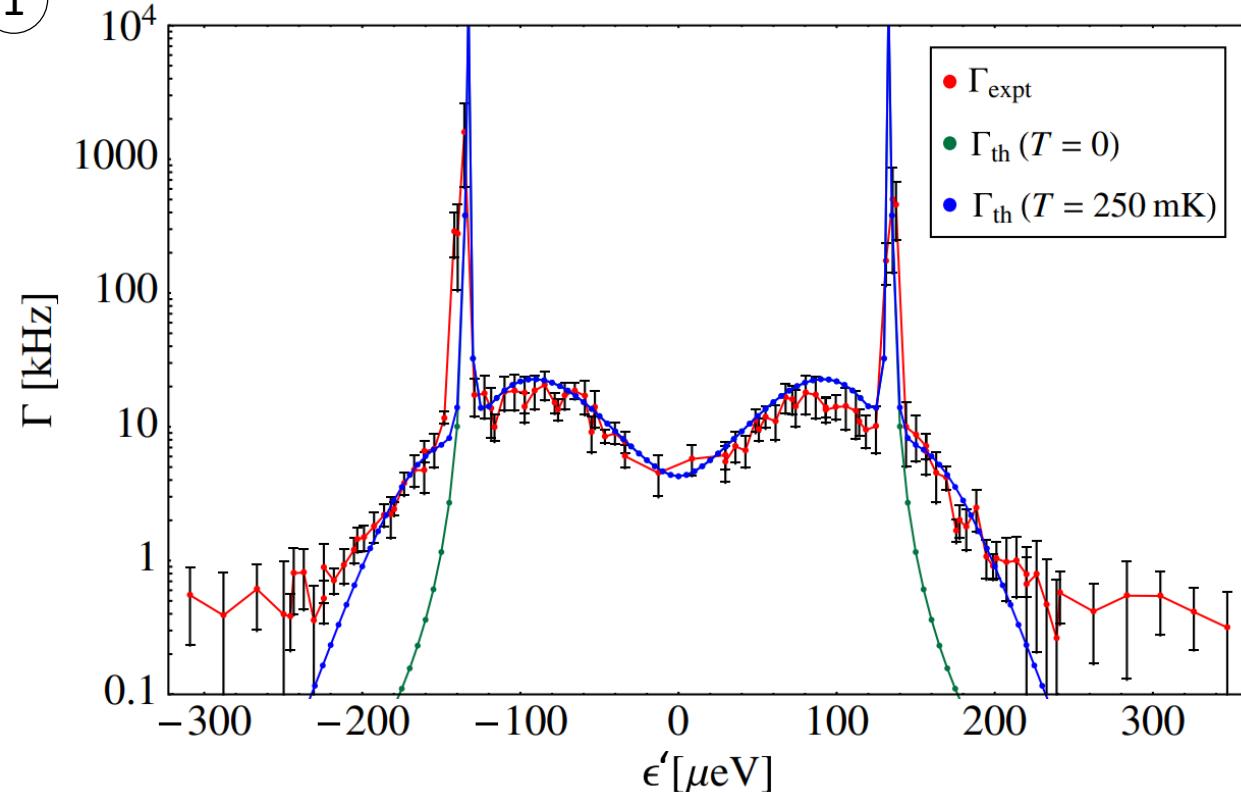
③ Rotate S_R
EDSR



Measurement sequence: Basic operations

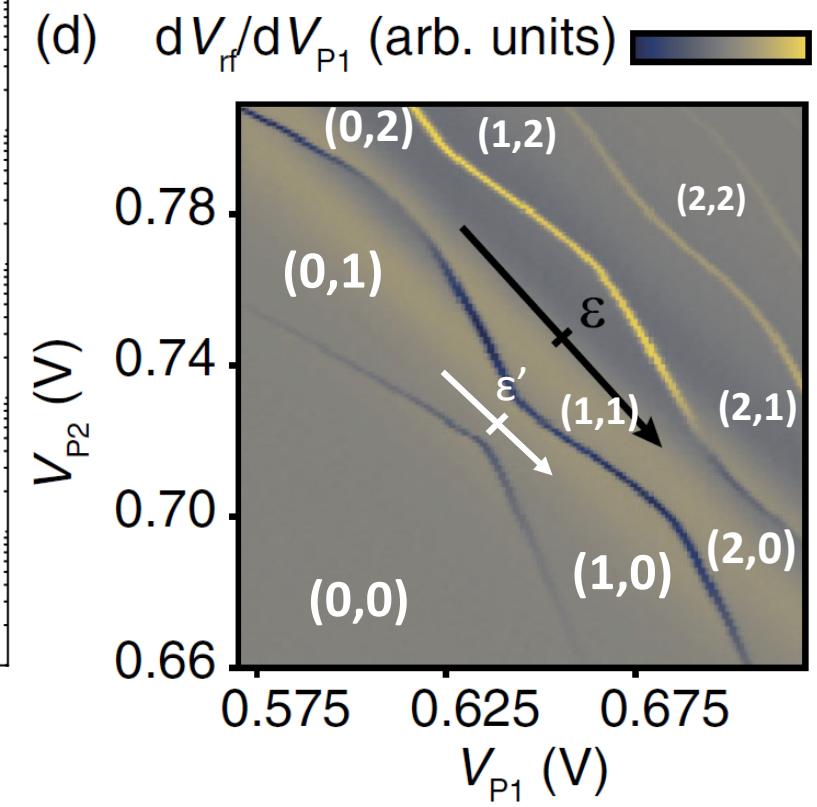
1 Initialize
in (1,0)

