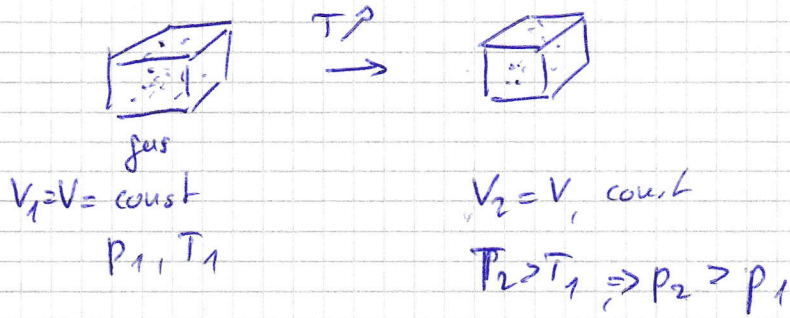


Phys. I: Heat & temperature

• What is temperature...? what does it measure?

for instance: 1) gas at temperature T_1 , what happens when $T \nearrow$ to $T_2 > T_1$?
gas
 \Rightarrow expansion of gas, lower density ρ (kg/m^3): relation T, V
 (larger volume V [m^3])

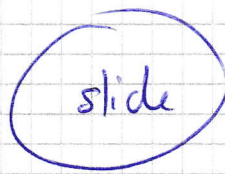
2) if volume fixed (box) and $T \nearrow$...?



\Rightarrow relationship $p, V, T \rightarrow$ gas laws

Thermodynamics
 macroscopic description

example, solid system



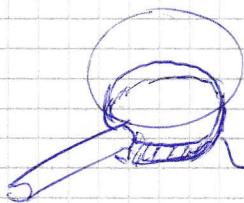
metal plate expansion question
 (a " " with hole)

if $T \nearrow$, hole $\phi \nearrow$... why?

explanation: as $T \nearrow$, the average distance (in the material) between atoms increase as well, at every point in the material (plate)
 that implies that the ϕ ~~with~~ of the hole in the plate will also increase.

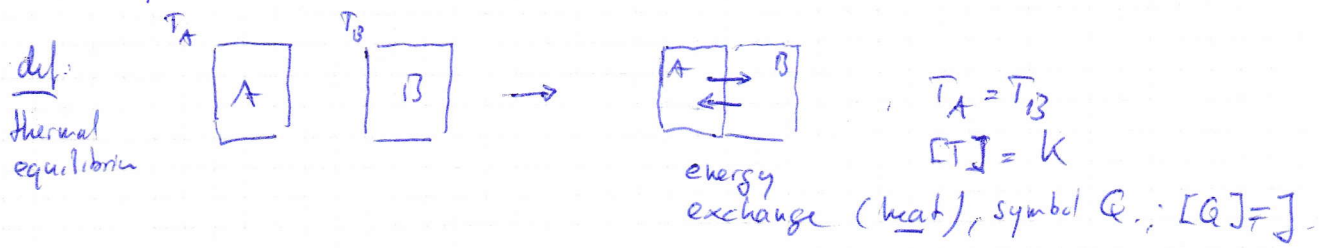
Statistical mechanics
 microscopic description

Exp

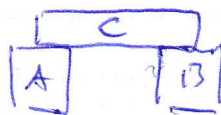


ring + sphere; heat ring
 \Rightarrow sphere falls through

- def: 2 objects have the same Temperature T if they are in thermal equilibrium

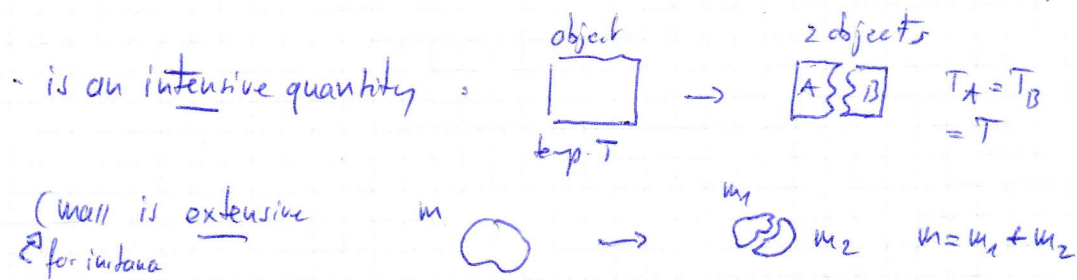


"Zeroth" law of thermodynamics (sets basis to define a temperature scale)



