

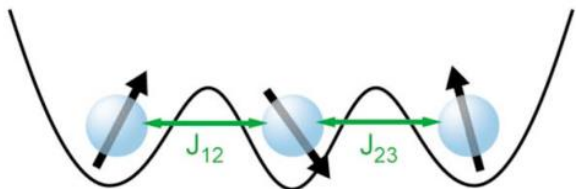
# Negative spin exchange in a multielectron quantum dot

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## exchange-only qubit

Exchange interaction suffices for the qubit operations, which removes the implementation of oscillating magnetic fields.



E. Laird et al., Phys. Rev. B **82**, 075403 (2010)

**exchange interaction**  $\longrightarrow$

Large multielectron quantum dot

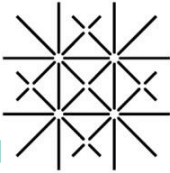
- fast spin interaction
- better flexibility of spatial control

Searching knobs for tuning the exchange interaction

## motivation

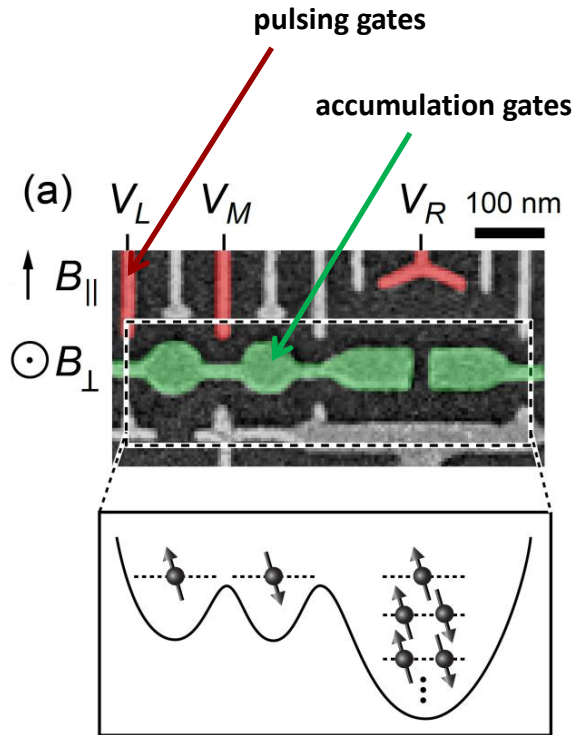
How does the overall dot potential landscape (dot shape) affect the spin on such dot array structure.

# Device and characterization



UNI  
BASEL

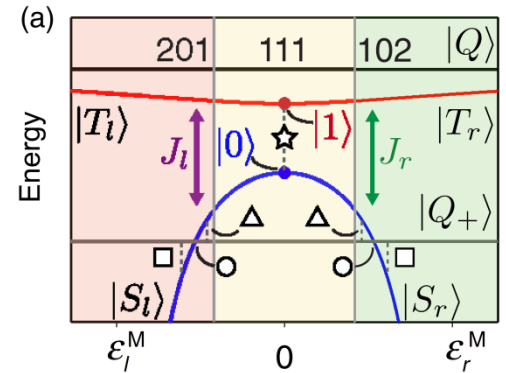
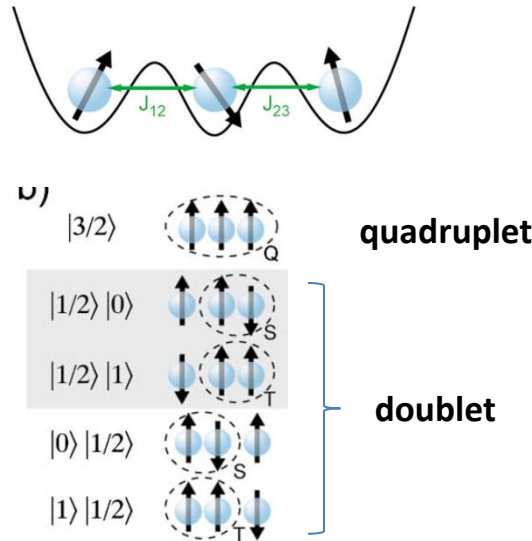
## GaAs quantum dots