1



6 Turn
Meas

6

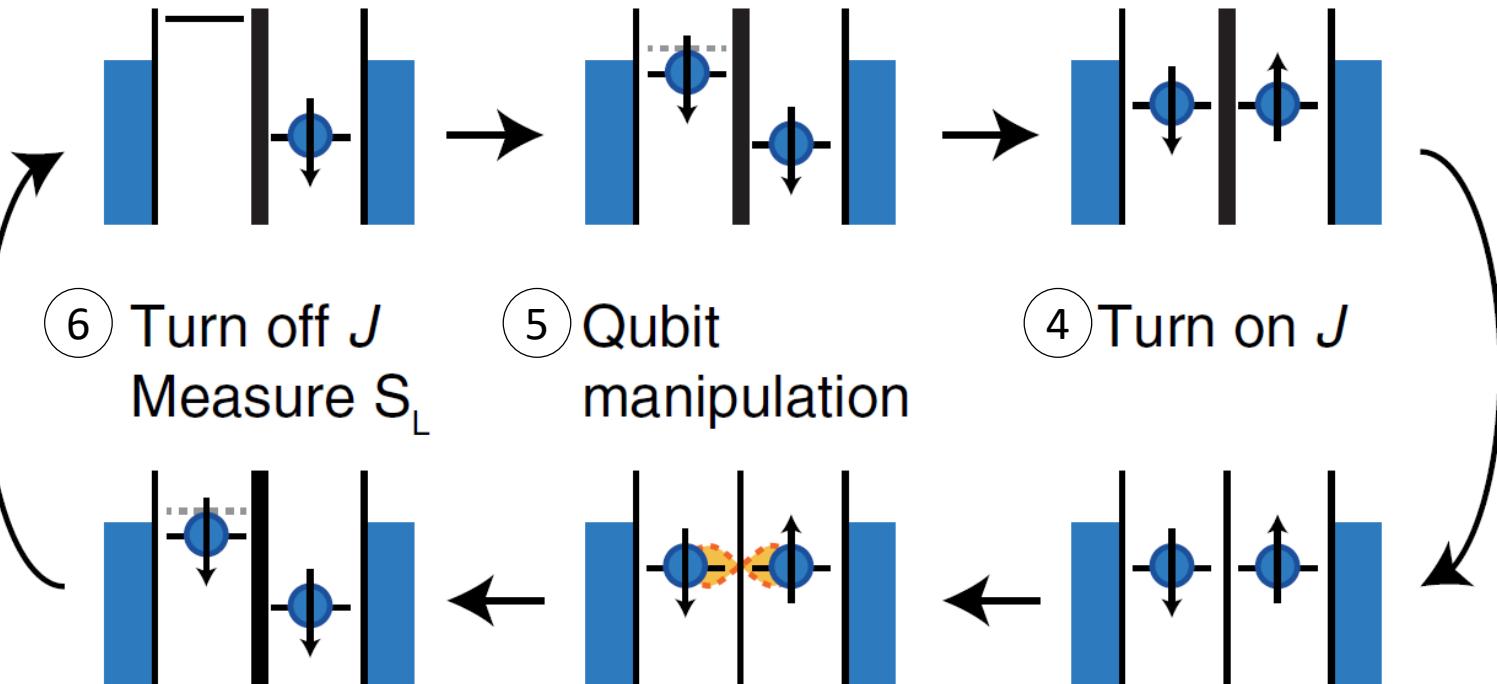


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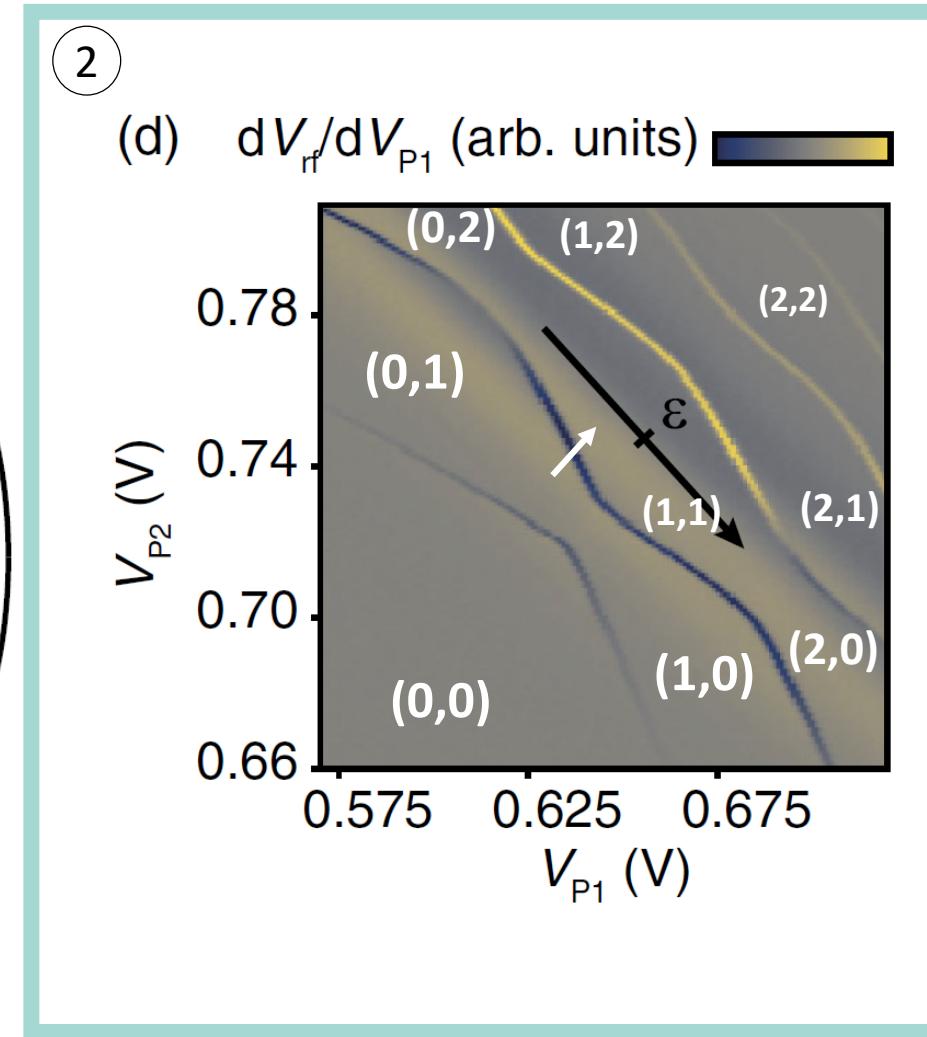
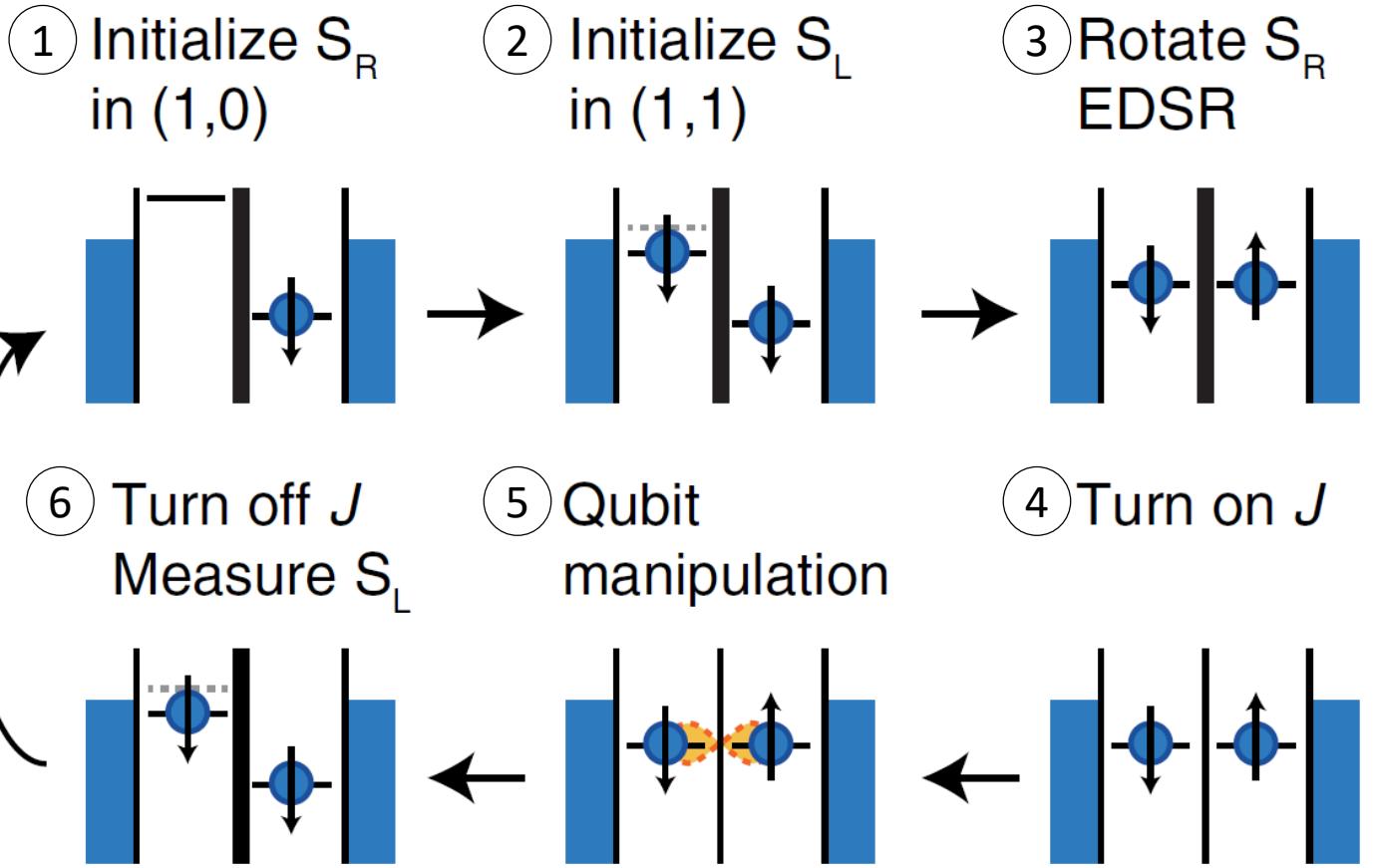
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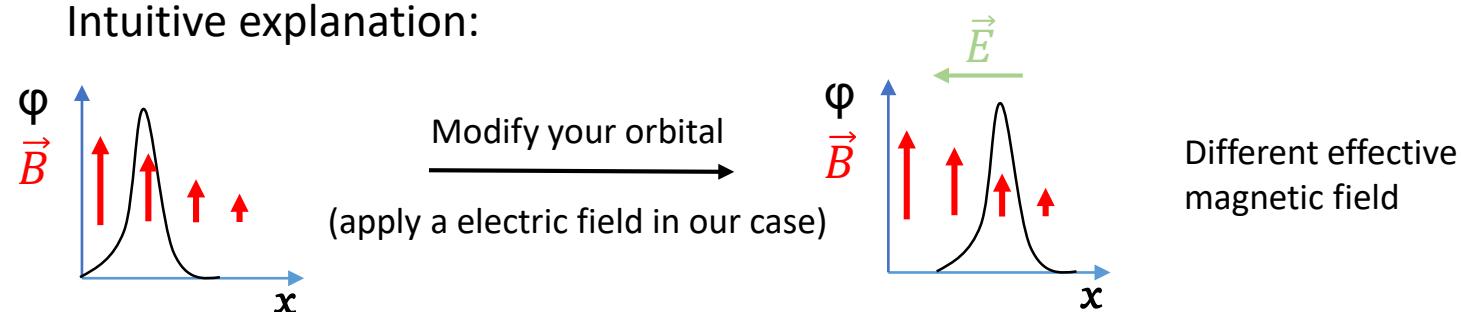
Measurement sequence: Basic operations

1 Initialize
in (1,0)

3 Electric-Dipole Spin Resonance (EDSR)

- Gradient of B outplane (B_{outplane}) is used to couple electron's spin and orbital degrees of freedom (in other words: allows the ESR)

Intuitive explanation:



6 Turn
Meas

- Gradient inplane is used to give different Larmor frequencies for spin in each QD. Hence, we can selectively rotate S_R or S_L (resonant frequency $\propto B_{\text{inplane}}$)
- Typical values*: $\delta B_{\text{outplane}} > 0.8 \text{ mT/nm}$ and $\Delta B_{\text{inplane}} > 18 \text{ mT}$