When A and B are in thermal eq. with C, then they are in " " with each other

- Temperature: measure of energy: kinetic energy of the constituents of an object (atoms, molecules) average value (many atoms) (12gr of Carbon $\sim 6 \cdot 10^{23}$ atoms of C)



- microscopic picture: when $T \uparrow$, avg distance between neighboring atoms (r) \uparrow

e.g.: melting criterion (Lindemann), qualitative guess

u : amplitude of vibration for 1 atom

$\langle u^2 \rangle$: mean square thermal average amplitude of vibratio

melting ($T = T_m$) when $\langle u^2 \rangle = c_L \cdot a^2$

\uparrow interatomic distance constant (Lindemann)
 $c_L \leq 0.5$

(slide) Temperature of place / phenomenon

Temperature measurement (and scales)

Ques: how to measure T without having access to the ^{microscopic} motion of atoms and molecules?

Answer: use the dependence of physical properties on temperature to create/build thermometers.

- e.g.
- volume (of a fluid?) of a gas (versus temperature)
 - length (dimension) of a metallic rod ($v. T$)
 - pressure of a fixed volume gas cell

(~~temperature~~
length
pressure)

|| Any thermometric (i.e.: temperature dependent) property can be used to define a temperature scale

(slide)

- Example:
- Mercury (Hg) thermometer
 - disappearing filament pyrometer

• Definition of the Kelvin scale (or absolute temperature scale)

1 Kelvin, [K]: SI unit for temperature

uses triple point of water: • more precisely defined than freezing or boiling point of water

• Temp where water vapor, water and ice (and pressure) coexist in equilibrium

(slide)

p-T phase diagram of water & ice

Definition || $T_{tr} = 273.16 \text{ K}$ ($p_{tr} = 611.657 \text{ Pa}$)
 for the temperature of the triple point of water
 pressure

absolute zero temp $T_0 = 0 \text{ K}$

(no microscopic motion)

Kelvin \rightarrow °C
 Fahrenheit

Celsius scale :

0°C : temperature of melting ice

100°C : temperature of boiling water
(pressure dependent...)

both at $p = 1. \text{atm}$

$$= 1.01325 \cdot 10^5 \text{Pa} \quad (\text{Pa} = \text{N/m}^2) \quad (1.01 \cdot 10^5 \text{Pa})$$

$$= 1.01325 \text{ bar} \quad \text{N/m}^2$$

$$T_{\text{K}} = T_{\text{C}} + 273.15 \text{ K} ; T_{\text{C}} = T_{\text{K}} - 273.15^{\circ}\text{C}$$

$$\Delta T_{\text{K}} = \Delta T_{\text{C}}$$

For info: Fahrenheit scale def: freezing point of water: 32°F
boiling " " " 212°F

(Slide)

Temperature of places & phenomena
again briefly

Gas, thermometers, & fluid thermometers

can work at $p = \text{const}$ or $V = \text{const}$
(pressure) (volume)

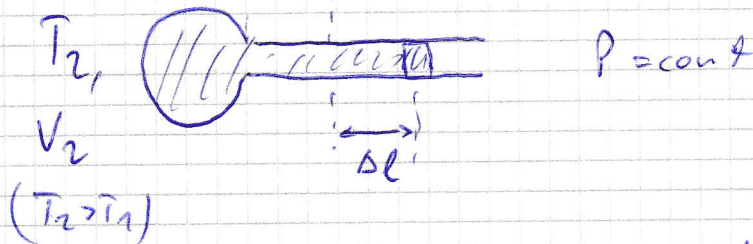
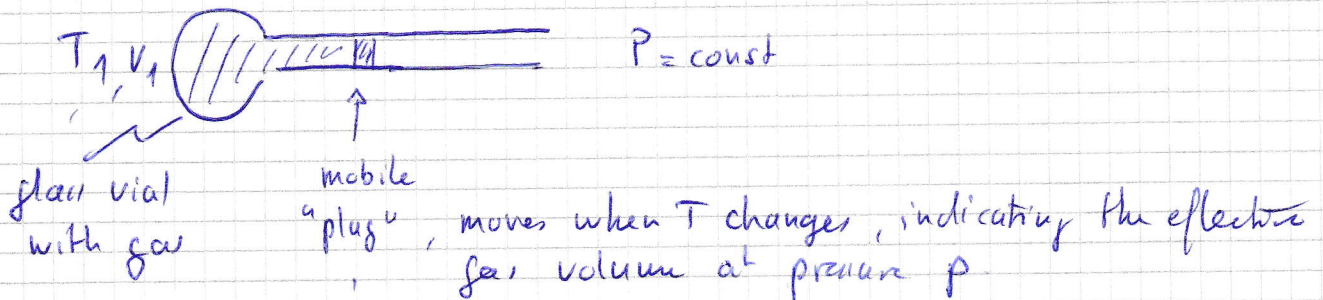
example: $V \propto T$ ($p = \text{const}$)

a gas expands when heated and $V \propto T$ (linear)

i.e. $\frac{V_1}{T_1} = \frac{V_2}{T_2} = \dots = \text{const}$

$\Rightarrow T = \frac{V}{\text{const}_V}$ (Charles law)

experimental system:



$\Delta V = A \cdot \Delta L$, A cross section of glass tube

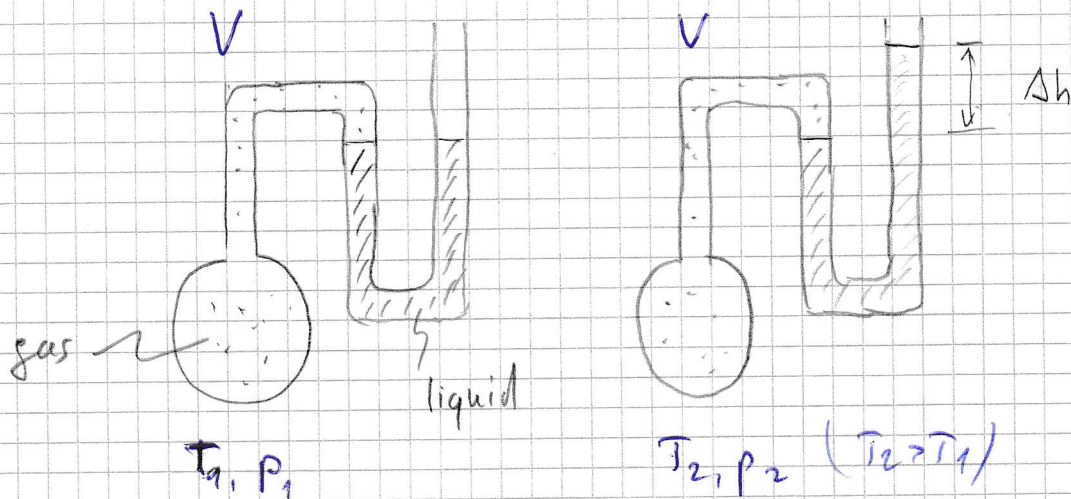
By measuring ΔV , we obtain $\Delta T (= \Delta V / k_v)$

example: $p \propto T, V = \text{const}$

at constant volume, the pressure of a gas increases when T increases and $p \propto T$ (linear)

thus
$$\frac{p_1}{T_1} = \frac{p_2}{T_2} = \text{const}$$

and
exp. system:
$$T = \frac{p}{\text{const}_p}$$



Total gas volume \sim const (V) (gas container with larger volume than capillary tubes)

When $T \uparrow, p \uparrow$ and the liquid is pushed higher up in the tube $\Rightarrow \Delta h > 0$

$$\Delta h \propto \Delta p, \text{ pressure increase, } \Delta p = p_2 - p_1 \propto \Delta T$$

$$\uparrow$$

 proportional to

$$\Rightarrow \Delta h \propto \Delta T$$

Exp

- 1) gas thermometer
- 2) fluid thermometer: H_2 ; exp: water, here

Thermocouple thermometer

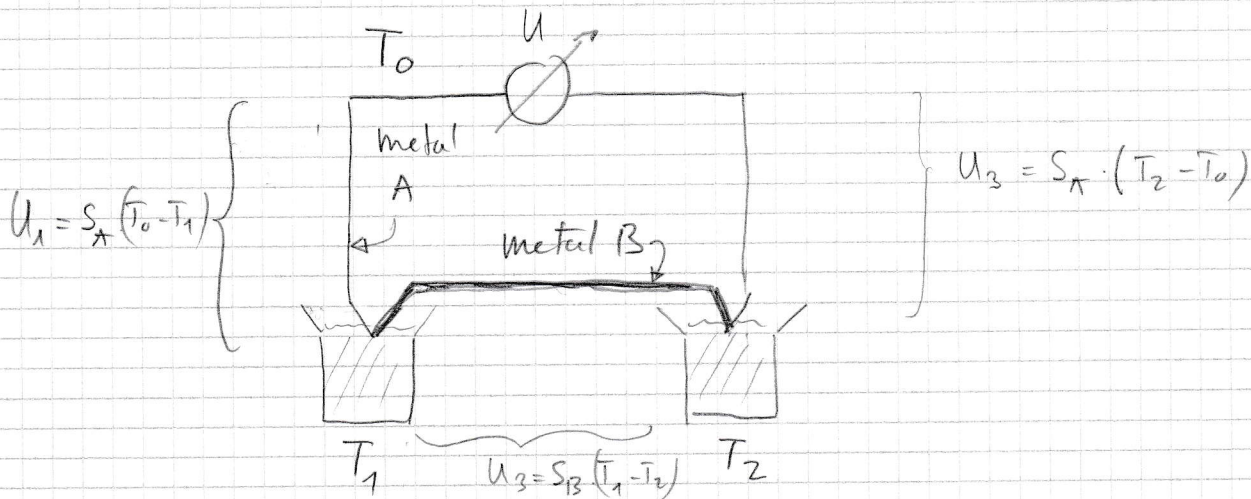
- Seebeck effect (qualitative)