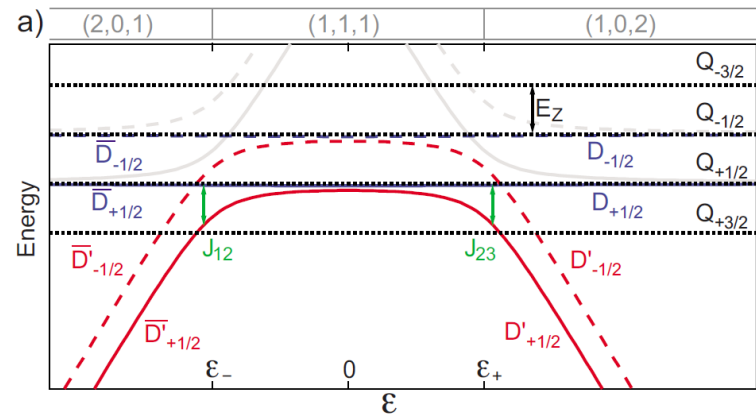
$$n = 2.5 \times 10^{15} \text{ m}^{-2}$$

$$\mu = 230 \text{ m}^2/\text{Vs}$$

## triple quantum dots

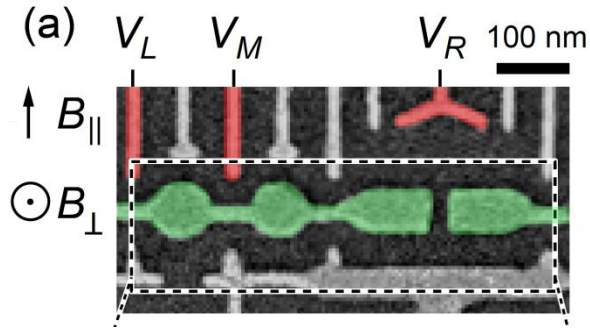


J. Medford et al., PRL **111**, 050501 (2013)



E. Laird et al., Phys. Rev. B **82**, 075403 (2010)

# Measurement scheme



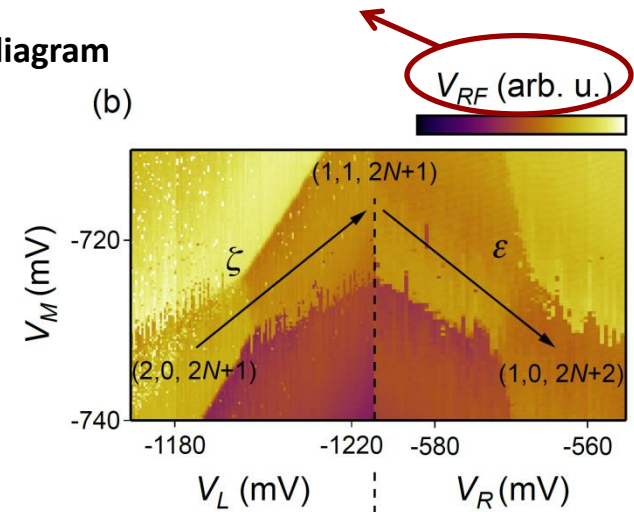
three relevant states:

$(2,0,2N+1)$   $(1,1,2N+1)$   $(1,0,2N+2)$

sensor reflectometry signal

charge diagram

(b)



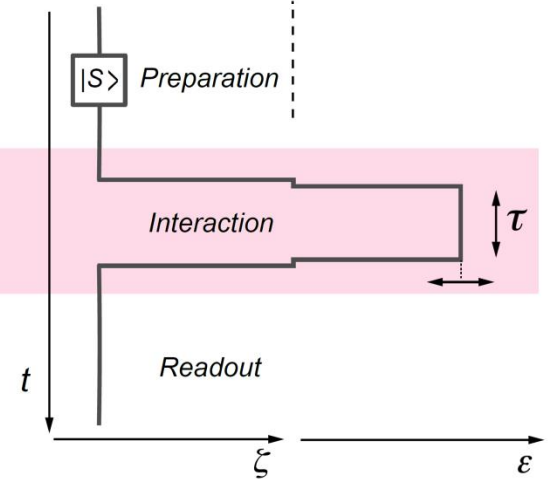
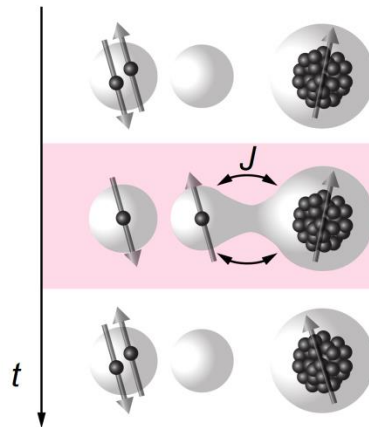
singlet outcome:

no interaction

non-singlet outcome:

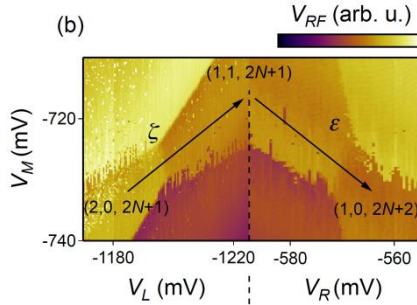
with interaction

$P_S$ : fraction of **singlet** outcomes



Varying  $\tau$  and  $\zeta, \epsilon$

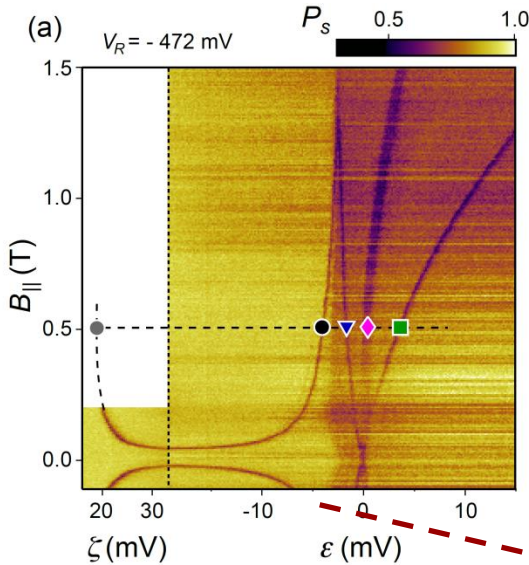
# Spin leakage spectroscopy



$\tau = 150\text{ns}$   
incoherent spin mixing

For  $\varepsilon < -5\text{mV}$   
consistent with previous spin leakage measurements

For  $\varepsilon > -5\text{mV}$   
Non-trivial magnetic field dependence

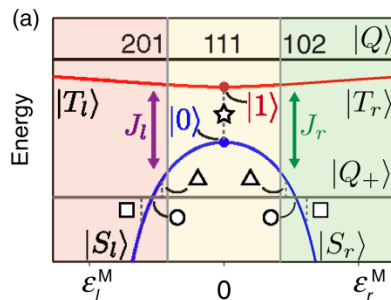
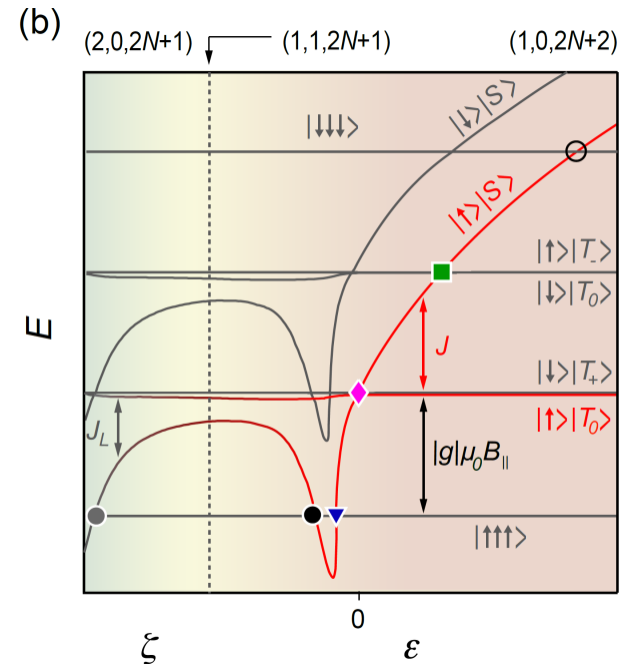