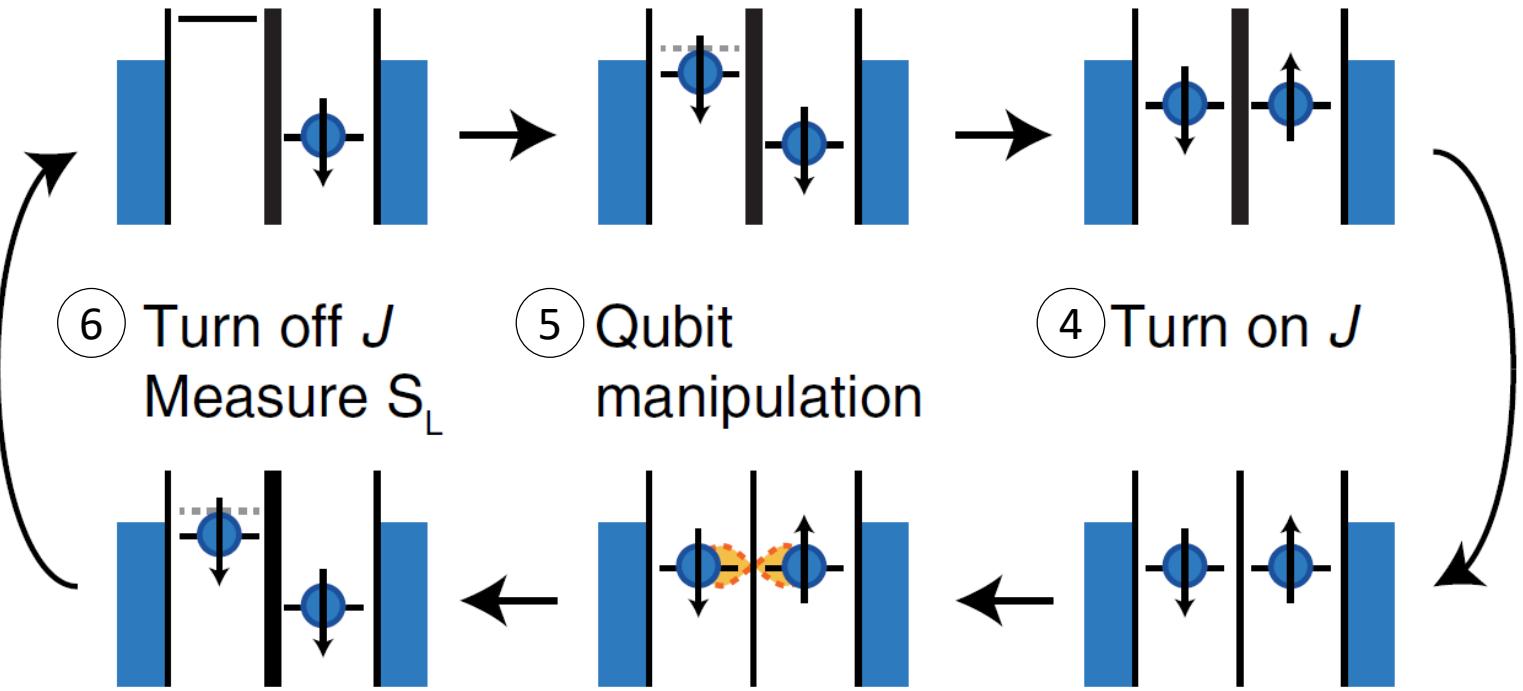
*Yasuhiro Tokura, Wilfred G. van der Wiel, Toshiaki Obata, and Seigo Tarucha, Phys. Rev. Lett. 96, 047202 (2006).

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③ Rotate S_R
EDSR

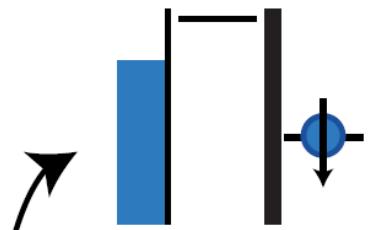


④

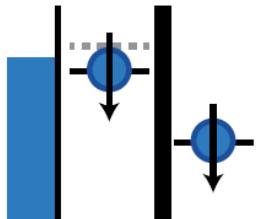
- Square pulse on B2 with $\delta V_{B_2} = 70$ mV
- Then, the 2 QDs interact