$$U = S \cdot \Delta T, \quad \text{with } S \sim \text{few } \mu\text{V/K}$$

slide
Seebeck
coeff

↑ voltage
(potential difference)
↑ Seebeck coefficient

- Experimental system: needs 2 metall. junctions (1 metal $\rightarrow U=0$)
see below



Where do thermovoltages appear --? U_1, U_2, U_3

$$\begin{aligned} \text{Overall voltage } U &= U_1 + U_2 + U_3 \\ &= S_A \cdot (T_0 - T_1) + S_B \cdot (T_1 - T_2) + S_A \cdot (T_2 - T_0) \\ &= S_A \cdot (T_2 - T_1) + S_B \cdot (T_2 - T_1) \end{aligned}$$

$$\parallel U = (S_A - S_B) \cdot (T_2 - T_1)$$

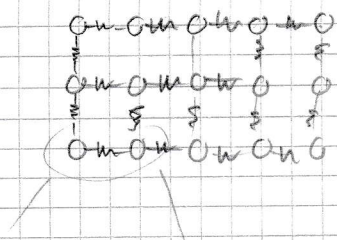
if $S_A = S_B$, $U = 0$, \Rightarrow needs 2 different metals with $S_A \neq S_B$.

\Rightarrow We can measure a temperature difference, not the absolute temperature (using the Seebeck effect)

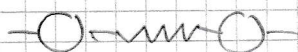
Exp thermocouple : metal A: Cu
metal B:

Thermal expansion

microscopic picture (of matter) & expansion

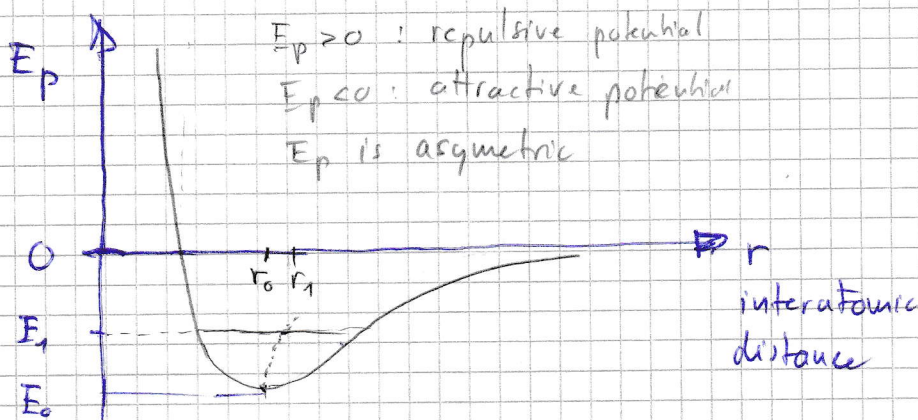


lattice of atoms with interatomic interaction (crystal structure)



binding energy between atoms: E_p (potential energy)
(remember coupled oscillators)

interatomic potential (potential energy)



at $T=0$, $E_{kin} = E_k = 0$, no kinetic energy (atoms at rest)

and $E_0 = E_k + E_p = E_p$, r_0 : avg. distance between 2 atoms

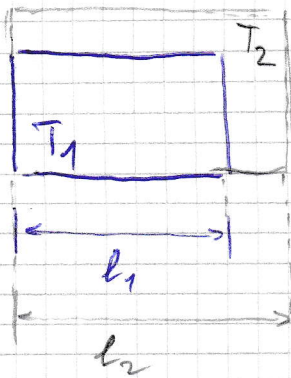
at $T_1 > 0$, $E_1 = E_k + E_p > E_0$, as $E_k \neq 0$

$r_1 > r_0$

As $T \nearrow$, $r \nearrow$ \forall atoms in a crystal / material

Macroscopically: if all atoms grow further apart from each other with increasing temperature the solid (macroscopic object composed of many atoms) will expand with temperature (increase its volume)