spin leakage:  
suppression of  $P_S$

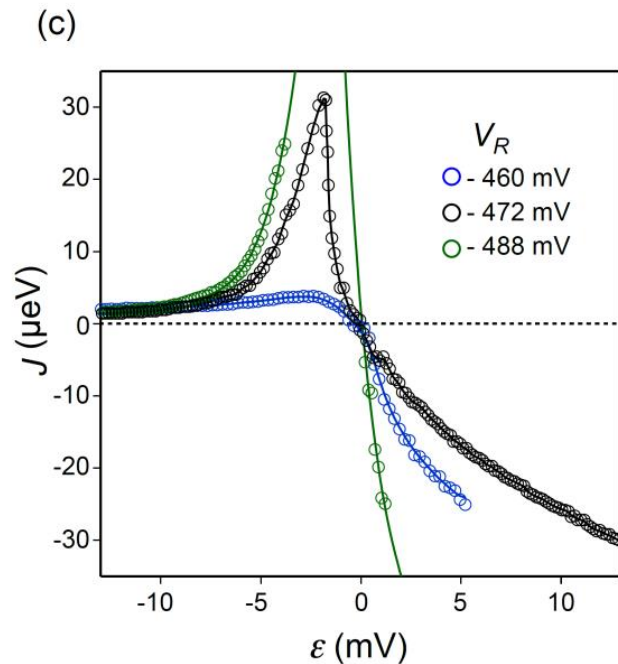
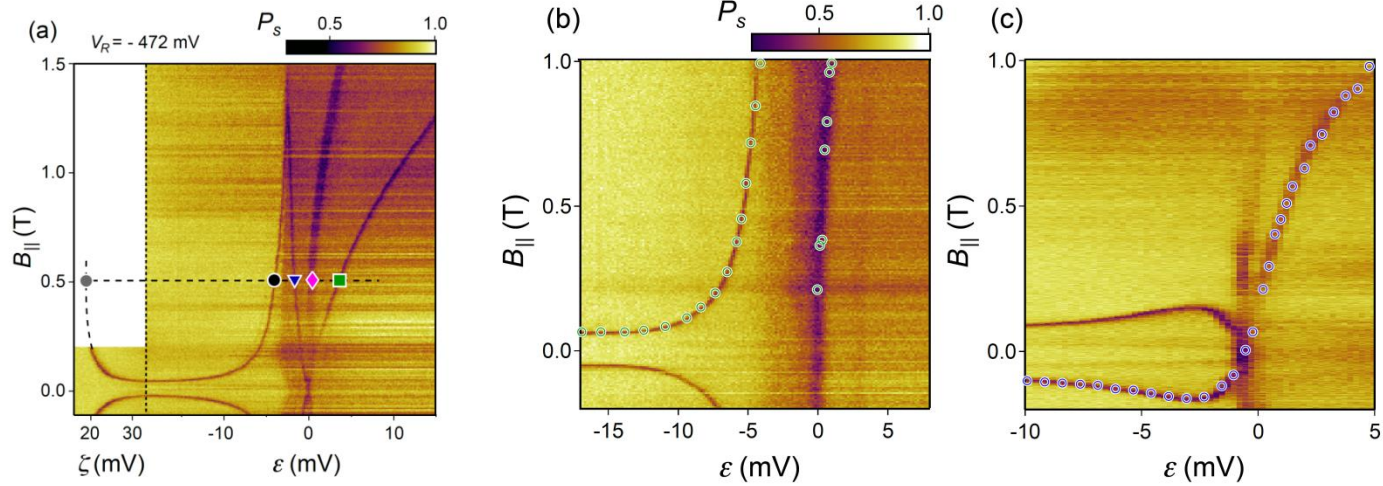
The relative Zeeman shift of  $Q^+$  will map out  $J$

$$J = g\mu_B B$$

- overall drop in the background of  $P_S$
- $J$  has a maximum
- $J$  reaches zero around  $\varepsilon = 0$