Measurement sequence: Basic operations

① Initialize S
in $|1,0\rangle$

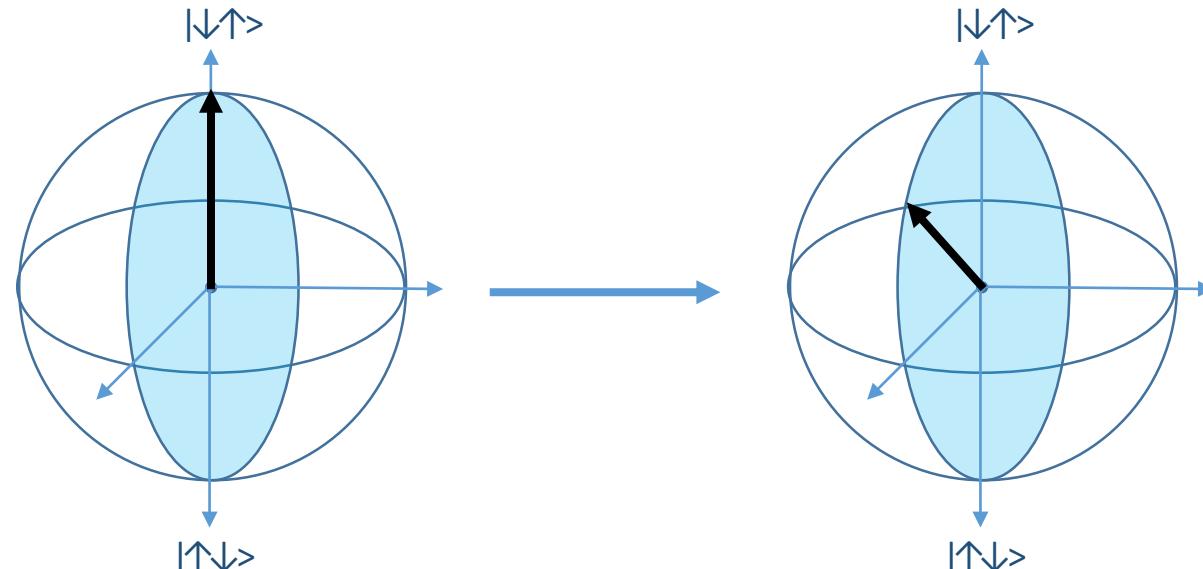


⑥ Turn off
Measure



⑤

- ac voltage pulses to the B2 gate
- That induce a rotation in our Bloch sphere

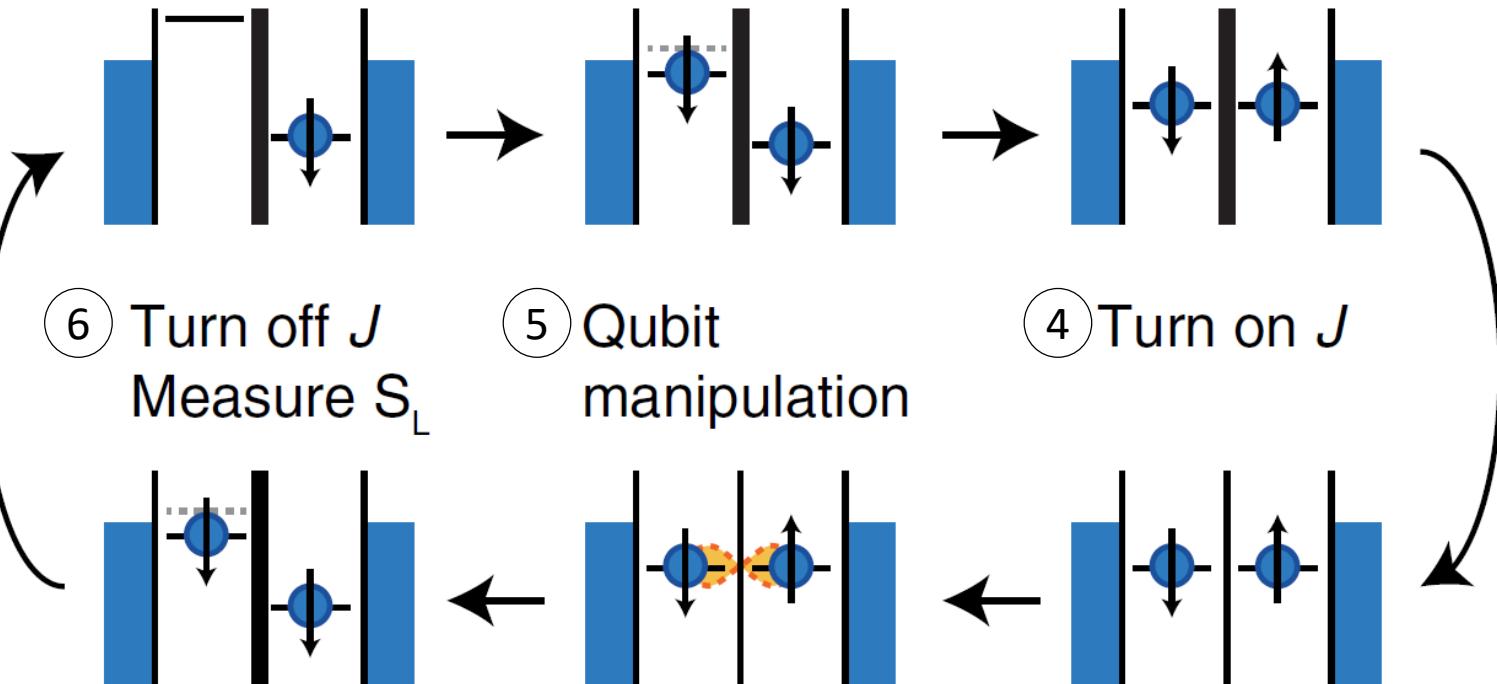


Measurement sequence: Basic operations

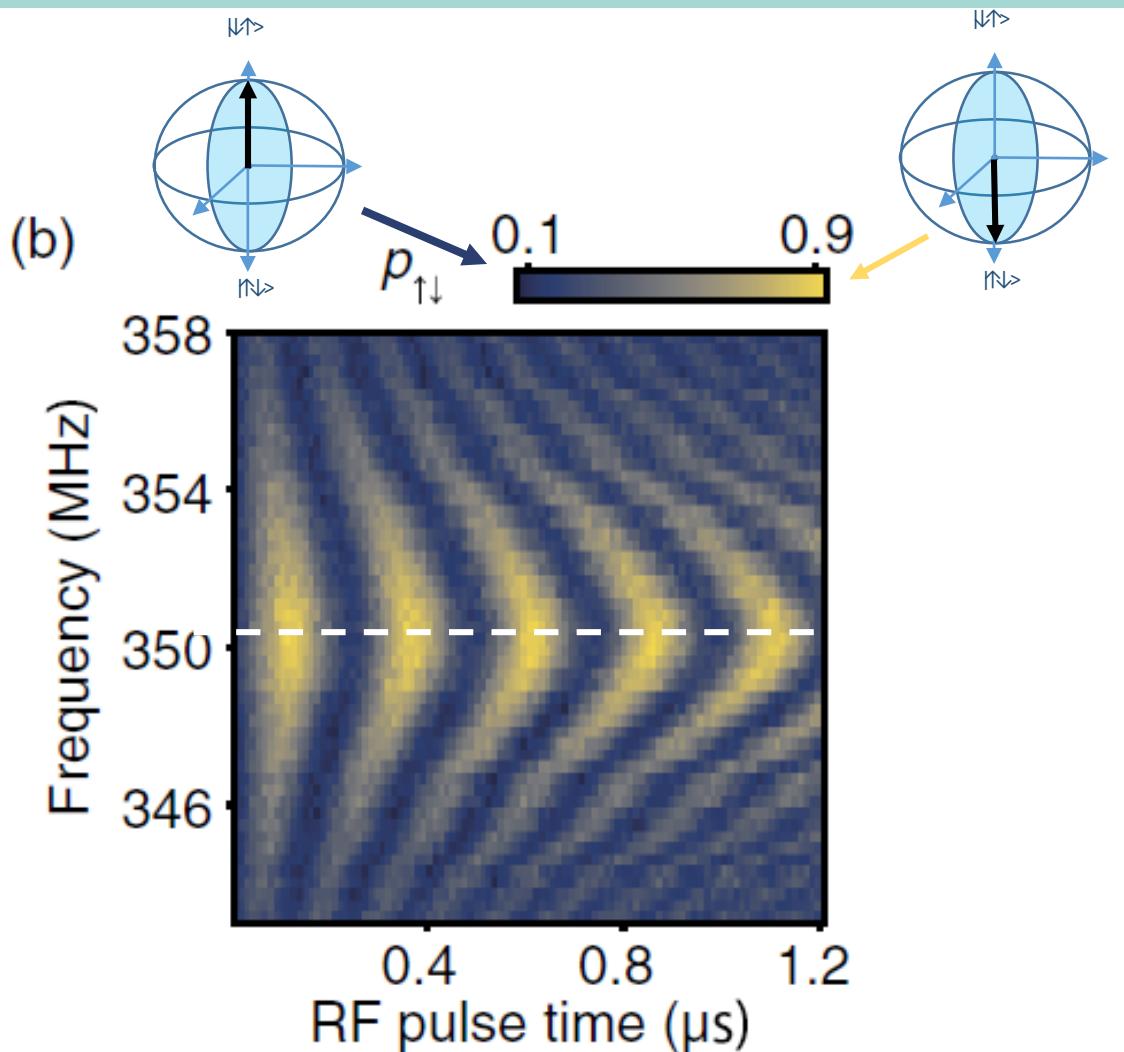
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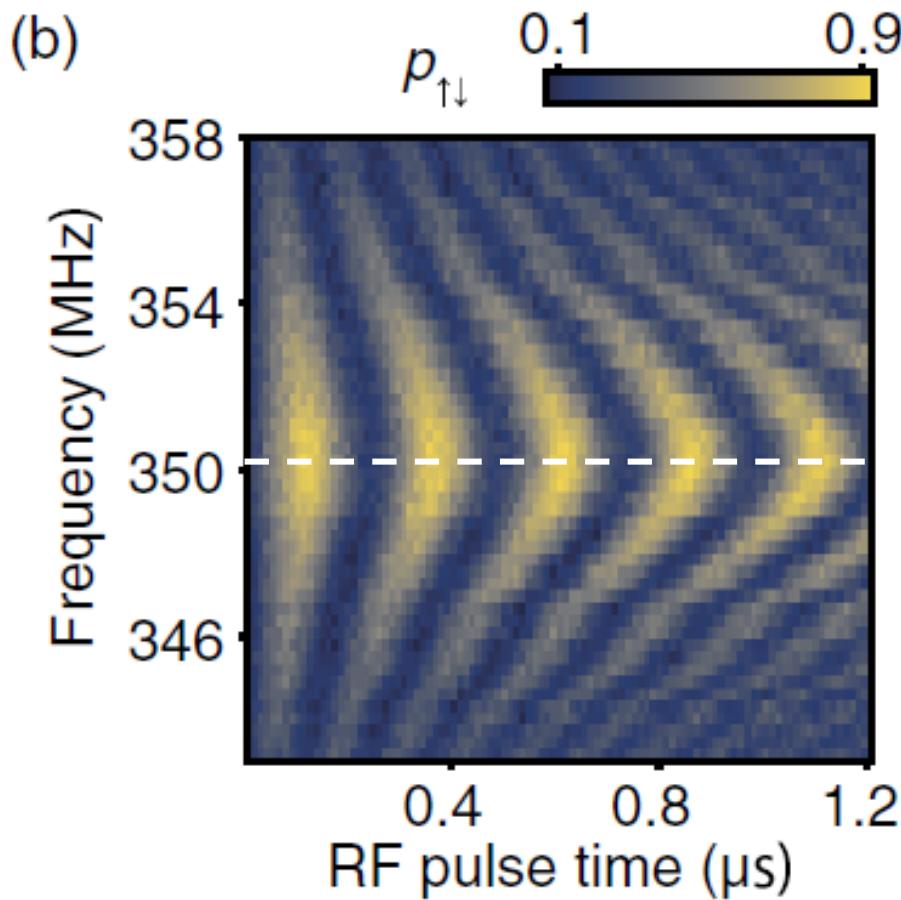