• macroscopic picture (of expansion)



$$l_2 - l_1 = \Delta l$$

$$T_2 - T_1 = \Delta T$$

$$\parallel \frac{\Delta l}{l} = \alpha_L \cdot \Delta T$$

↑ linear expansion coefficient $[\alpha_L] = \frac{1}{K}$

(slide) linear exp coefficients

$$\text{typ.} \sim 10^{-6} \text{ K}^{-1}$$

(Exp)

Eisen Draht

or →

do volume expansion first

Thermal expansion (1D), reminder

distance between atoms
increases (on avg)
=> expansion

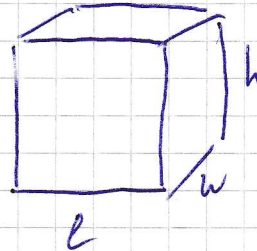
$$\Delta l = \alpha_l \cdot l \cdot \Delta T$$

linear expansion coefficient

$$[\alpha_l] = \frac{1}{K}$$

slide: Linear exp. coeff. values, (table)

for a volume:



$$V_1 = l \cdot w \cdot h$$

at ambient T

$$V_2 \text{ at } T_2 > T_1$$

$$\frac{\Delta V}{V} = \frac{V_2 - V_1}{V_1}$$

$$V_1 = l \cdot w \cdot h$$

$$V_2 = (l + \Delta l) \cdot (w + \Delta w) \cdot (h + \Delta h) = l \left(1 + \frac{\Delta l}{l}\right) \cdot (w + \Delta w) \cdot (h + \Delta h)$$

$$= \underbrace{l \cdot w \cdot h}_{V_1} \cdot \left(1 + \frac{\Delta l}{l}\right) \cdot \left(1 + \frac{\Delta w}{w}\right) \cdot \left(1 + \frac{\Delta h}{h}\right)$$

$$= V_1 \cdot (1 + \alpha_l \cdot \Delta T)^3$$

$$\approx V_1 \cdot (1 + 3\alpha_l \cdot \Delta T)$$

$$\alpha_l \sim 10^{-6}$$

=> $\alpha_l \cdot \Delta T \ll 1$ at "reasonable" temperatures

and $\frac{\Delta V}{V} = \frac{V_2 - V_1}{V_1}$

$$\frac{\Delta V}{V} \approx 3\alpha_l \cdot \Delta T = \alpha_v \cdot \Delta T$$

$$[\alpha_v] = \frac{1}{K}$$

~~slide~~

exp: Iron wire expansion

slide

slides: 1) α_l, α_v ; 2) volume expansion road

o/e

exp \bar{F}_e min

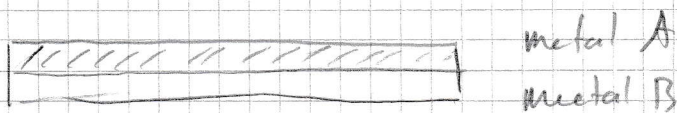
$$75 \text{ V}, 28 \text{ A} = 21 \text{ kW}$$

$$l = 2.80 \text{ m}$$

• upon cooling, check the "kicks" (down and up again)
corresponds to phase transition

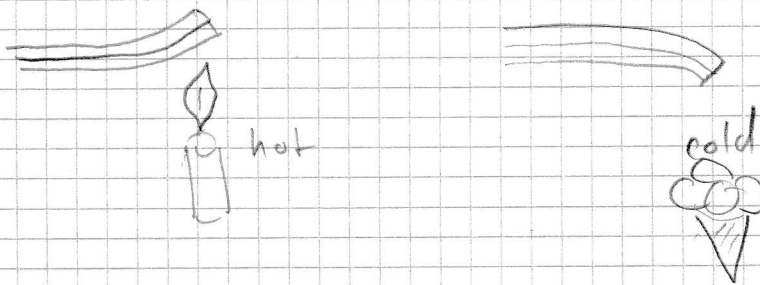
$$(1 + \epsilon)^n \approx 1 + n\epsilon$$

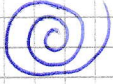
$\epsilon \ll 1$

Bimetal thermometer

strip of 2 metals A, B with different coefficients of linear thermal expansion

If $T \nearrow$ (or \searrow), metals A & B will expand (contract) differently:



- Exp**
- 1) bi-metal strip
 - 2) snapping metal: thermostat
 - 3) spring thermometer:  - bimetal, or retro projector, works up

Exp IR camera to "see" (measure) temperature

- ball (metal) on wood: impact piston glow
- rub shoe on floor
- metal plate,