# Confinement dependence



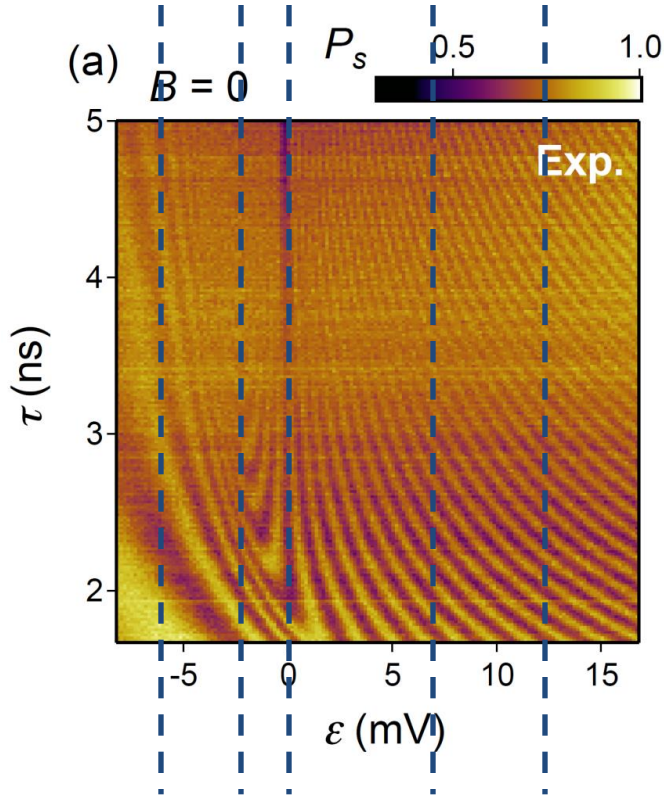
$J(\epsilon)$  shows the same behavior for different confinement potentials.

→ triplet-prefering ground state for  $(1,0,2N+2)$  charge state

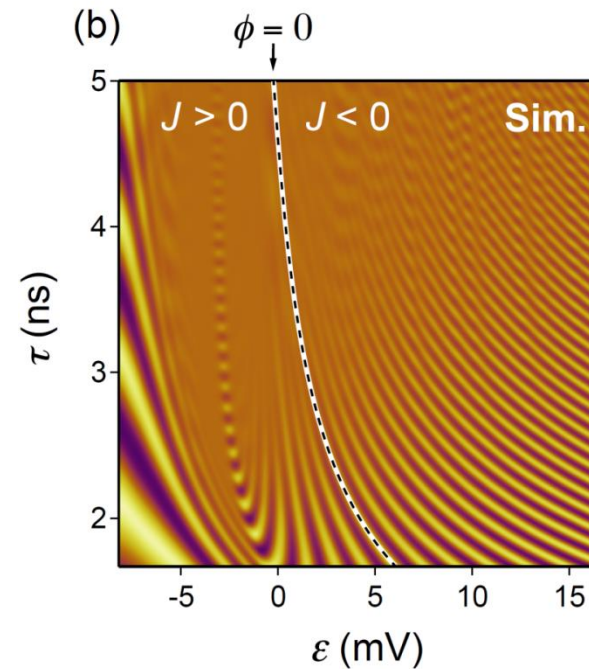
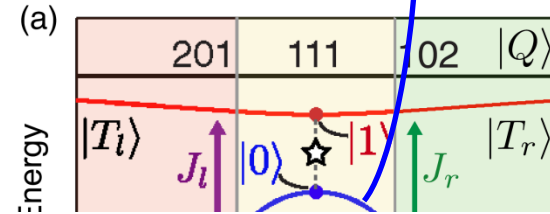
# Time domain measurements