Rabi chevron oscillations

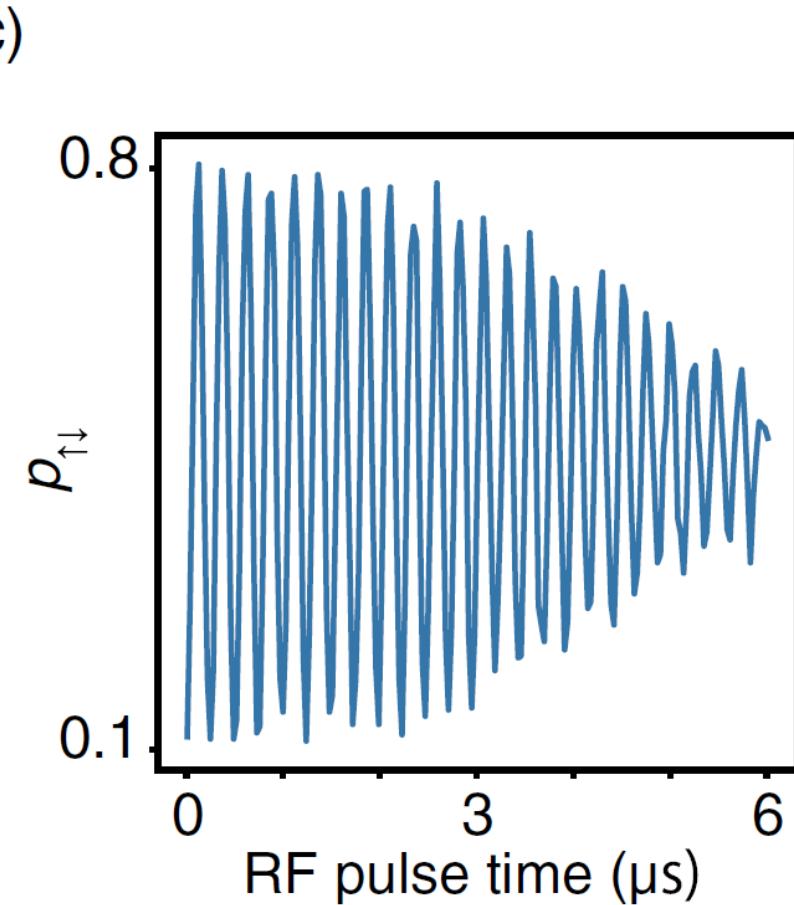


- ac pulse amplitude (on B2) of 6.3 mV
- Qubit resonance frequency = 351 MHz

Rabi chevron oscillations

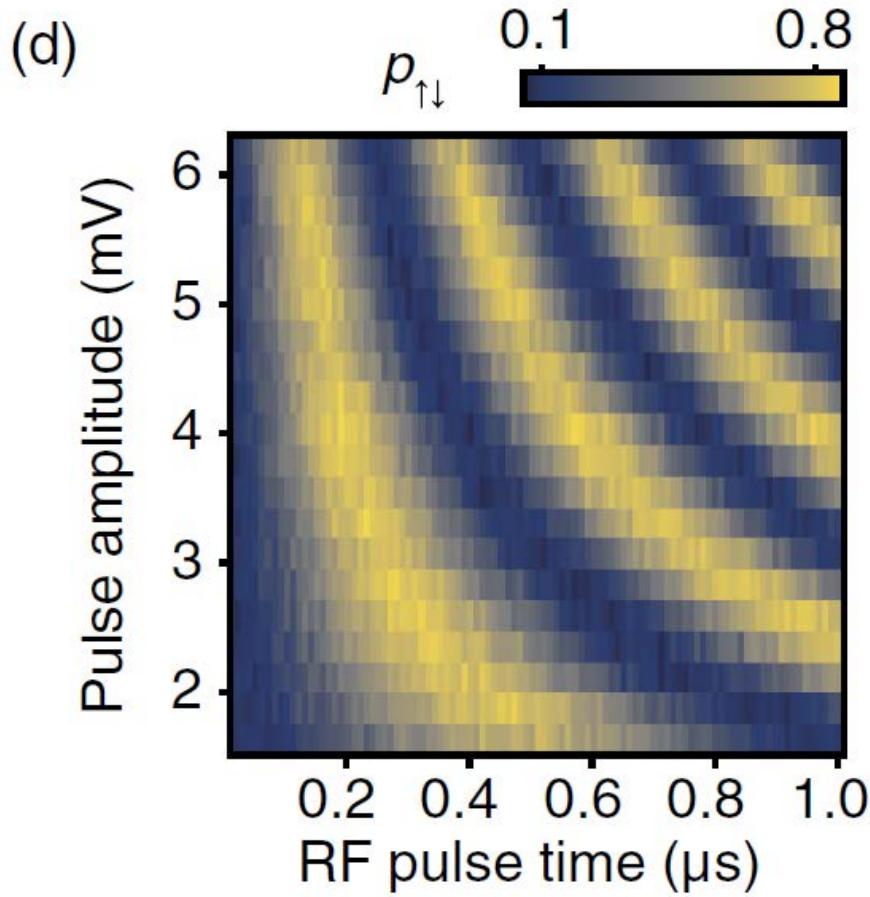


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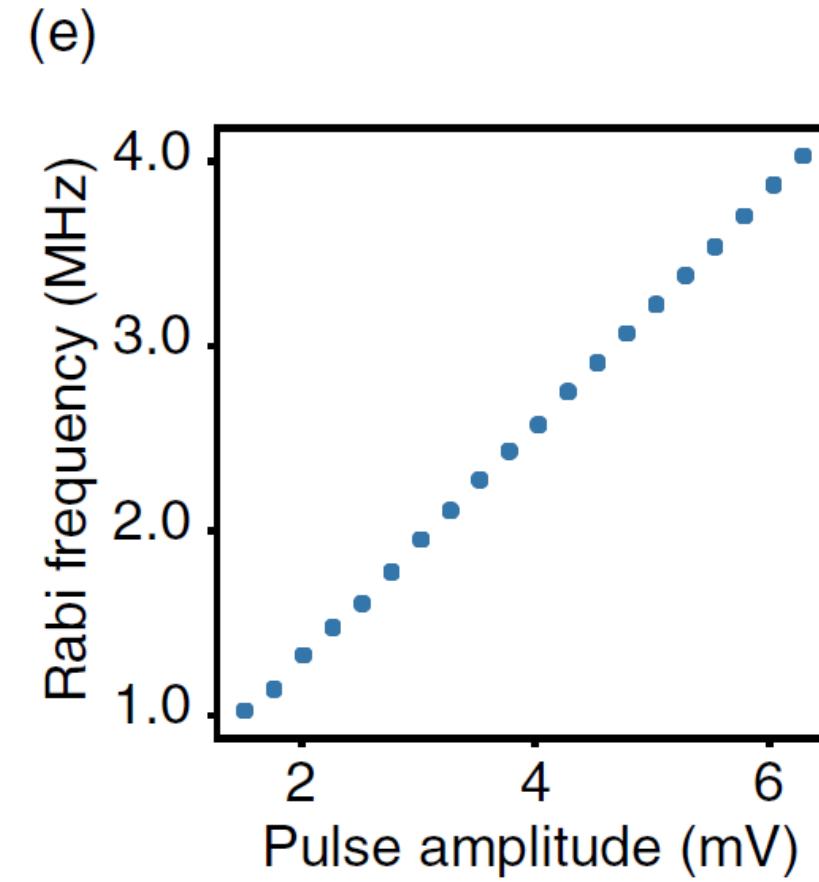
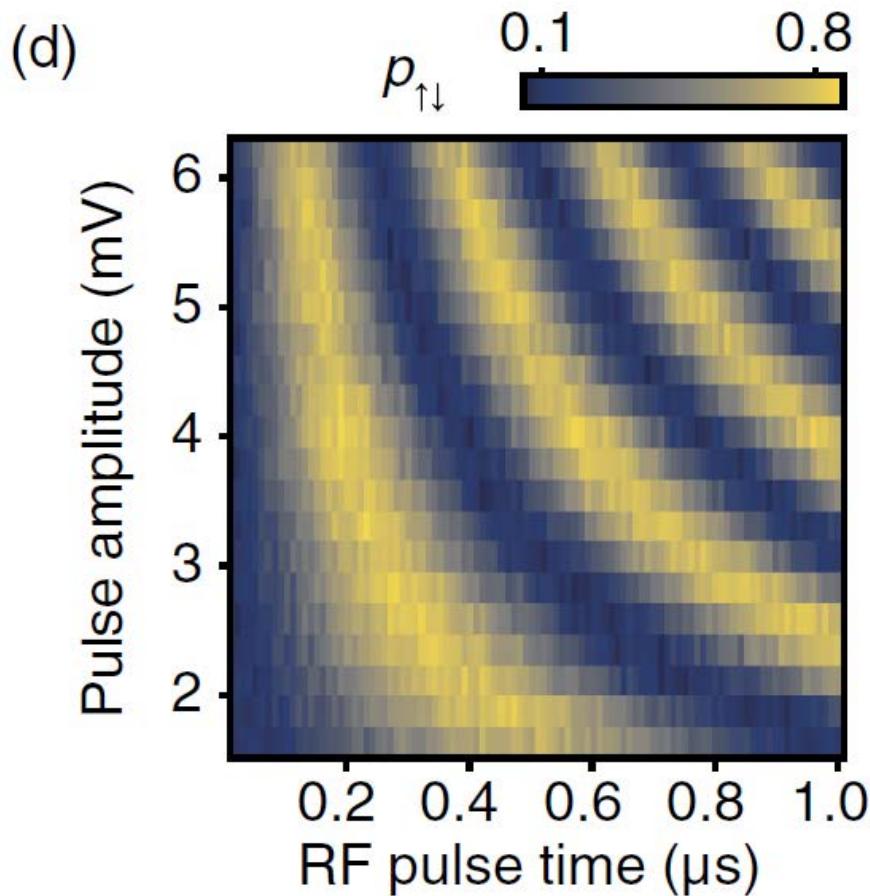


