

Quantum Coherence Lab Zumbühl Group

Two-Axis Quantum Control of a Fast Valley Qubit in Silicon

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1

Motivation

- Silicon as a leading contender for hosting qubits
 - Usually spin qubits
 - Nearly degenerate valley states are a possibility for information loss
- Idea: Use of valley states as the qubit
 - Fully electrically controllable (no magnetic field needed)
 - Measured through valley-orbit coupling
 - Large gate voltage space which does not change the valley splitting
 - Could have protection against charge noise
 - Fast gate operation (in order of 10 GHz)
- In this paper
 - Mapping of the surface of the Bloch sphere with sub-nanosecond gate operations



Device

 dI_{QPC}/dV_{P} (arb.) -0. (3,2)-0 (2,2) € ∽_-0.25 (1,2) (0,0) (0,2) -0.35 -0.4 -0.35 -0.3 -0.25 $V_{\mathsf{R}}\left(\mathsf{V}\right)$



 V_R (mV)

a

-60

-70

- Double Quantum Dot on a Si/SiGe heterostructure
 - Density: $4 \cdot 10^{11}$ cm⁻²
 - Mobility $7 \cdot 10^5 \text{ cm}^2/\text{Vs}$
 - Gate Material: Ti/Au
 - **Dielectricum: Al2O3**
 - Global Top Gate: Aluminium
- Measurements
 - Dilution Refrigerator, base T = 36 mK
 - Voltage Pulses: Agilent 81134 A pulse generator
 - Repetition rate 7.5 MHz

Coherent Valley Oscillations

- Initialization in (1,1) charge configuration (= $|R_{V1}\rangle$)
- Trapezoidal pulse (rise time 200 ps) modifies system detuning $\epsilon = V_R V_L$
- Anticrossing at $\epsilon \approx 0 \rightarrow$ superposition of two lowest energy states $\psi = 1/\sqrt{2}(|L_{V1}\rangle + e^{i\phi}|L_{V2}\rangle)$
- At maximum detuning: Larmor precession (frequency determined by valley splitting)
- Phase difference mapped to charge states
- Projective readout relies on dot occupation
 - Small valley splitting transformed into large energy difference
- Note: valley splitting modified by spin states, but does not affect charge-based read-out sensitivity
- Lower bound for $T_2^* > 7$ ns (decay of oscillations)



Ramsey Spectroscopy

а



- Three-stage pulse only on V_R (+ no tunneling out or into dot)
 - High visibility precession
 - Frequency directly convertible to energy gap
 - Valley splittings: $\delta_L = 4.55~{
 m GHz}$ and $\delta_R = 15.7~{
 m GHz}$
- Sweet spots at ε = 20 μeV (first order insensitive to charge noise) and at large detuning (splitting independent of gate voltage)
- Valley splitting varies from dot to dot (10 μ ev to 60 μ eV)
 - Gate voltages modify up to 20%

5

dI/dV (arb.)

Fast Two-Axis Control I



- Three-stage pulse scheme
 - Initialization at $\epsilon_0 = |R_{V1}\rangle$
 - 1. Pulse to ϵ_{χ} = anticrossing, precess for time t_{θ}
 - 2. Pulse to ϵ_z , precess for time t_ϕ
 - 3. Pulse to ε_x, precess for time t_θ → maps valley state to charge state
- Rise time of 200 ps not fast compared to state evolution
 - Rotation occur at an angle $\alpha \sim \pi/4$
- Mapping of the entire surface of Block sphere possible [1]
- Note: Mapping is dependent on t_{θ} due to finite rise time
 - Probablity of finding excited state vanishes at even multiples of π (in θ)
- Trace with fixed ϕ : projective measurement of state with initialization and measurement axis determined by t_{θ}

[1] Previously shown in self assembled quantum dots (Press *et al*.Nature 456, 218-221 (2008), but here the first time in gate defined quantum dots

b а Fixing t_{θ} at 0.22 ns with variable t_{ϕ} = Z rotation in 0.8 0.8 ر× 0.t ۵.۶ م equatorial plane Z rotations have maximum amplitude Fixing t_{θ} at 0.5 ns with variable $t_{\phi} = Z$ rotation at north 0.3 0. pole of bloch sphere Z rotations have minimal amplitude 0.2 0.4 0.6 0.8 0.2 0.4 0.6 0.8 Frequencies of rotation agree with energy splitting at t_{ϕ} (ns) t_{ϕ} (ns) $P_{|L_{v2}\rangle}$ 1 C operation points а $|L_{v1}\rangle$ d 0.8 $t_{ heta}$ (ns) ٩N 0.4 0.2 $|x\rangle$ $|y\rangle$ 0.2 0.2 0.4 0.6 0.8 0.2 0.4 0.6 0.8 1 $|L_{v2}\rangle$ t_{ϕ} (ns) t_{ϕ} (ns)



Fast Two-Axis Control II

Valley Qubit Operation Fidelities

- Fidelities from quantum process tomography (QPT)
- True QPT not possible due to dynamical projection approach
- Still possible with comparison to theory and reconstruction of states (missing components are approximated)
- $F_{\pi/2} = 85\%$, $F_{\pi} = 79\%$, $F_{2\pi} = 93\%$
- Fidelities limited by rotation axis errors (not decoherence)
- Can be improved with better pulse shaping
- Choice of \(\epsilon_z\) has large importance due to converging of energy splitting
 - Charge noise and charge coupling
 - Further supported by coherence time during Zrotation: 1.5 ns (smaller than typical valley relaxation times)



Summary



- Realization of a valley qubit in a semiconductor
- Fully electrically controlled
- Fast operation (200 300 ps)
- Currently inferior to hybrid qubit systems
- Can be improved with proper pulse engineering and detuning

Fast Two-Axis Control III

 5π

47

θ (rad.) ^ε

 2π

0





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