coherent oscillations by varying  $\tau$

Direct evidence for the sign reversal in  $J$



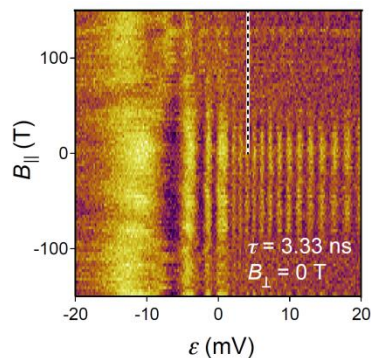
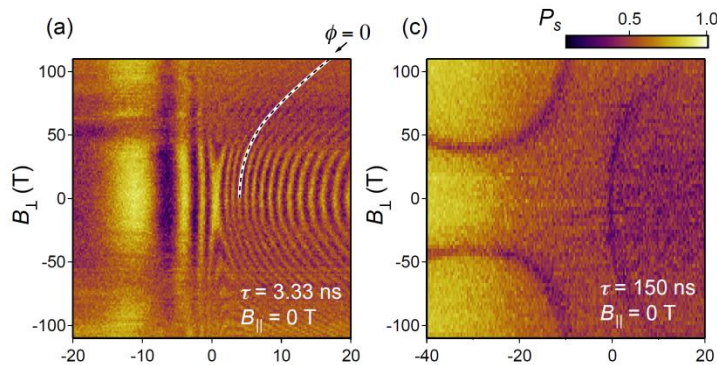
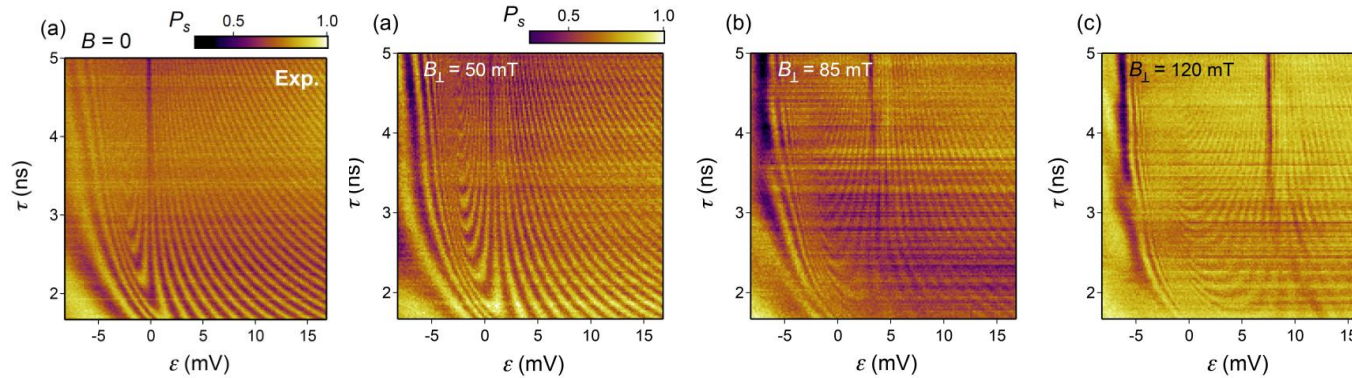
local maximum of  $J(\epsilon)$



Following contours of equal phase ( $\phi$ ) around this "sweet spot", we note that  $\phi(\tau)$  has opposite sign for large and small  $\epsilon$ , implying a sign reversal in  $J(\epsilon)$ .

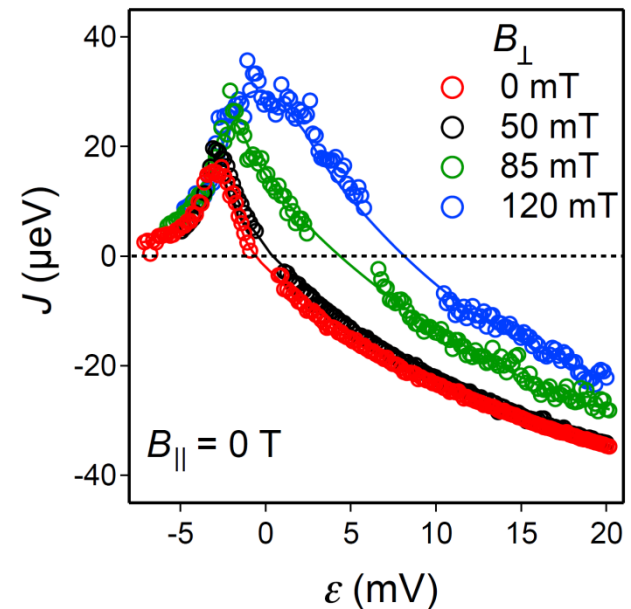
# Perpendicular field dependence

---> increasing fields



Out-of-plane magnetic field moves the sign reversal of  $J$  towards higher detuning.

Out-of-plane field dependence points to the sensitivity of the exchange profile on the electronic orbitals.





# Summary

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## **Study of the exchange interaction between a two-electron double quantum dot and a multielectron quantum dot through spin leakage measurements.**

- A non-monotonic exchange interaction between the multielectron dot and its neighboring dot is found.
- The exchange interaction reverses sign, indicating a transition from a singlet-preferring to a triplet-preferring ground state.
- The exchange profile can be tuned by either confinement potential or perpendicular magnetic field.

# Thank you