Rabi oscillation decay time $T_R \sim 6 \mu$ s

Amplitude dependence of the Rabi oscillations

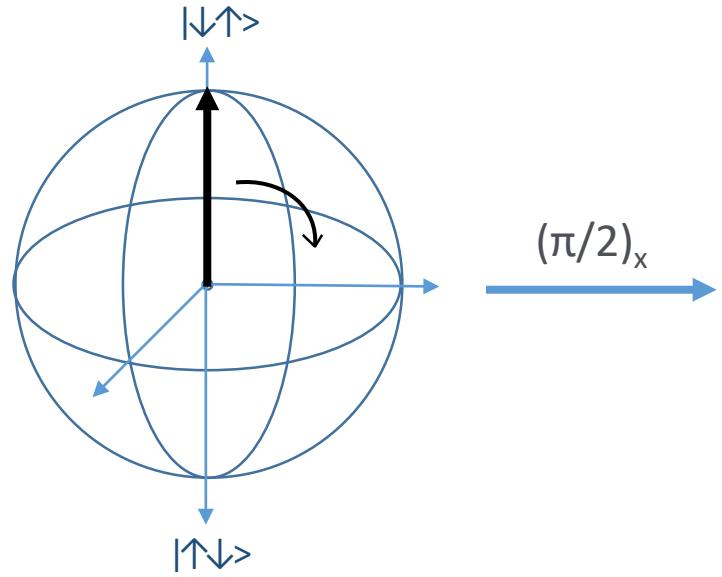


Amplitude dependence of the Rabi oscillations

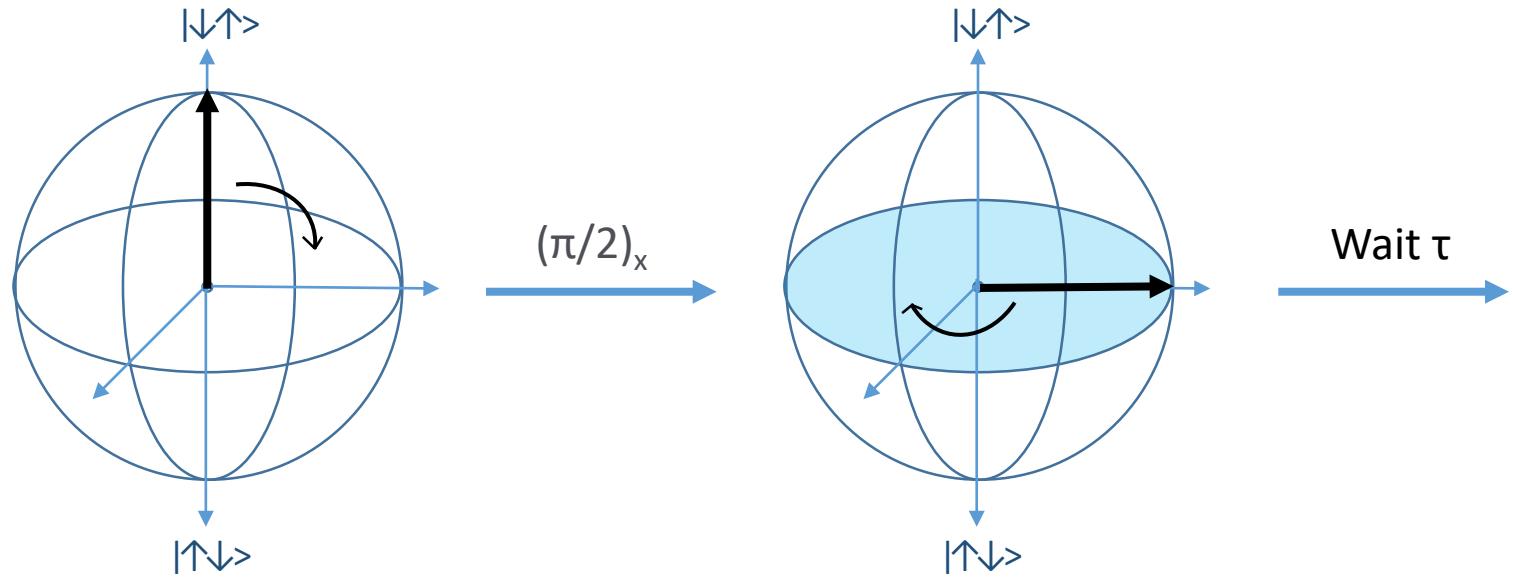


Linear => The qubit is in the regime where
 J changes linearly with δV_{B_2}

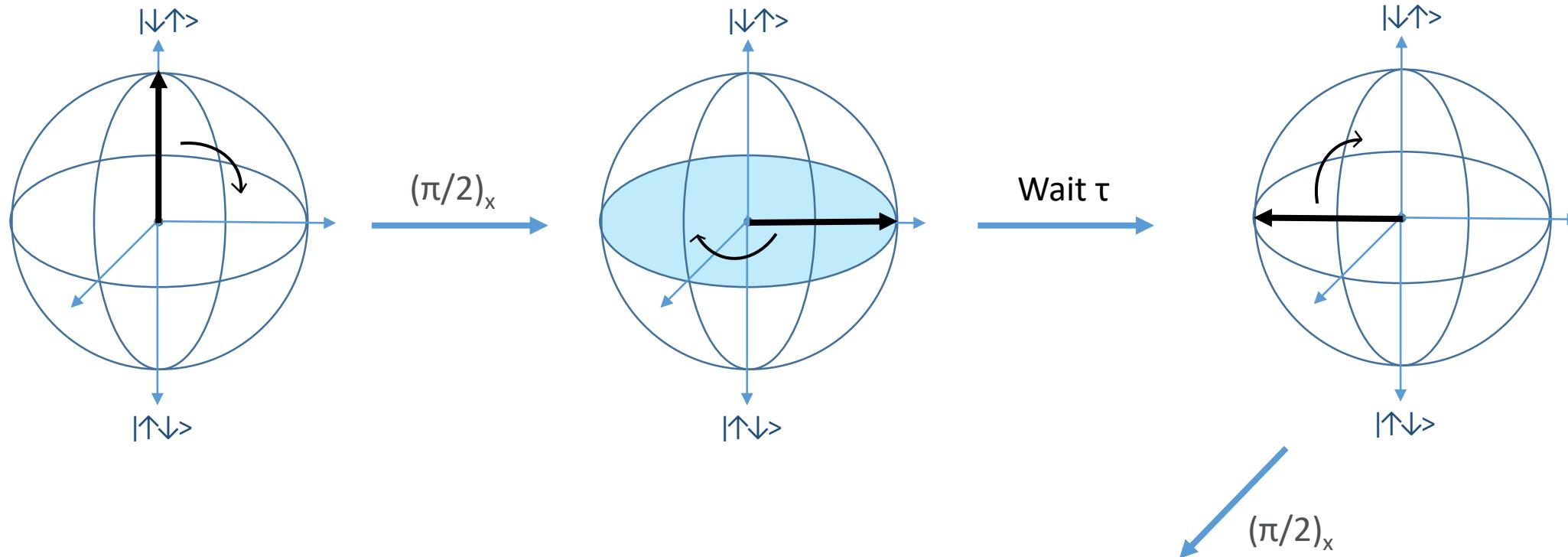
Ramsey interferometry: Principle



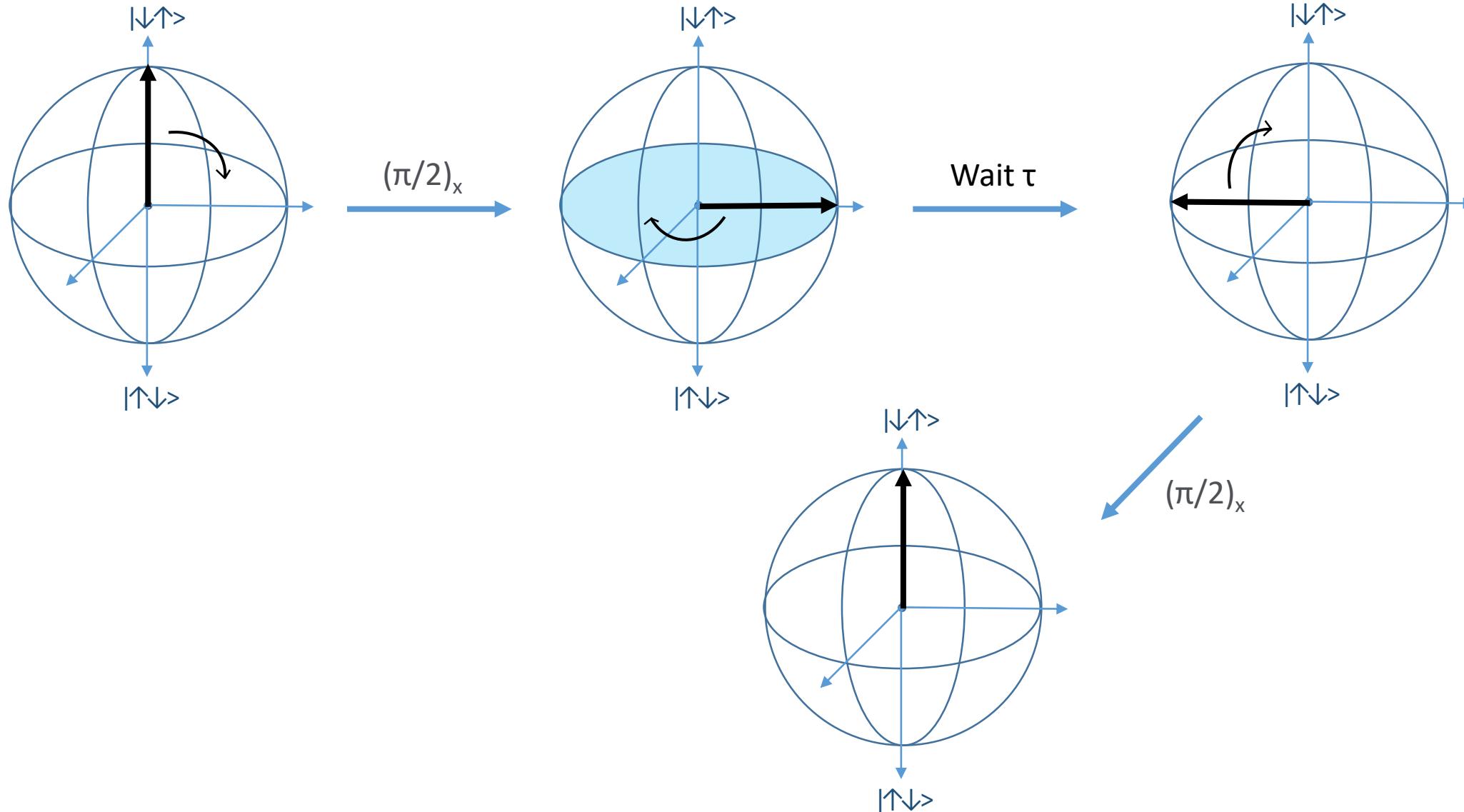
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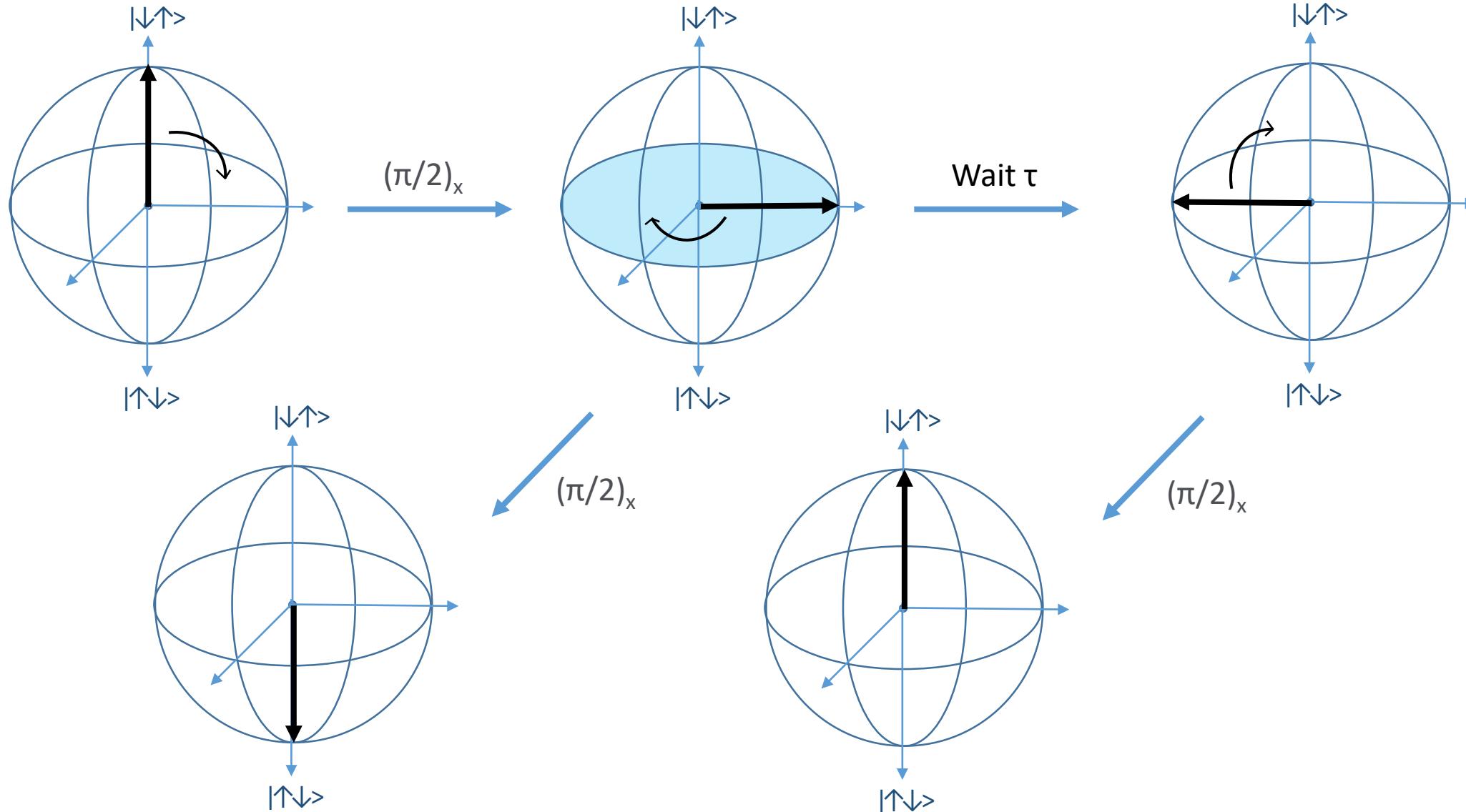
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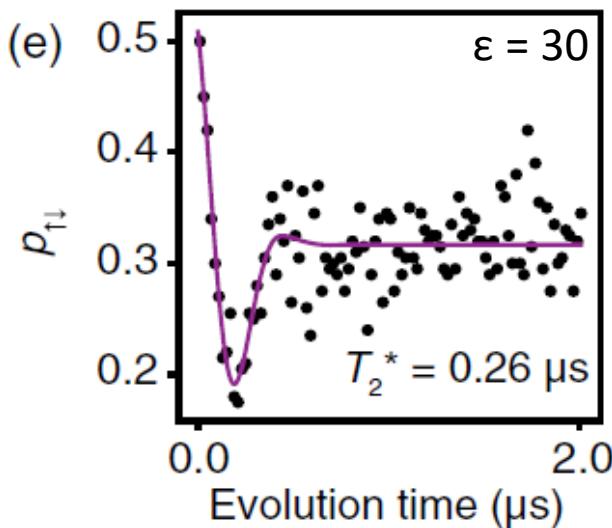
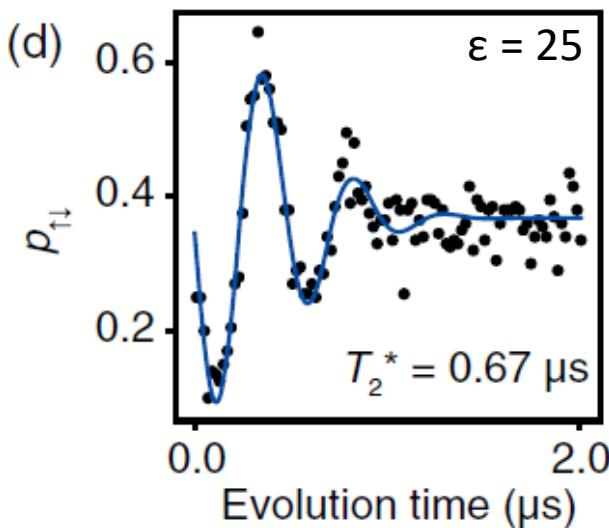
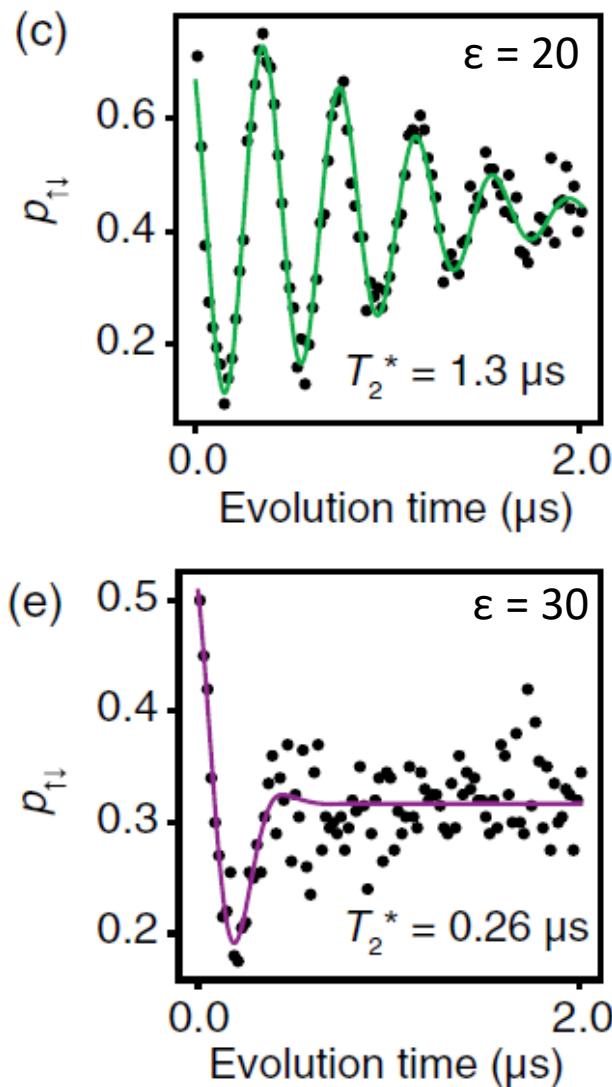
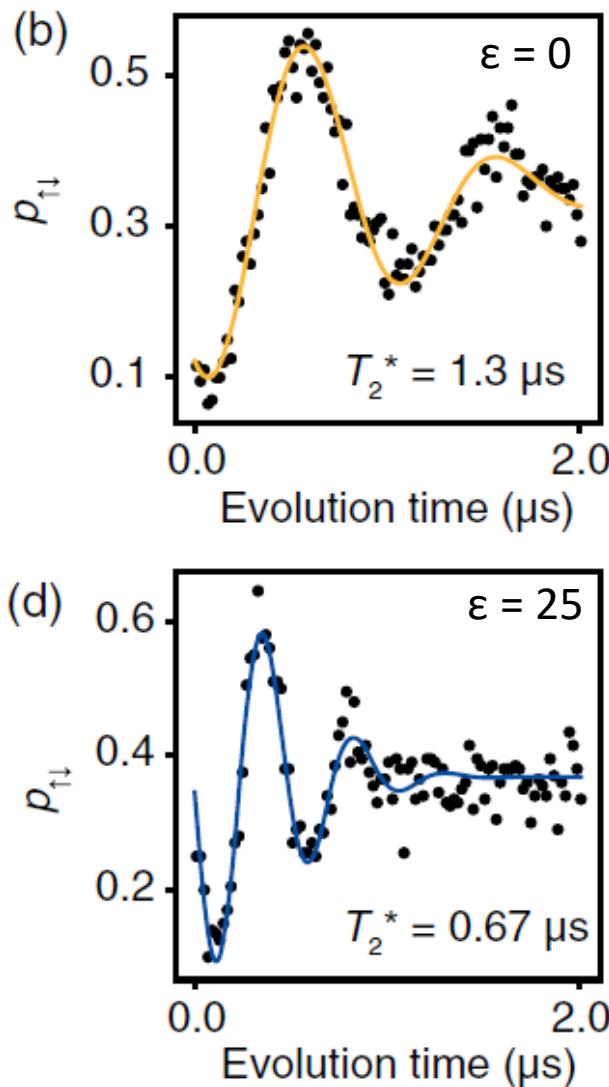
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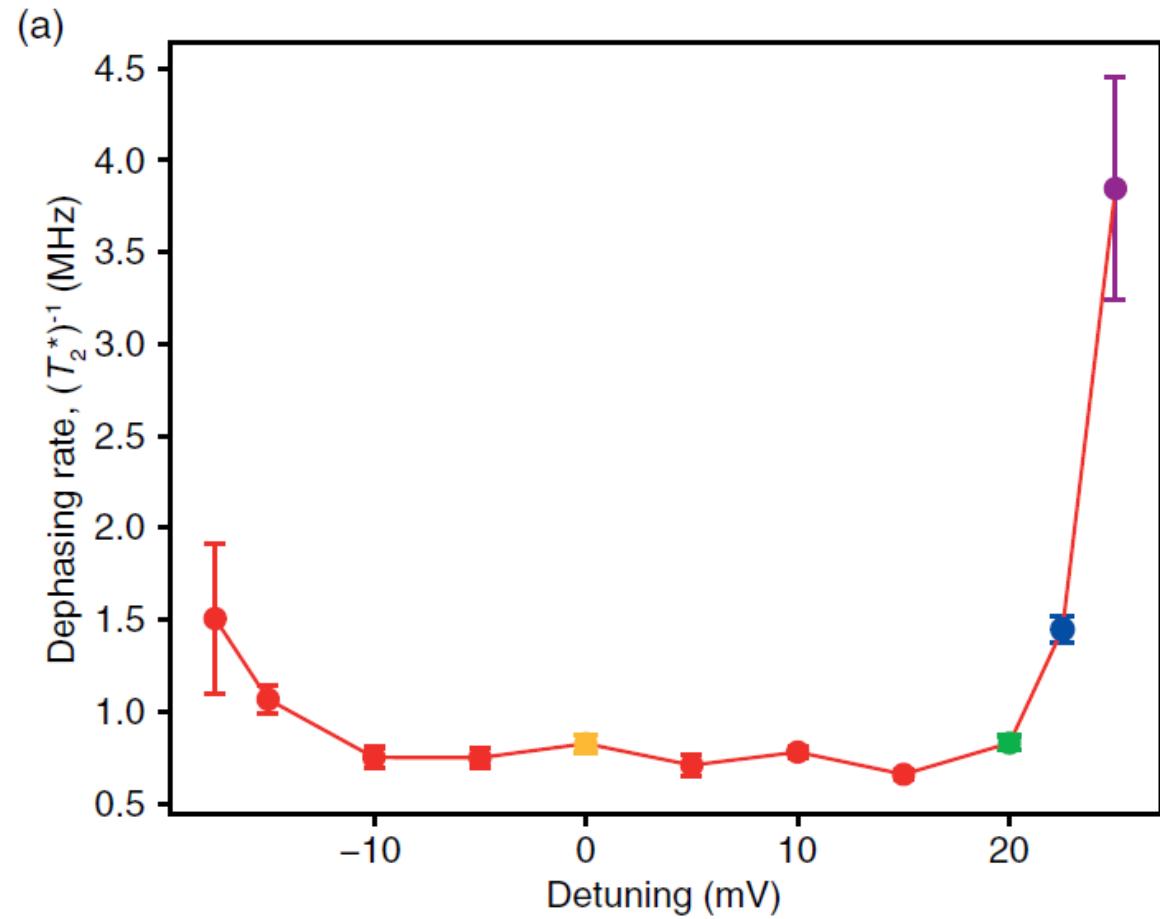
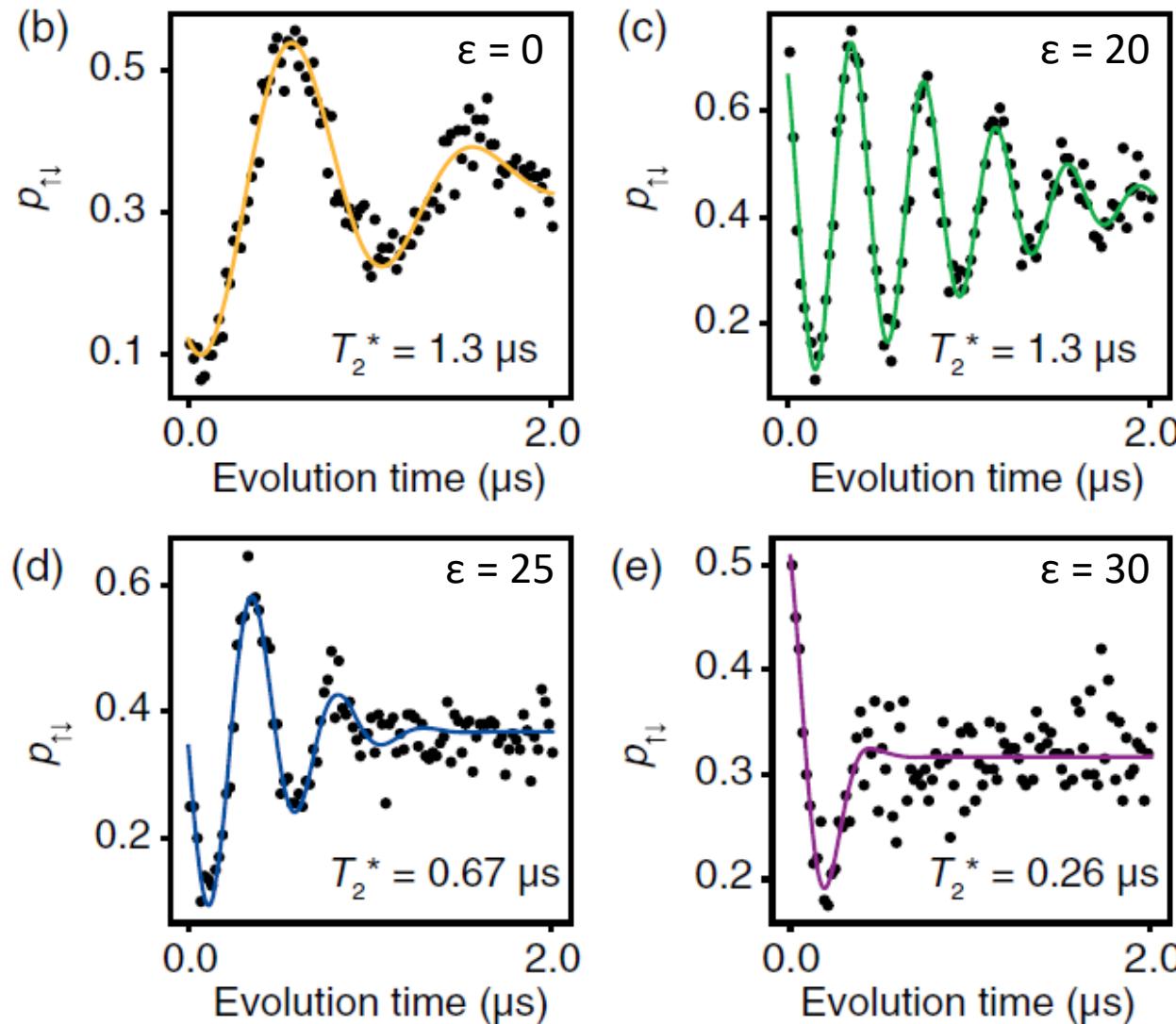
Ramsey interferometry: Principle



Ramsey interferometry: calculate T_2^*

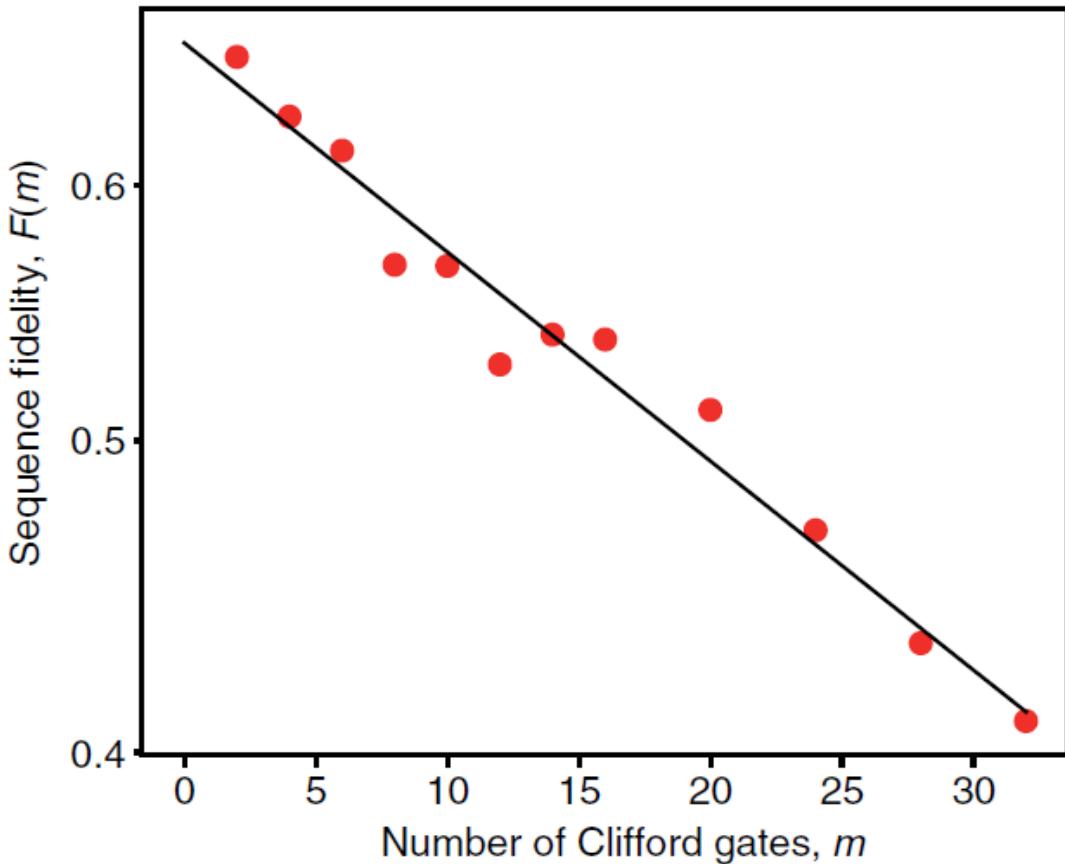
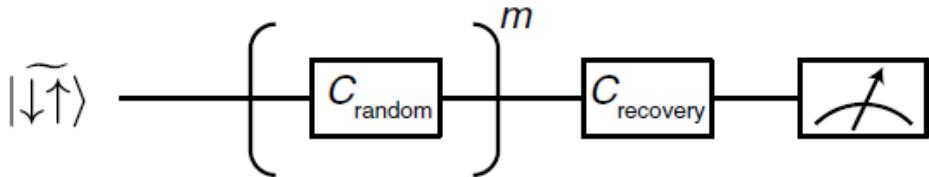


Ramsey interferometry: ϵ dependence of T_2^*



- T_2^* is quite constant for $-10 \text{ mV} \lesssim \epsilon \lesssim 20 \text{ mV}$.
- So, for other experiment they choose $\epsilon = 20 \text{ mV}$ (T_2^* still high but Rabi frequency twice faster than $\epsilon = 0$)

Fidelity benchmark



- Clifford gates are rotations in the Bloch Sphere. They are decomposed into rotations around the x and y axes (1.875 single gates on average)
- Fidelity $F(m) = P_{|\downarrow\uparrow\rangle}(m) - P_{|\uparrow\downarrow\rangle}(m) = V p^m$
- From the fit: $p = \mathbf{0.985 \pm 0.0009}$
Clifford gate fidelity $F_c = \mathbf{99.2 \pm 0.045\%}$
Single gate fidelity $F_{\text{single}} = \mathbf{99.6 \pm 0.024\%}$

Conclusion

- Demonstration of the operation and fidelity benchmark of a resonantly driven singlet-triplet qubit in natural Si
- Good $T_2^* \sim 1.3 \mu\text{s}$ for a natural Si made qubit
- Highest reported fidelity for “singlet-triplet spin qubit”

Thanks

Thank you for your attention!

